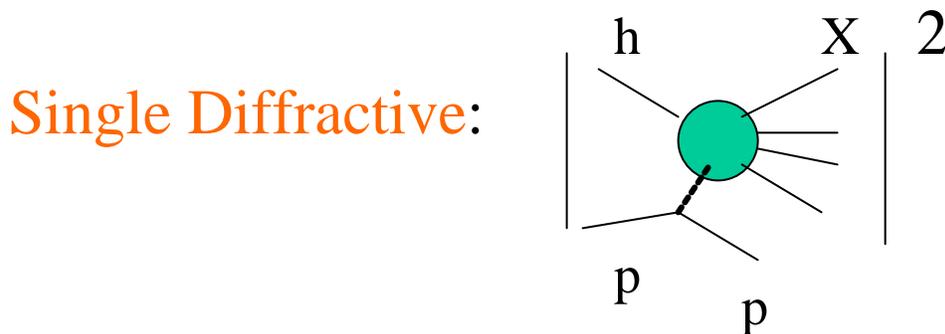
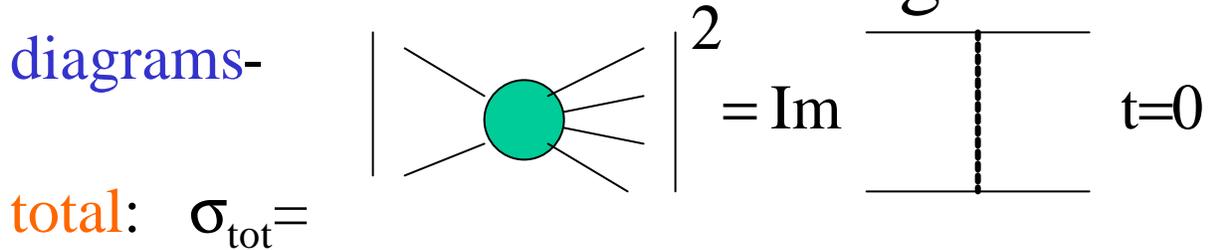


Diffraction in pA at RHIC

- Extension of ep, p-p program to “Pomeron- nucleus collisions”
- Diffractive Tags in pA collisions
 - “gap” and leading particle in collider mode
 - recoil technique with an internal target
- “A-side” tags, Luminosity, rates

Diffraction Scattering:



Classical Optics Analog:

$$|h\rangle = \sum_{n=0} c_n |\Psi_n\rangle$$

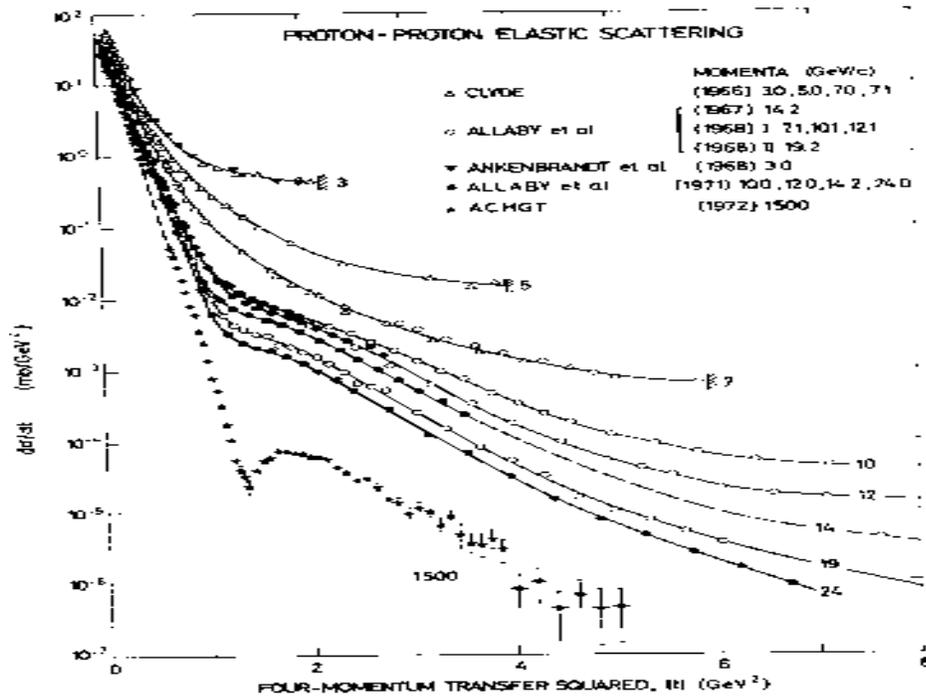
Single Diffraction filters other components of the hadron" into existence". Diffractive Peak so long as

$$\Delta p_l, \Delta p_t \leq 1/R_{\text{target}}$$

Diffraction Scattering:

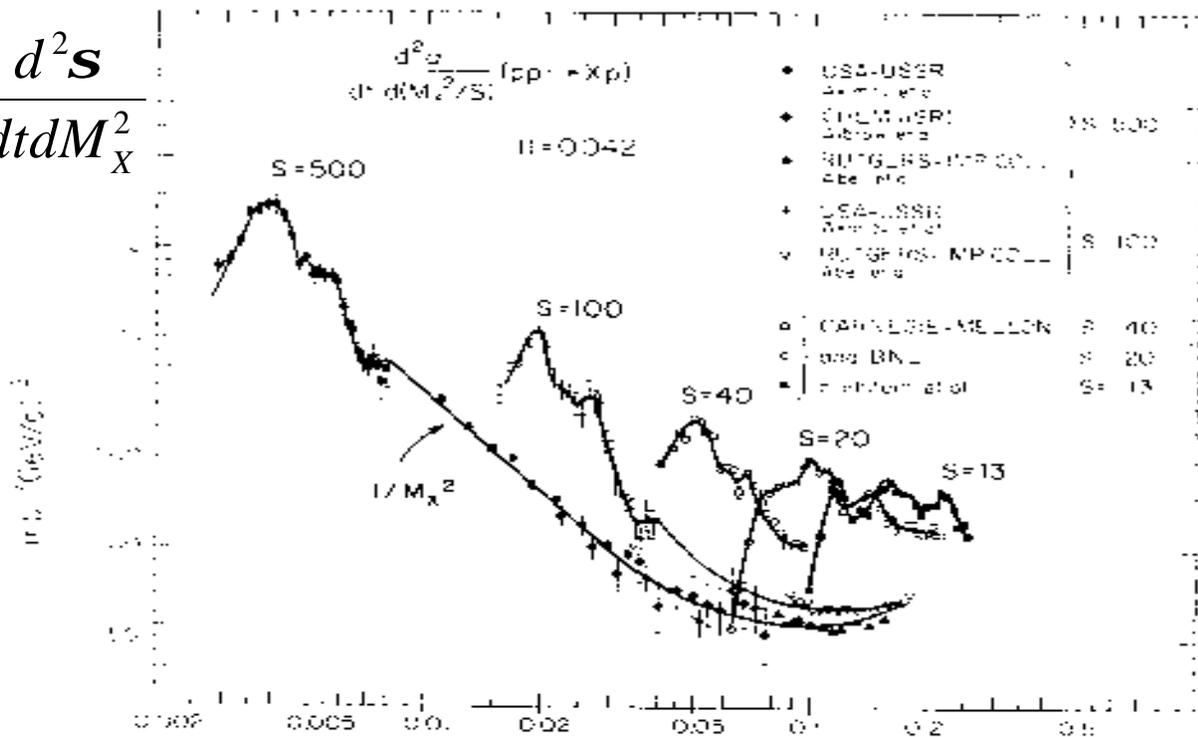
Data

$$\frac{dS^{el}}{dt}$$



$$t \cong -p_t^2$$

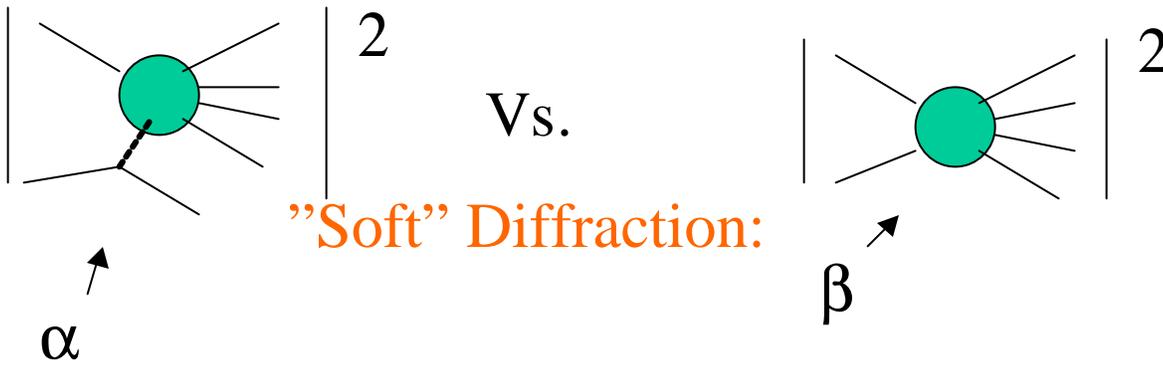
$$\frac{d^2S}{dt dM_X^2}$$



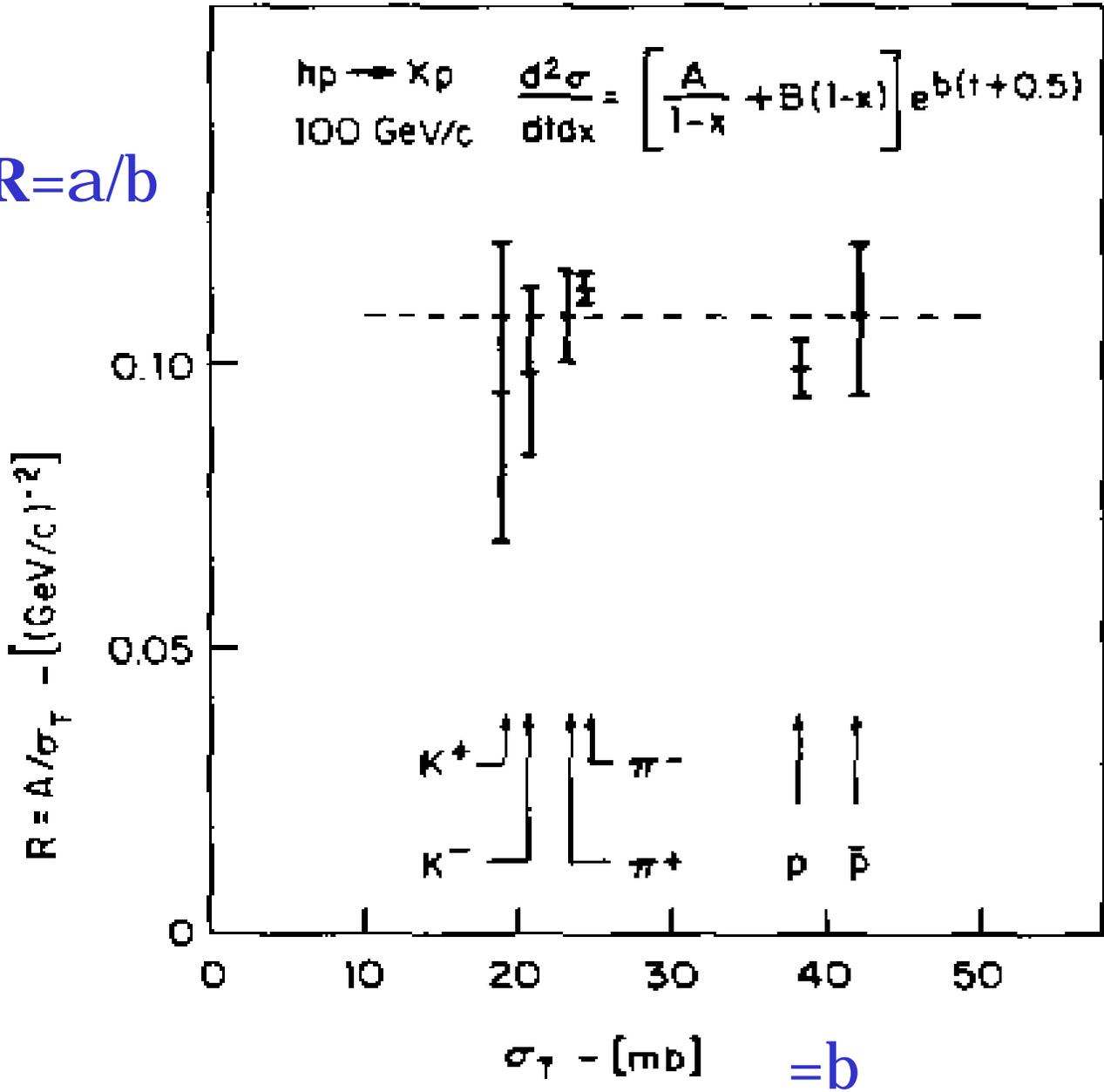
$$M_X^2/S = 1 - x_F$$

Oct.28,2000

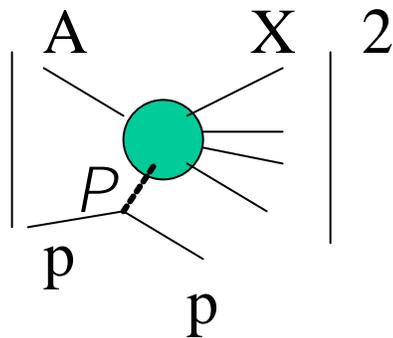
Sebastian White- pA Workshop



$R = a/b$



“Hard Diffraction” terminology



$$x_p = 1 - x_f = M_X^2 / s = \mathbf{x}$$

$$f_{P/h} = \frac{\mathbf{b}^2}{16p} F^2(t) (x_p)^{1-2a(t)}$$

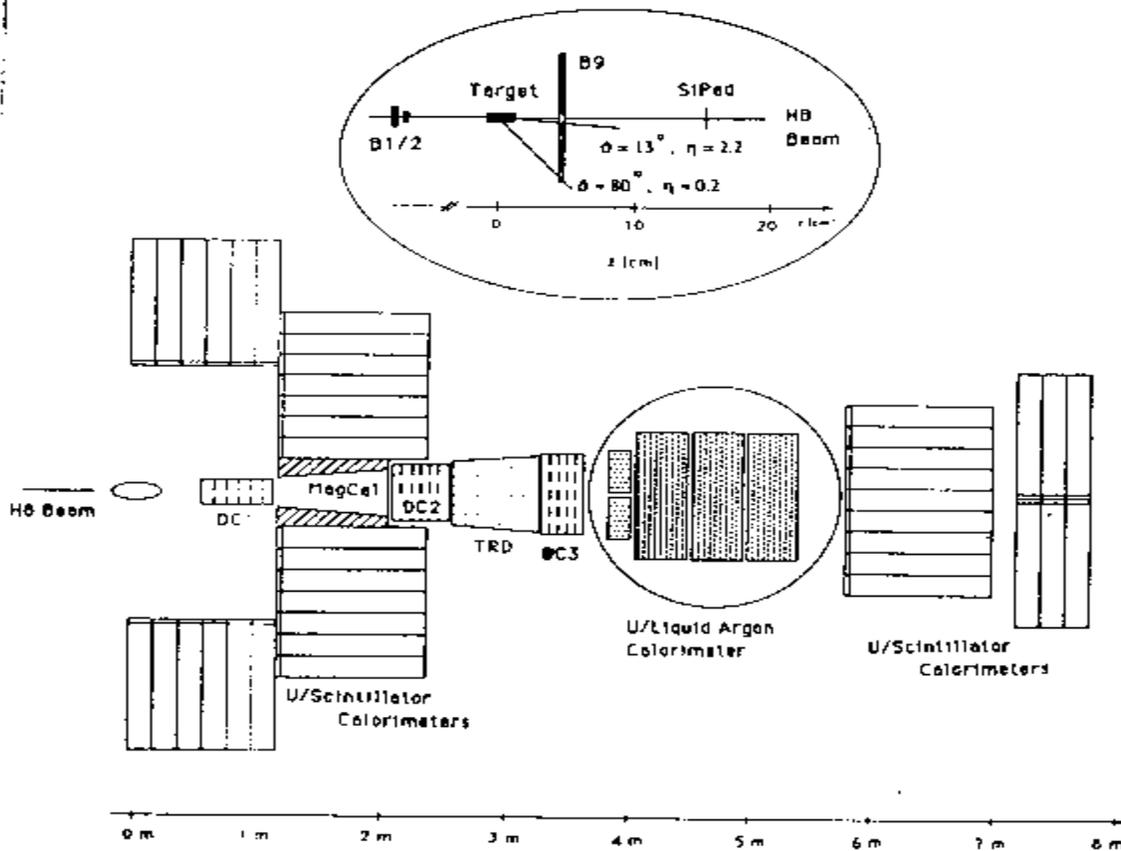
Define “flux” :

$$f_{P/p}(x_p, t) = \frac{d\mathbf{s} / dx_p dt}{\mathbf{s}(Pp \rightarrow X)}$$

See ie Ingelman & Bruni, Phys. Lett. B 311('93)317
diffractive W/Z production. Then:

$$\frac{d\mathbf{s}}{dx_p dt dx_1 dx_2} \propto f_{P/p}(x_p, t) \bullet f_{q/P}(x_1) \bullet f_{q/p}(x_2) \bullet \hat{\mathbf{s}}(q\bar{q} \rightarrow W/Z)$$

Diffraction Dissociation with p beam and Nuclear targets



Quality of measurements best for large t and M_x^2
Helios Expt at CERN

- t , x_F measured with forward tracking spectrometer
- t dependence same as in pp (ie $\sim e^{6t}$)
- M_x^2 and Target dependence not anticipated

Prior Measurements

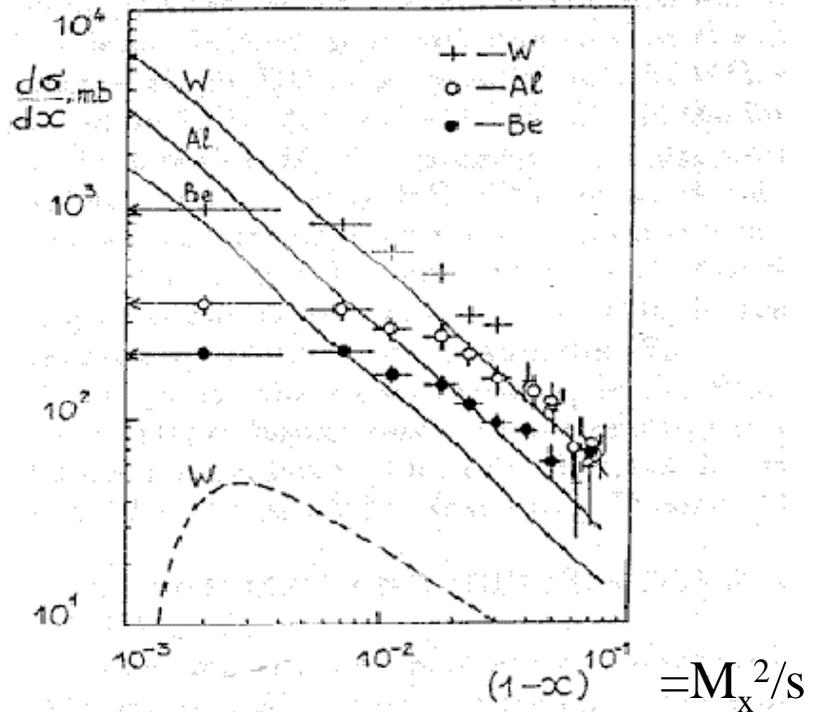
Helios at CERN

(pA->pX)

measured t, x

dependence

cp. MST, V.Zoller

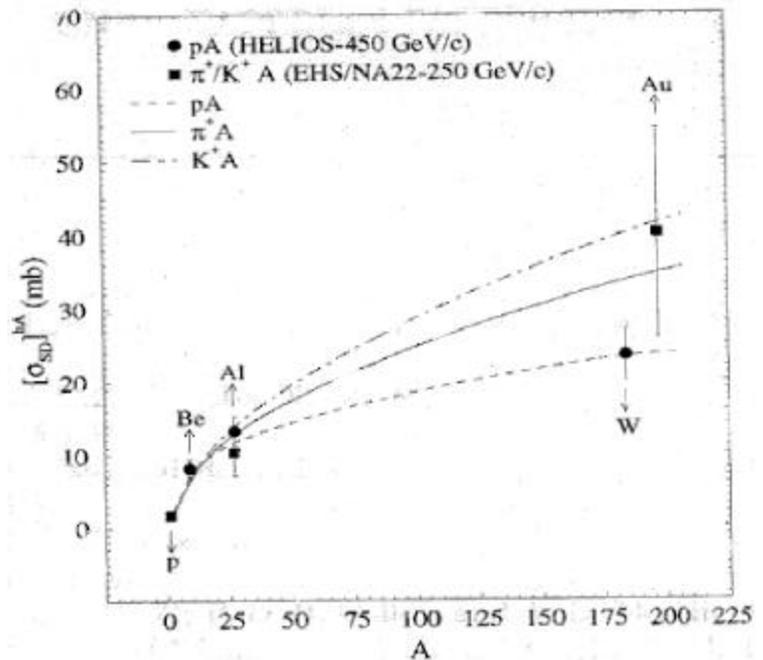


Helios + EHS, CERN

not simple $A^{2/3}$ dependence

Batista&Covolan

$$\cong \frac{S_{n=1}^{hA}}{S_{inel}^{hp}} S_{SD}^{hp}$$

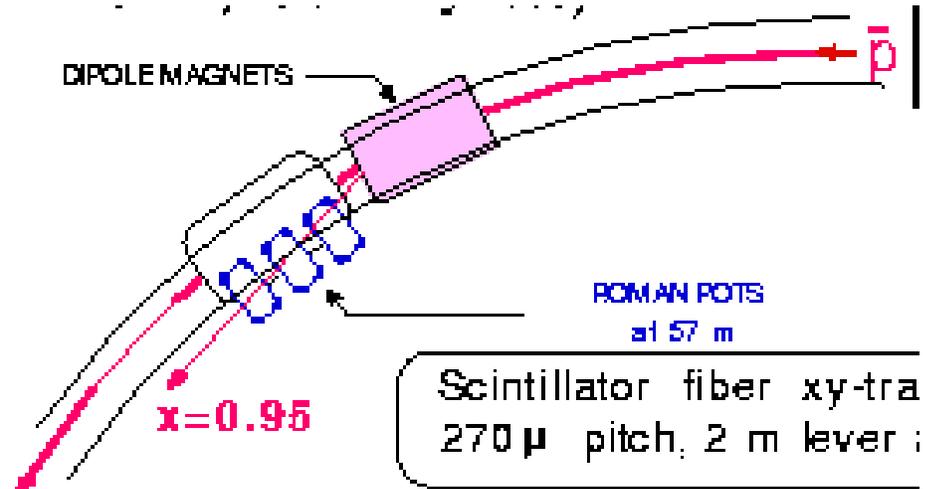


Collider Measurement at RHIC

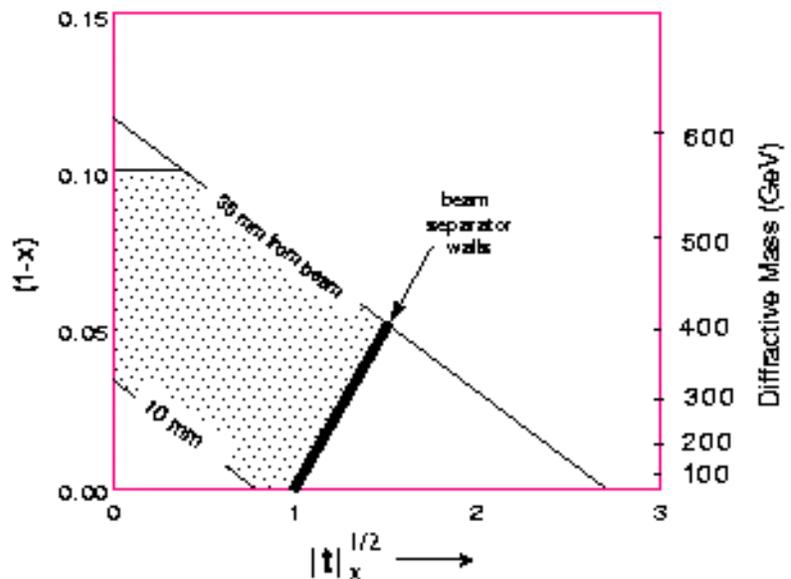
- Leading Particle Measurement

$$1-x = M^2/s$$

Roman Pots in bend plane

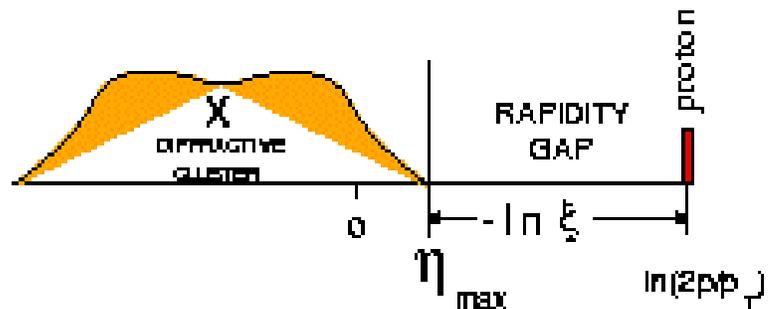


Detector acceptance: $(1-x)$ vs. $|t|_x^{1/2}$



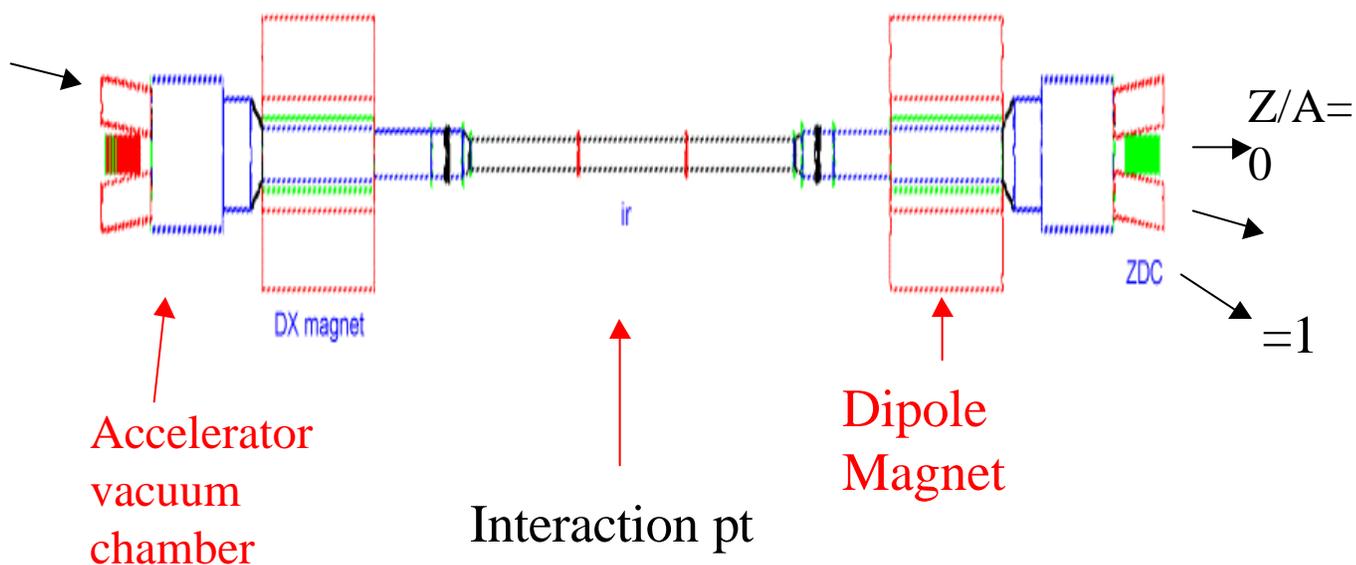
- Couples Acceptance in t, x

- Measure M^2/s from topology (gap method)

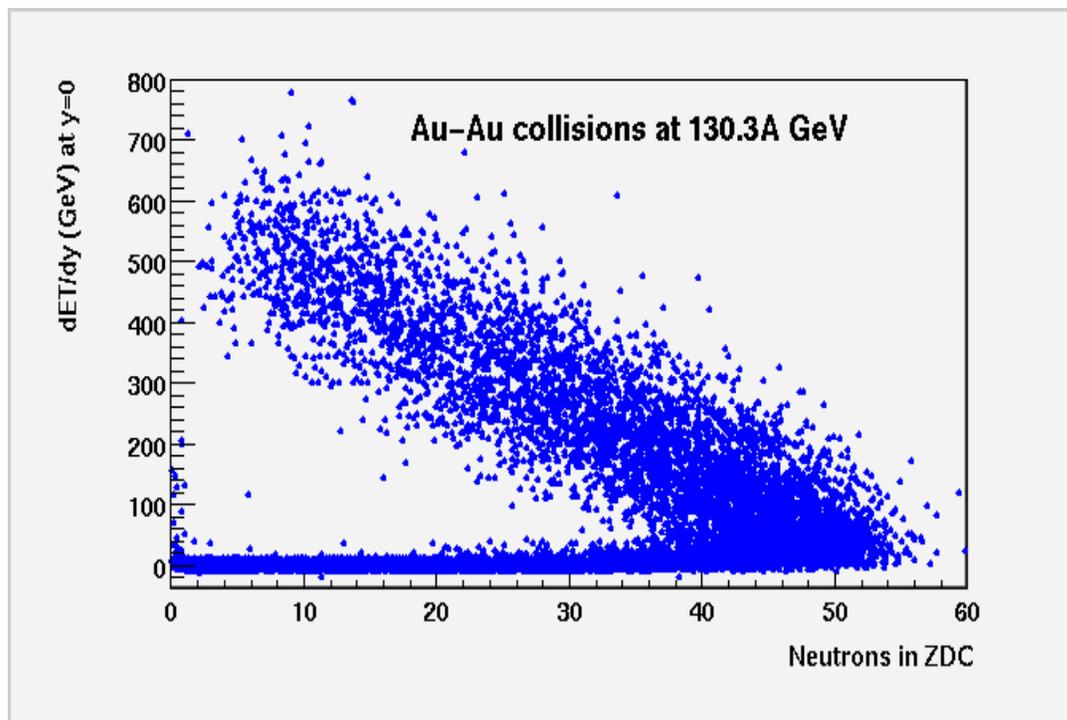


A-side tag

Zero Degree Cal.



Et vs ZDC
in AA
collisions



Oct.28,2000

Sebastian White- pA Workshop

Hard Diffraction @ RHIC

rapidity gap events pA- \rightarrow jets, heavy flavors J/Psi..

Rates :

1) “flux factor” $f'(x_P, t) \rightarrow f(x_P, t) \frac{S_{n=1}^{pA}}{S_{inel}^{pp}}$

2) cross sections $f_{q/P}(x_1) f_{q/A}(x_2)$

Luminosity measurement

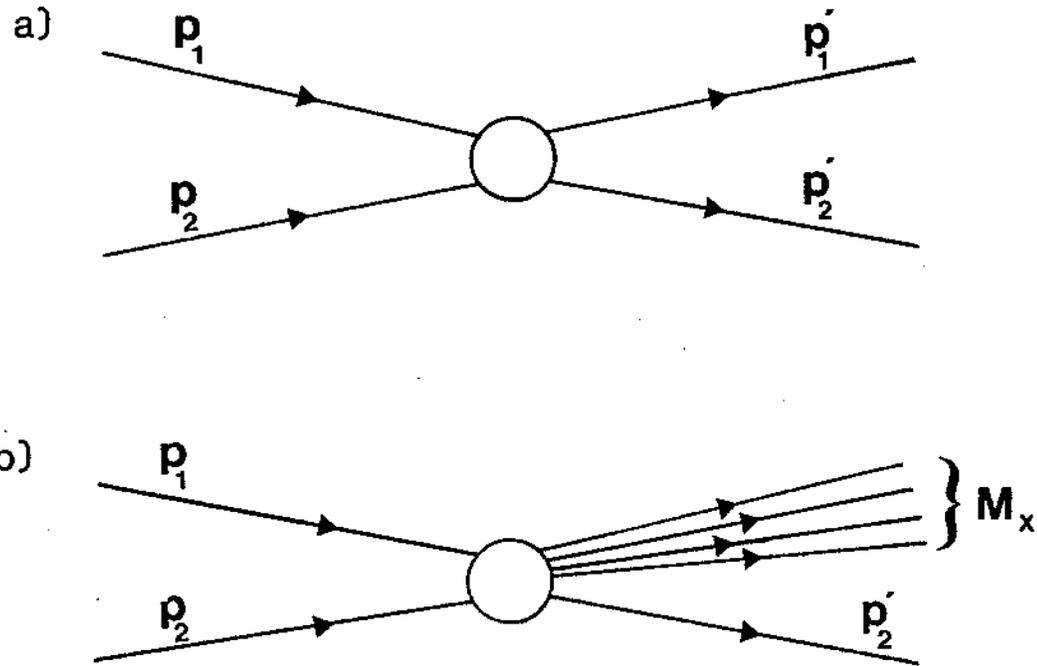
- Current Strategy with AA
 - pick 1(or 2) triggers as monitors
 - Measure rates
 - calculate $L(\sigma_{x,y}, N/\text{bunch})$
 - calibrate “ to $<5\%$
- luminosity for pp, pA
 - adopt second monitor(BBC)
 - calibrate from L_{accel}

RHIC Parameters

$$\sqrt{s} = 200 - 300 * \sqrt{A} * GeV$$

- $L_{pAU} * \sigma = 10^{29} * (10-30 * 10^{-27})$
 - Increases for lighter species
- p Spectrometer(pots) in x (bend plane)
- Collision Axis @ 3.8mr (100x100) a problem for A-side tags
- Prefer (100x250) solution

Kinematics(recoil technique, internal target)



$$t = -p_1 p_1' \sin^2 \mathbf{q} = -2m_2 T_2$$

$$M_X^2 - m_1^2 = 2p_1 \sqrt{t} \left(\cos \mathbf{q} - \frac{\sqrt{t}}{2m_2} \right)$$

$$p_1 = p_{beam}, m_2 = m_{target} = m_p$$

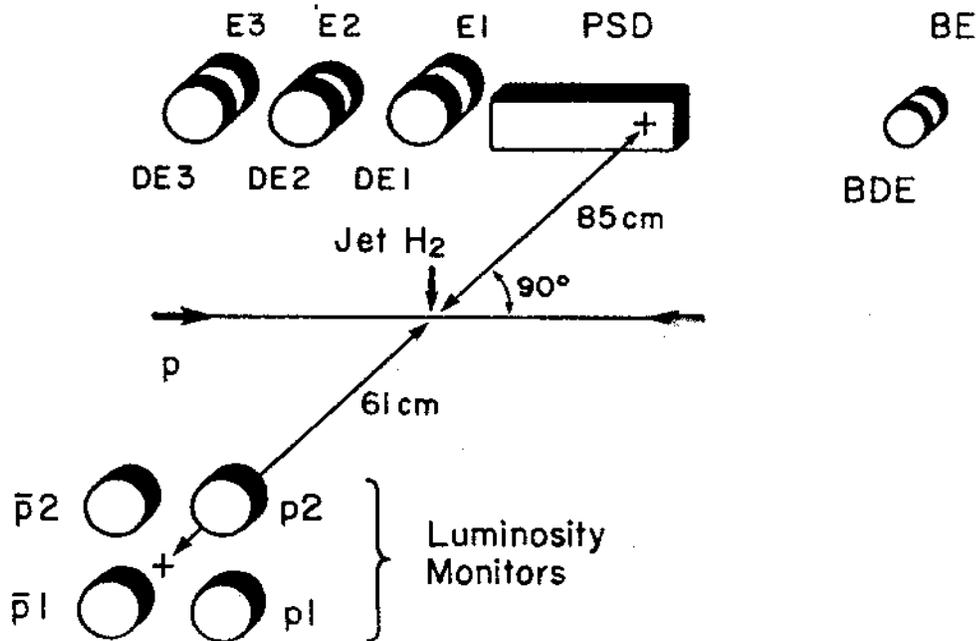
UA6 Experiment

SPSC/BC-33
SPSC/P 143
19 August 1980

PROPOSAL FOR THE STUDY OF e^+e^- , γ , π^0 AND HYPERON PRODUCTION IN $\bar{p}p$ REACTIONS AT $\sqrt{s} = 22.5$ GeV USING AN INTERNAL JET TARGET AT THE SPS

CERN¹-Lausanne²-Michigan³-Rockefeller⁴ Collaboration

J. Antille², R. Cool⁴, L. Dick³, G. Dukes³, J. Dworken³,
J.B. Jeanneret¹, G. Joseph², K. Jenkins⁴, W. Kubischta¹,
J.F. Leide², O.E. Overseth³, J.P. Perroud², J. Silverman⁴,
D. Steiner², X.T. Tran² and S. White*



Measured quantities:

let $t=.01$, then $T=.01/2/m_p = 5 \text{ MeV}$

$$\mathbf{q} = \cos^{-1} \left(\frac{\Delta M_X^2}{2 p_{beam} \sqrt{|t|}} + \frac{\sqrt{t}}{2 m_t} \right)$$

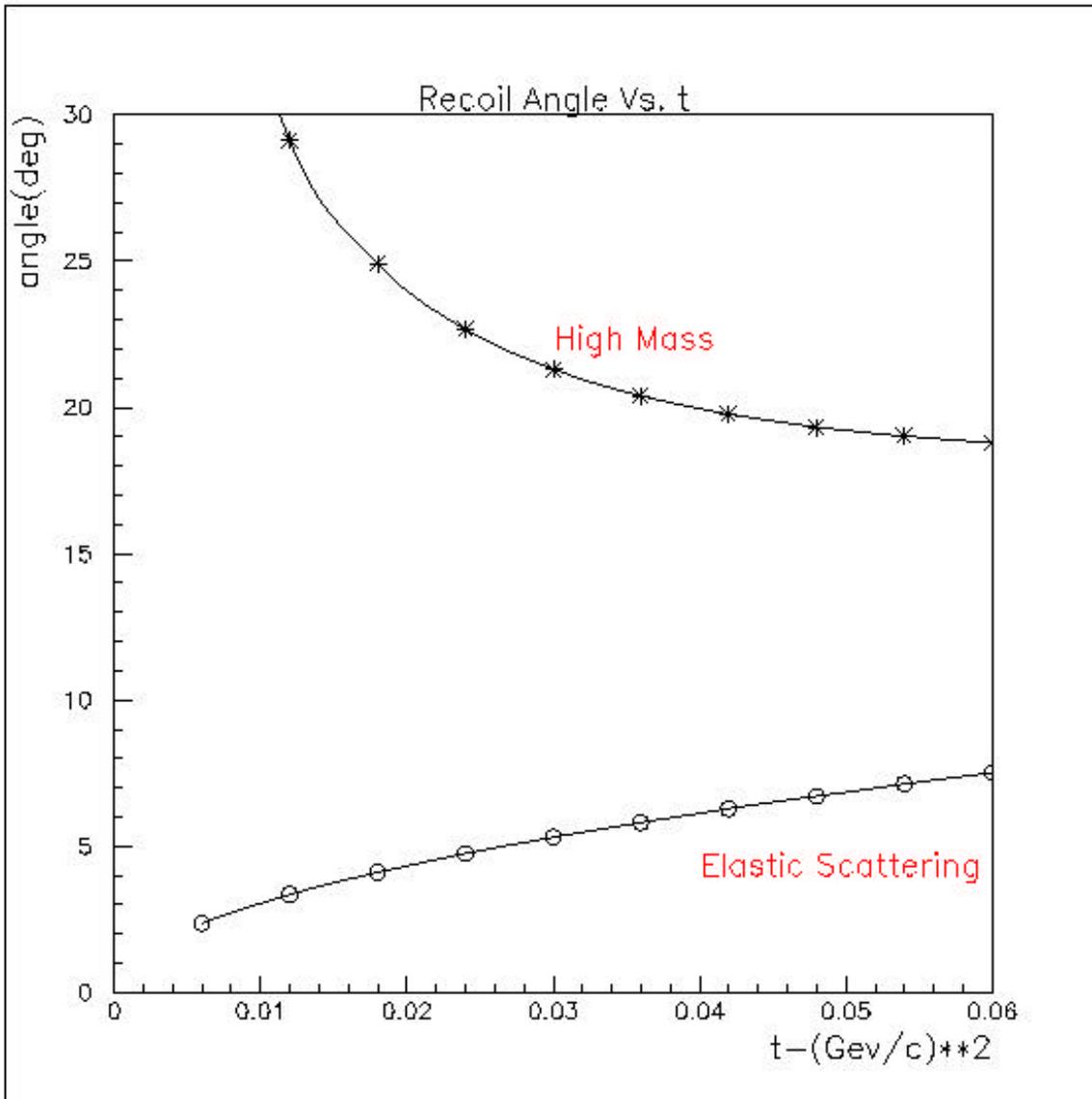
Measurement Errors:

$$\mathbf{d}(\Delta M_X^2) = \frac{\Delta M_X^2}{p_{beam}} * \mathbf{d}p_{beam}$$

$$\mathbf{d}(\Delta M_X^2) = \left| \frac{M_X^2}{2|t|} - \frac{1}{2} \frac{p_{beam}}{m_p} \right| * \mathbf{d}t$$

$$\mathbf{d}(\Delta M_X^2) = 2 p_{beam} \sqrt{t} \left(1 - \left(\frac{M_X^2}{2 p_b \sqrt{t}} + \frac{\sqrt{t}}{2 m_p} \right)^2 \right)^{1/2} * \mathbf{d}q$$

Recoil Angle = $\theta - 90$ deg

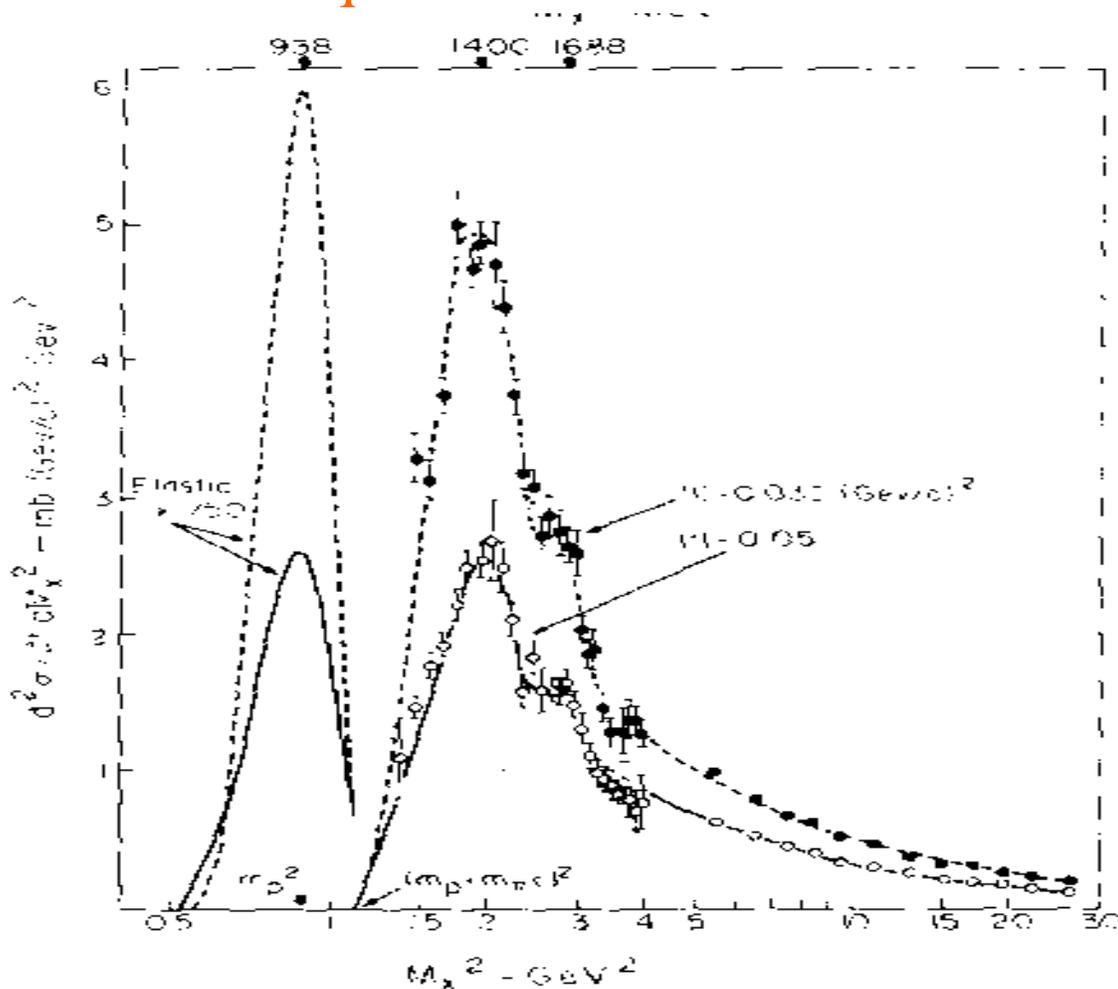


Oct.28,2000

Sebastian White- pA Workshop

Recoil Mass resolution with a 0.8 cm long Jet and typical(100keV) resolution of Solid State detectors sufficient to separate Elastic and Single diffractive.

Leading Particle Mass spectrum measured with Recoil technique:



Luminosity, rates w. H₂ jet

$$L_{pA} = r_{jet} \bullet l_{jet} \bullet N_A \bullet n_{rev}$$

$$3 \bullet 10^{11} \text{ cm}^{-3} \rightarrow 3 \bullet 10^{14}$$

$$10^9 \rightarrow 2 \bullet 10^{11} \text{ Particles/bunch}$$

- With Molecular(dense) jet $L_{pp} \sim 3 \bullet 10^{32}$, Counting rates typically 10 Hz/ detector in UA6 design
- With Ion beams rates lower by factor of 10-100 than for pp
- Rates 3 orders of magnitude lower with polarized jet.

Summary

- pA@RHIC significant increase in E, access to hard diffraction with nuclei
- detailed measurement of $(1-x)_A$ dependence with internal target
- Nuclear Diffraction Dissociation with LPS w. similar parameters to Tevatron
 - forward tracking in horizontal plane
- Proton Diffraction on A by rapidity gaps