

# Charmonium dissociation and heavy quark screening from lattice QCD

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- Deconfinement, screening and asymptotic freedom
  - Heavy quark free energies:  $\bar{q}q$  and  $qq$  systems
  - screening vs. string breaking
- Potential models for quarkonium
  - input from LGT: energy vs. free energy
  - sequential suppression pattern?
- Spectral functions
  - (directly produced)  $J/\psi$  exist well above  $T_c$
- Charmonium in heavy ion collisions
  - sequential suppression pattern may be the smoking gun

# Heavy quark free energies: Testing $\bar{q}q$ interactions in matter

- Static quark and anti-quark sources in a thermal heat bath
  - change in free energy due to presence of external sources

L.G. McLerran, B. Svetitsky, Phys. Rev. D24 (1981) 450

$$e^{-F_{\bar{q}q}(r,T)/T} = \frac{1}{9} \langle \text{Tr} L_{\vec{x}} \text{Tr} L_0^\dagger \rangle$$

- asymptotic freedom, screening, string breaking

singlet free energy

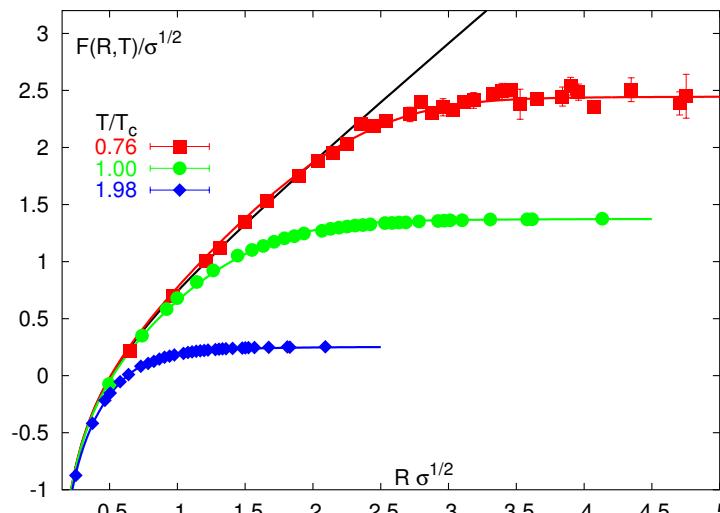
in 2-flavor QCD

( $m_q/T = 0.4$ )

O.Kaczmarek, F. Zantow;  
hep-lat/0503017

similar:

P.Petreczky, K. Petrov  
hep-lat/0405009



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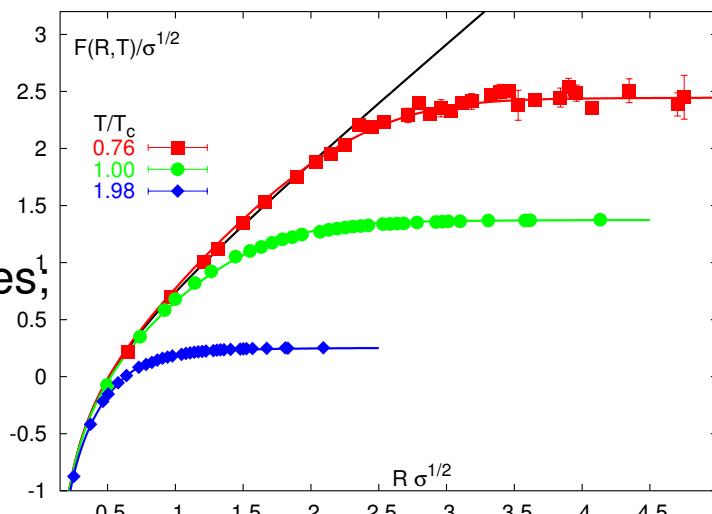
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asymptotic freedom;  
screening at short distances;  
 $F(r, T) \sim \text{const.}$   
for  $r \lesssim r_{af}$ ,  $T \gtrsim 2T_c$



$T \lesssim 0.75 T_c$ :  
**string breaking**  
 $F(r, T) \simeq V(r, T = 0)$

$T \simeq T_c$ :  
**screening** sets in at  
 $r \simeq 0.3$  fm;  
significant r-dep. upto  
 $r \simeq 1$  fm  $T \gtrsim 2 T_c$ :

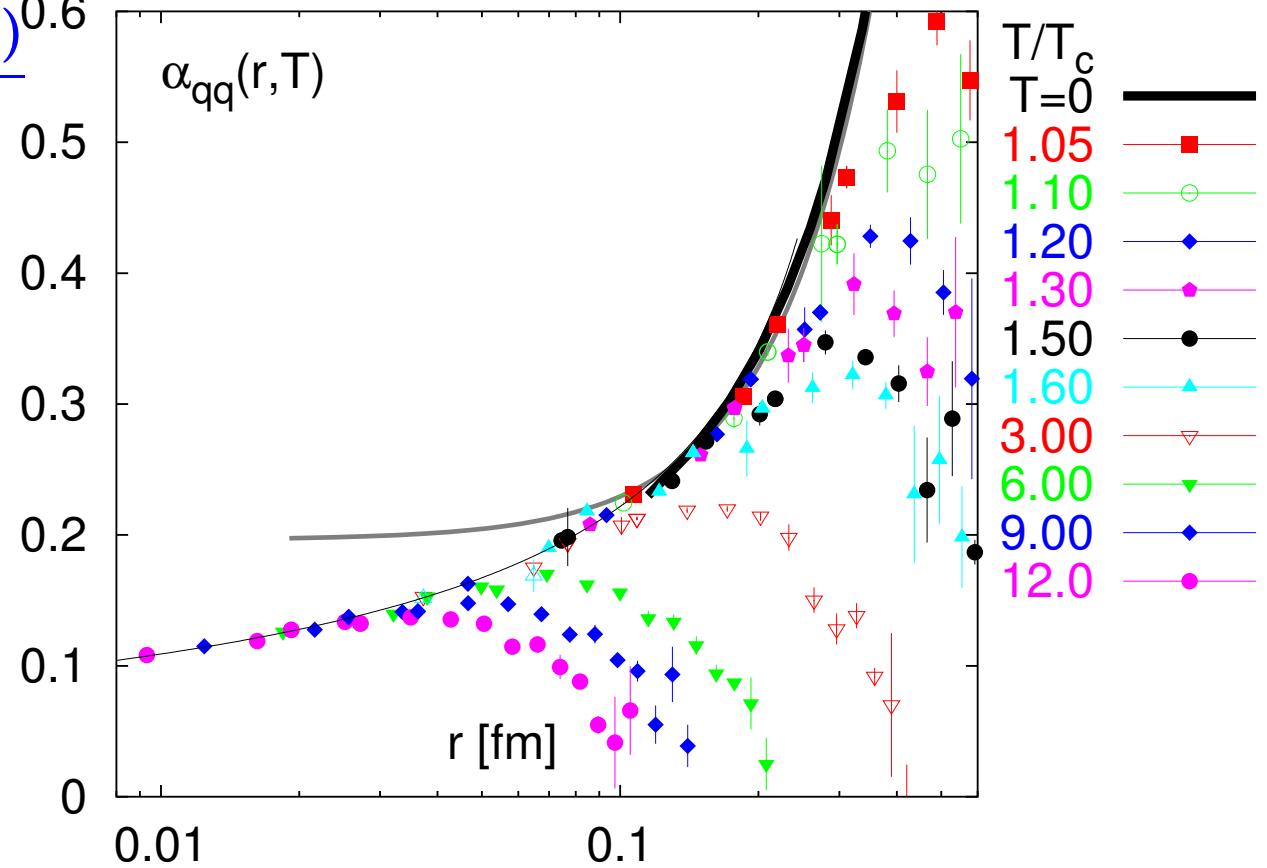
# Singlet free energy and asymptotic freedom

pure gauge: O.Kaczmarek, FK, P. Petreczky, F. Zantow, PRD70 (2005) 074505

2-flavor QCD: O.Kaczmarek, F. Zantow, Phys. Rev. D71 (2005) 114510

- singlet free energy defines a running coupling:

$$\alpha_{\text{eff}} = \frac{3r^2}{4} \left( \frac{dF_1(r, T)}{dr} \right)^{0.6}$$



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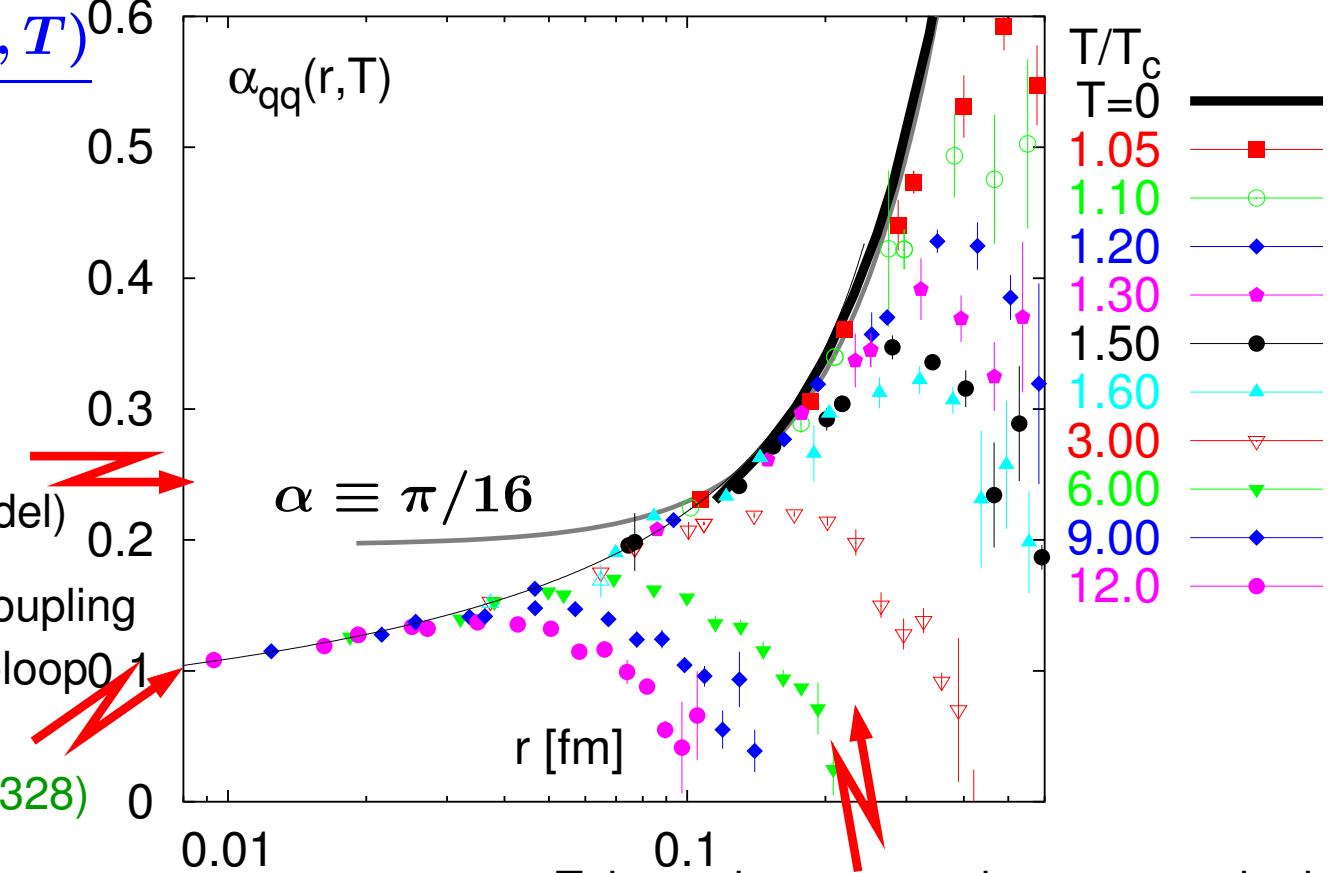
Coulomb term (string model)

short distance: running coupling

$\alpha(r)$  from ( $T = 0$ ), 3-loop

(S. Necco, R. Sommer,

Nucl. Phys. B622 (2002) 328



- short distance physics  $\Leftrightarrow$  vacuum physics

T-dependence starts in non-perturbative regime for  $T \lesssim 3 T_c$

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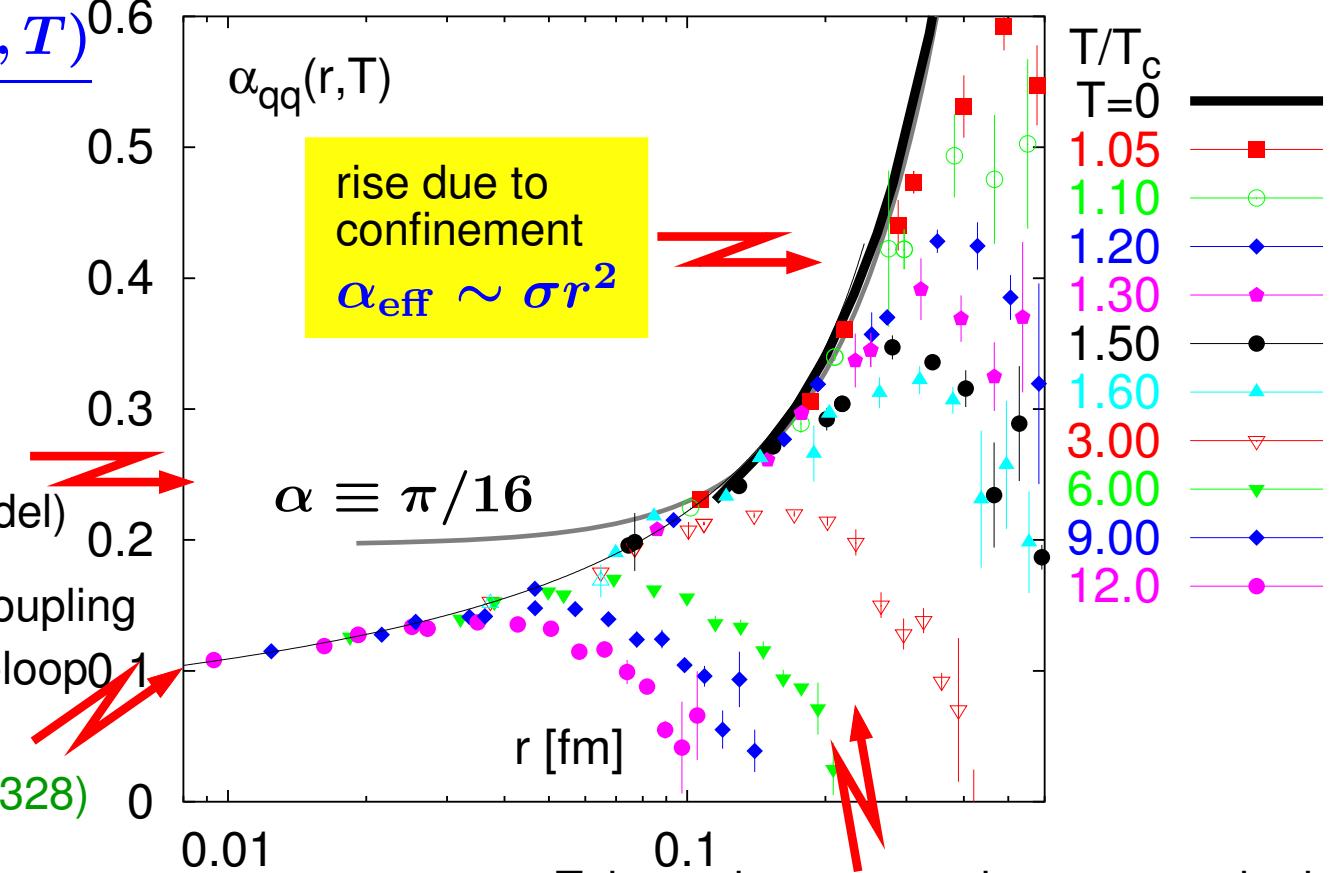
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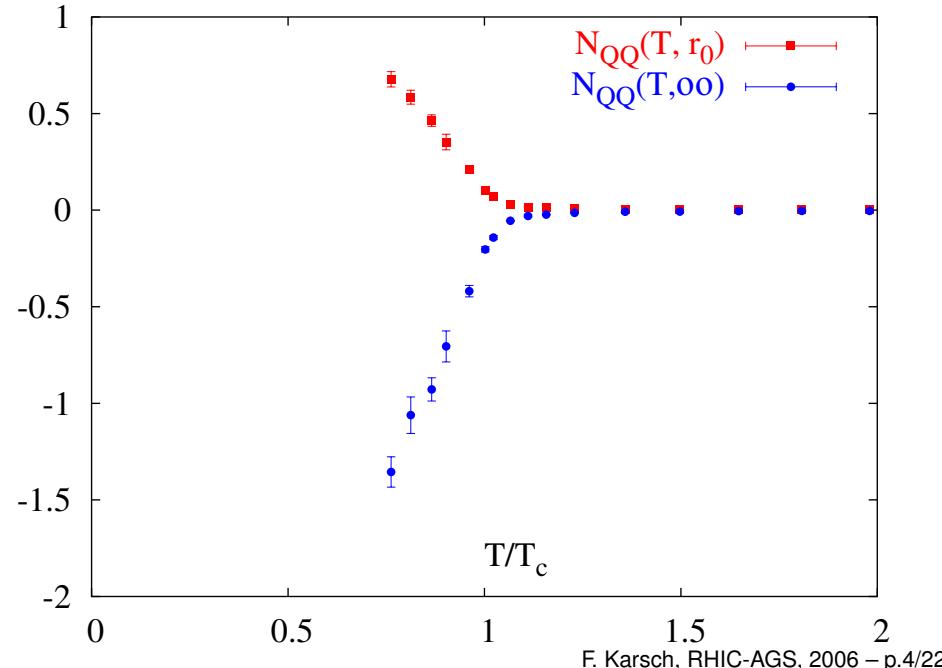
# String breaking and screening

## Does a heavy quark bind a light (anti) quark?

- Static quark-quark source in a thermal heat bath
  - triality = 0: medium provides additional quark or 2 anti-quarks
- average quark number in the presence of two static quark sources

$$Z_{qq}(T, \mu, r) = \int dU \text{Tr} L_0 \text{Tr} L_r \det Q(m_q, \mu) e^{-\beta S_G}$$

$$N_{qq}(T, r) = \frac{\partial \ln Z_{qq}(T, \mu, r)}{\partial \mu/T} \Big|_{\mu=0}$$



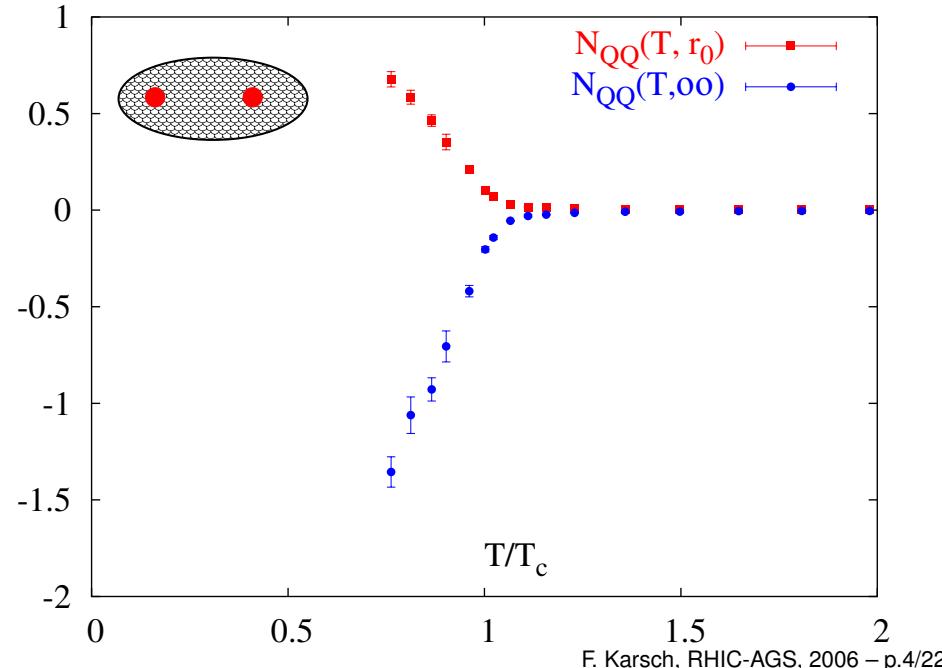
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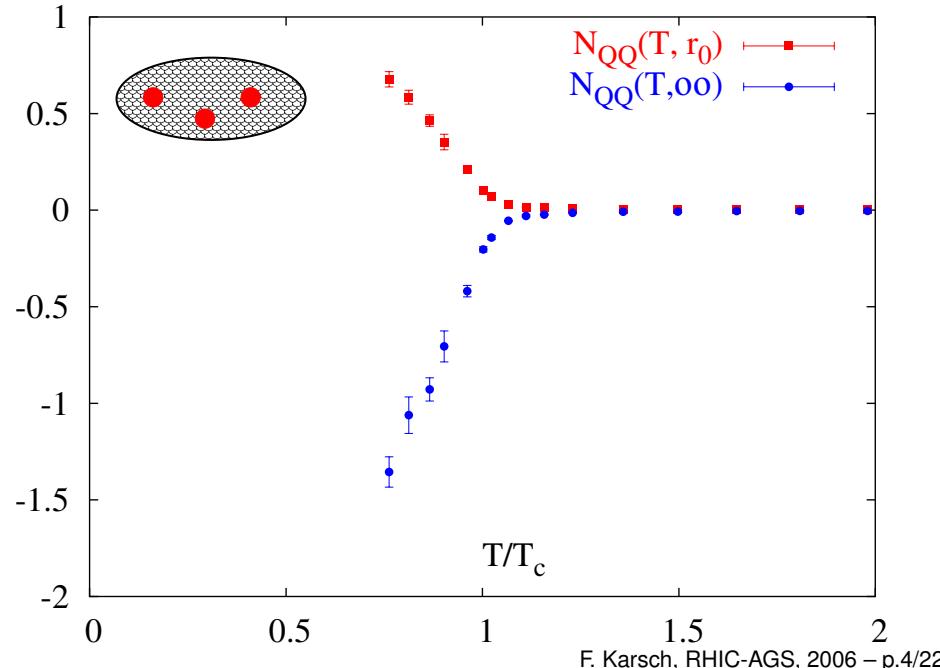
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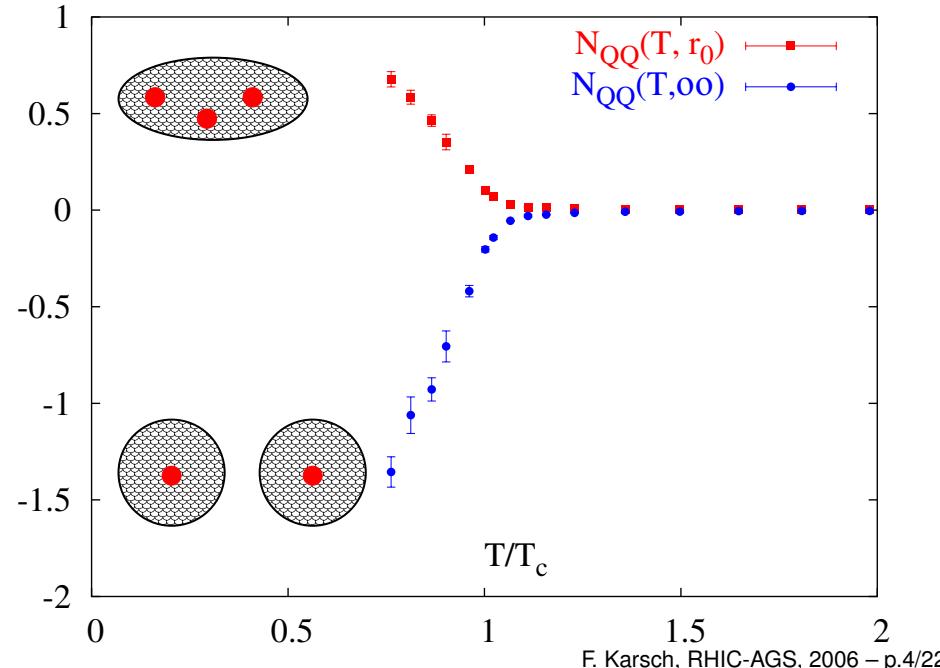
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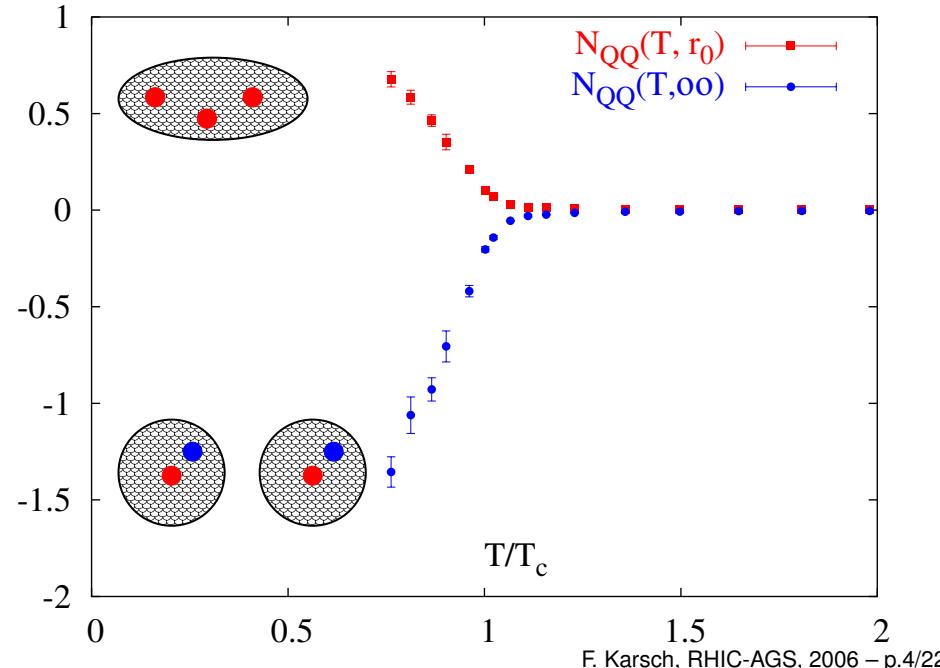
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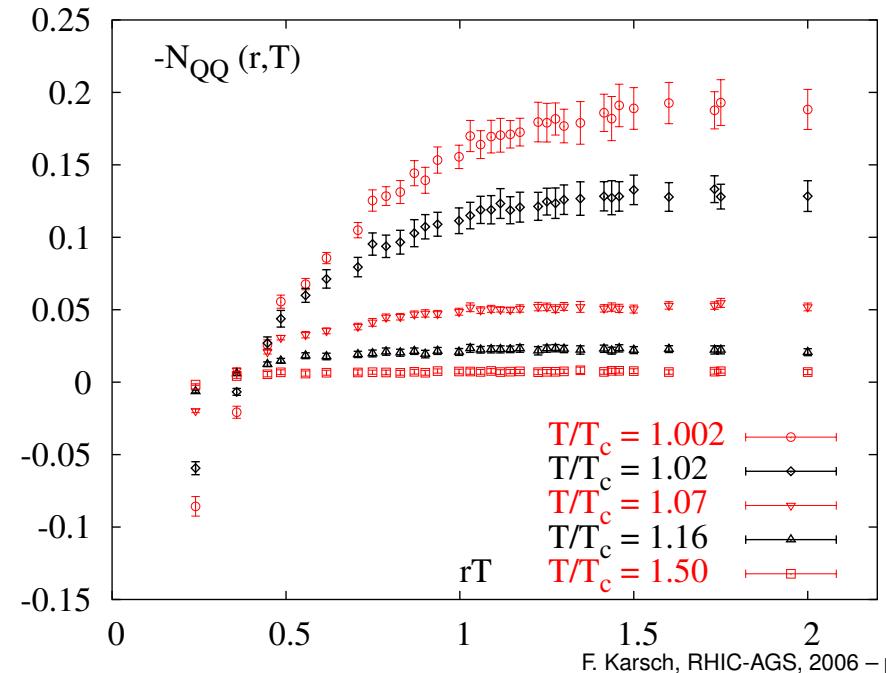
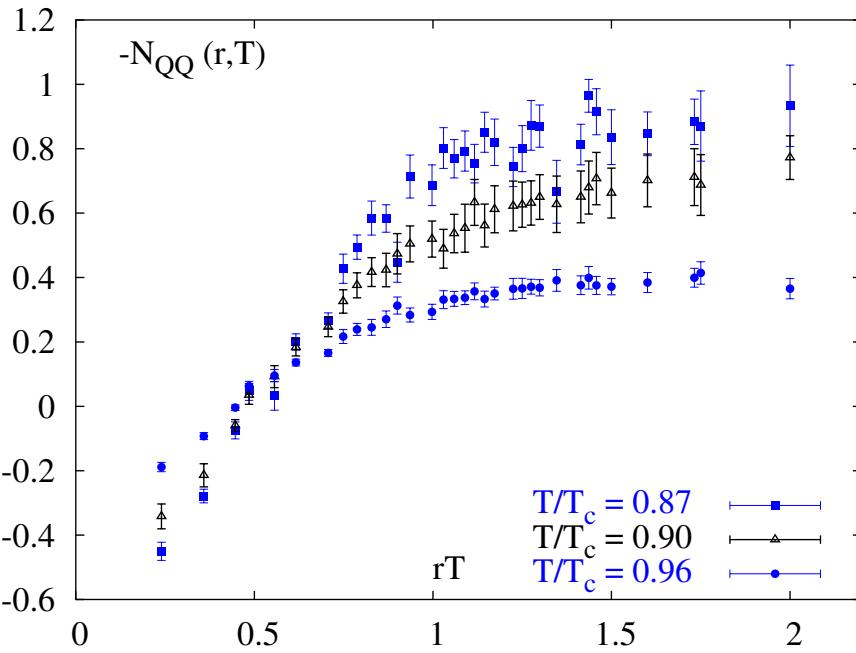


# String breaking and screening

## Does a heavy quark bind a light (anti) quark?

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- $N_{qq}(r, T)$  depends on separation between static quark-quark source
- $r = r_{b/s} \simeq 0.5/T$ :  
screening changes from  $q$ -dominated to  $\bar{q}\bar{q}$ -dominated
- $T \gtrsim 1.1T_c$ : presence of  $q$  or  $\bar{q}\bar{q}$  not important for screening



# From heavy quark free energies to heavy quark potentials

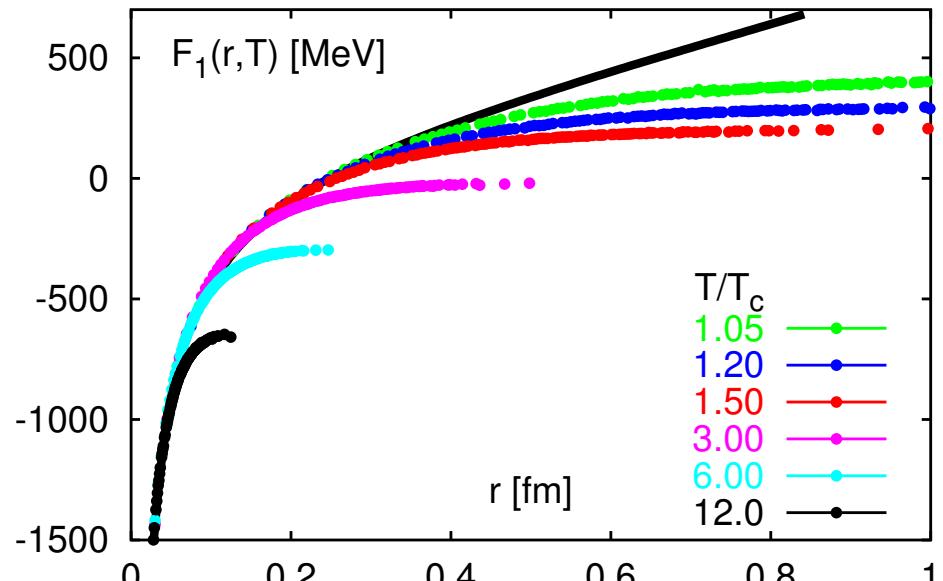
$$\lim_{T \rightarrow \infty} F(r, T) = -\infty !!$$

N

$$F = U - T \cdot S$$

N

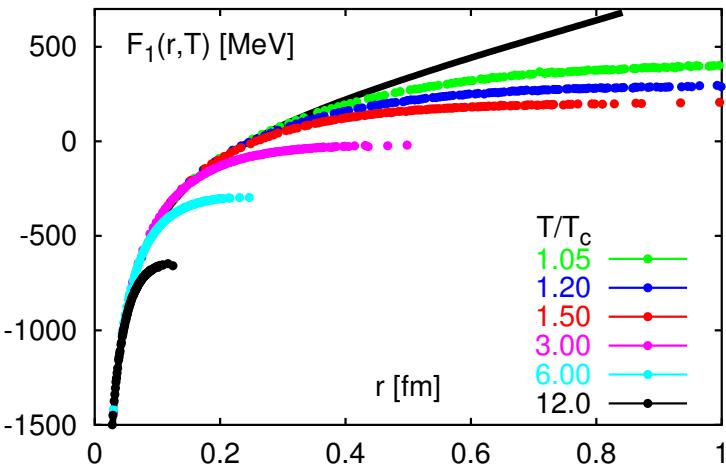
$$U(r, T) = -T^2 \frac{\partial F(r, T)/T}{\partial T} , \quad S(r, T) = -\frac{\partial F(r, T)}{\partial T}$$



- reconstruct energies from free energies;
- approximate derivatives through finite differences at  $T_1$ ,  $T_2$  and fixed  $r$
- requires good control over scaling behaviour of the cut-off "a" (complicated!)

# From heavy quark free energies to heavy quark potentials

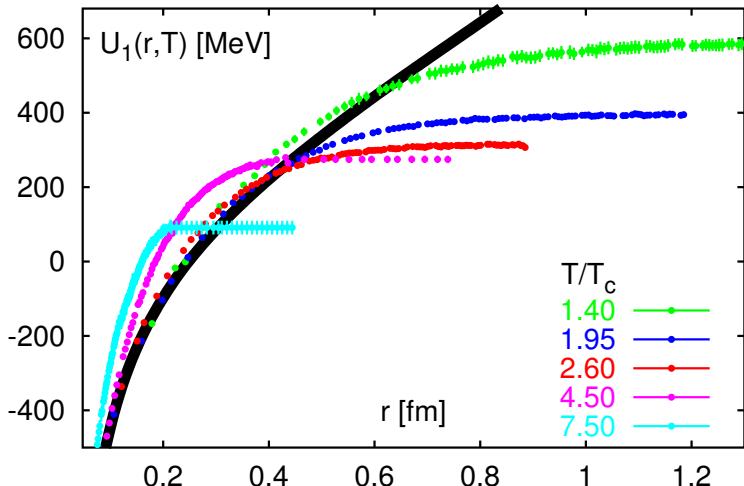
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i) singlet free energy

$$\exp(-F_1(r, T)/T) = \frac{1}{3} \langle \text{Tr} L_{\vec{x}} L_0^\dagger \rangle$$

(Coulomb gauge)

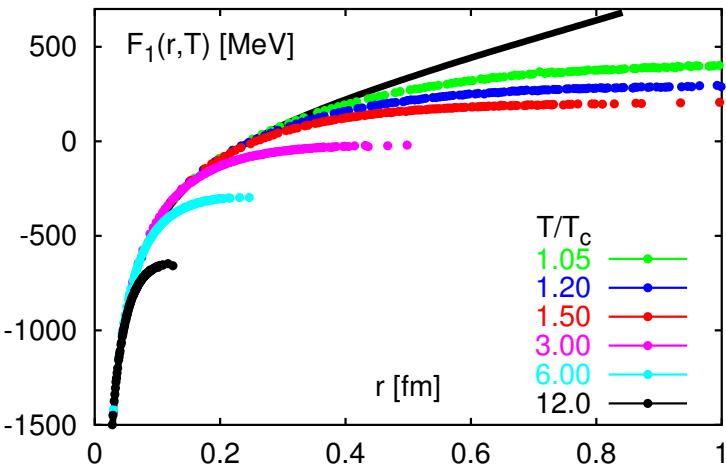


ii) singlet energy  $\Leftrightarrow$  "potential" energy

$$U_1(r, T) \equiv -T^2 \frac{\partial F_1(r, T)/T}{\partial T}$$

- potential is "deeper":  $U(r, T) > F(r, T)$
- potential "barrier" high also well above  $T_c$
- "potential" screened at short distances

# From heavy quark free energies to heavy quark potentials

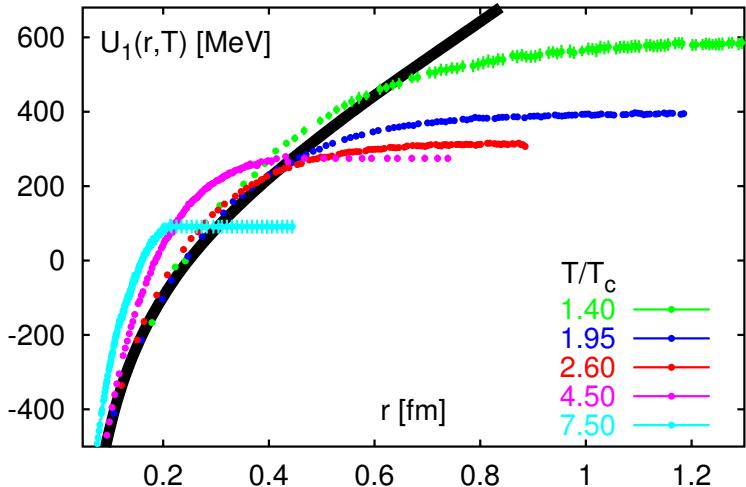


i) singlet free energy

NOTE:

$F_{\bar{q}q}(r, T)$  decreases with increasing  $T$   
and fixed  $r$   $\Rightarrow$  positive entropy

$$S = - \left( \frac{\partial F}{\partial T} \right)_V \geq 0$$

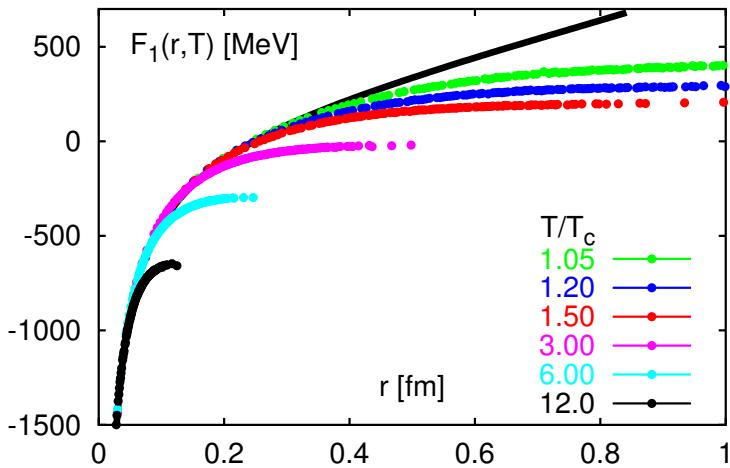


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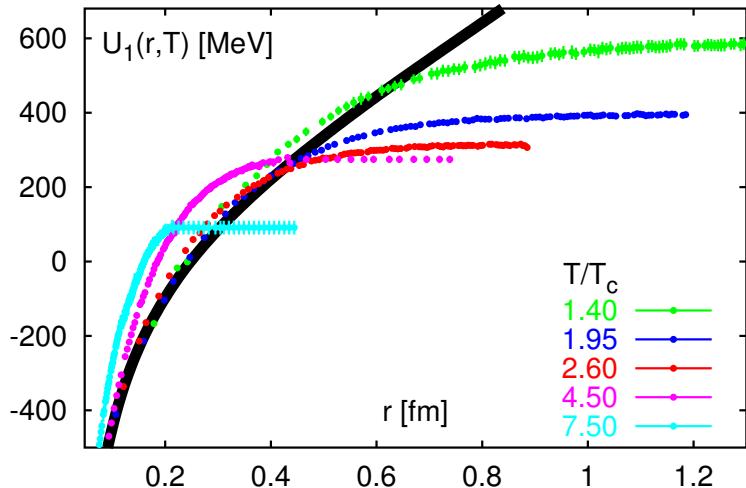
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$$F_1(\infty, 1.4T_c) \simeq 200 \text{ MeV}$$

$$U_1(\infty, 1.4T_c) \simeq 600 \text{ MeV}$$

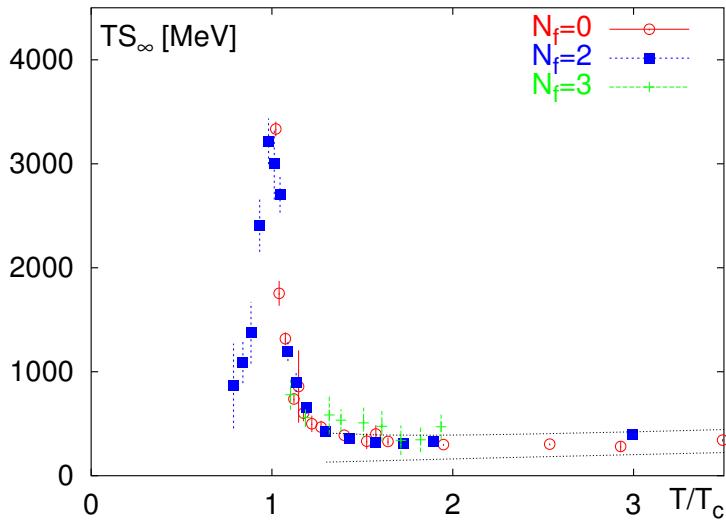


ii) singlet energy  $\Leftrightarrow$  "potential" energy

When do heavy quark bound states  
really disappear?

- i) neither  $U_1$  nor  $F_1$  are "potentials"
- ii) potential models are MODELS!

# Screening of heavy quark free energies at large distance

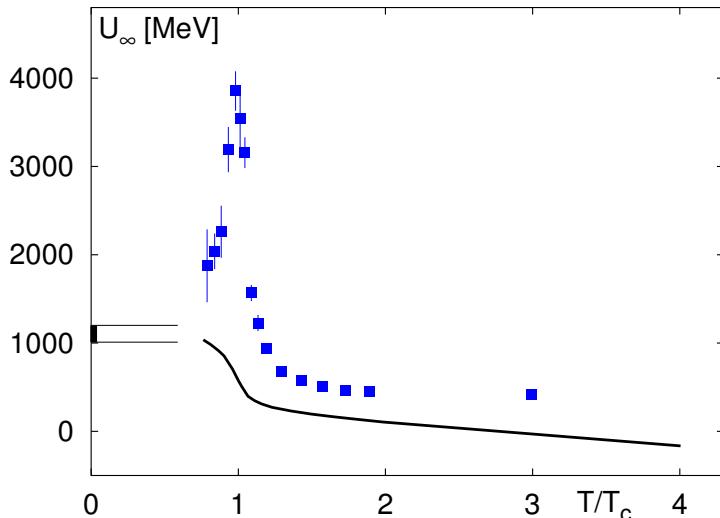


Excess entropy at  $r \rightarrow \infty$

It's all in the glue:

$$T \lesssim T_c: S_{\bar{q}q}^{nf=2}(\infty, T) \simeq S_{\bar{q}q}^{nf=0}(\infty, T)$$

$$\Delta(\text{Entropy})/\text{Quark} \sim 15$$



Energy needed to screen 2 quarks

Large increase of energy close to  $T_c$

Why not simply create another  $\bar{q}q$  pair?

large entropy in the glue rearrangement  
compensates for higher energy!!

# Heavy quark bound states from Schrödinger-Equation

---

- Schrödinger equation for heavy quarks:

$$\left[ 2m_a + \frac{1}{m_a} \nabla^2 + V_1(r, T) \right] \Phi_i^a = M_i^a(T) \Phi_i^a \quad , \quad a = \text{charm, bottom}$$

- T-dependent color singlet heavy quark potential mimics in-medium modification of  $q\bar{q}$  interaction
- reduction to 2-particle interaction clearly too simple, in particular close to  $T_c$

- recent analyses:

using  $F_1$ : S. Digal, P. Petreczky, H. Satz, Phys. Lett. B514 (2001) 57;

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state	$J/\psi$	$\chi_c$	$\psi'$	$\Upsilon$	$\chi_b$	$\Upsilon'$	$\chi'_b$	$\Upsilon''$
$E_s^i$ [GeV]	0.64	0.20	0.05	1.10	0.67	0.54	0.31	0.20
$T_d/T_c$	1.1	0.74	0.1 - 0.2	2.31	1.13	1.1	0.83	0.74
$T_d/T_c$	$\sim 2.0$	$\sim 1.1$	$\sim 1.1$	$\sim 4.5$	$\sim 2.0$	$\sim 2.0$	—	—

$U_1$  leads to dissociation temperatures consistent with spectral function analysis

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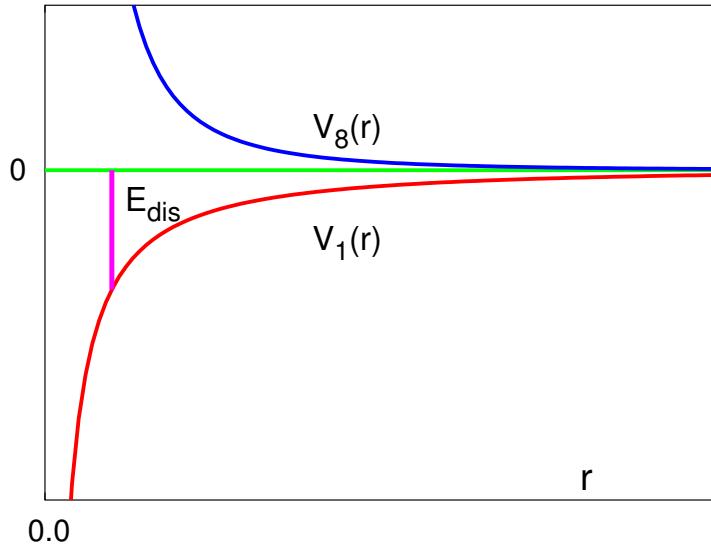
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- collision with thermal gluons,  $\langle p \rangle \sim 3 T$  can lead  
to earlier dissociation:  $dn_{J/\psi}/dt = -n_g \langle \sigma_{dis} \rangle$

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# Heavy quark bound states from Schrödinger-Equation



collisional dissociation

D. Kharzeev, H. Satz, PL B334 (1994) 155



$$T = 1.1 T_c : E_{dis,\chi} \simeq 50 \text{ MeV}$$

$$E_{dis,J\psi} \simeq 500 \text{ MeV}$$

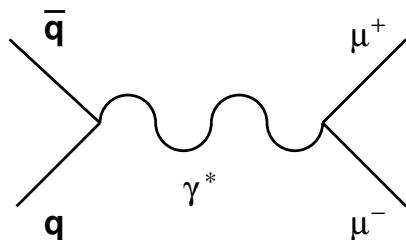
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# Spectral functions and Dilepton rates

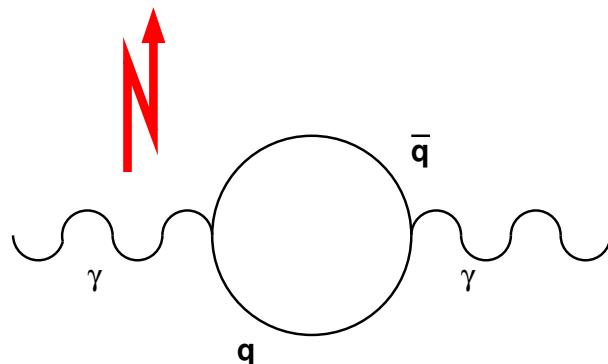
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Thermal dilepton rate and **vector spectral function**



L.D. McLerran, T. Toimela, PR D31 (85) 545.

$$\text{rate} \sim |q\bar{q} \rightarrow \gamma^*|^2 \cdot |l^+ l^- \rightarrow \gamma^*|^2$$



photon self-energy  
 $\Updownarrow$   
propagation of a  $q\bar{q}$ -pair with  
the quantum numbers of a vector meson

**spectral representation of dilepton rate**

$$\frac{dW}{d\omega d^3p} = \frac{5\alpha^2}{27\pi^2} \frac{1}{\omega^2(e^{\omega/T} - 1)} \sigma_V(\omega, \vec{p}, T)$$

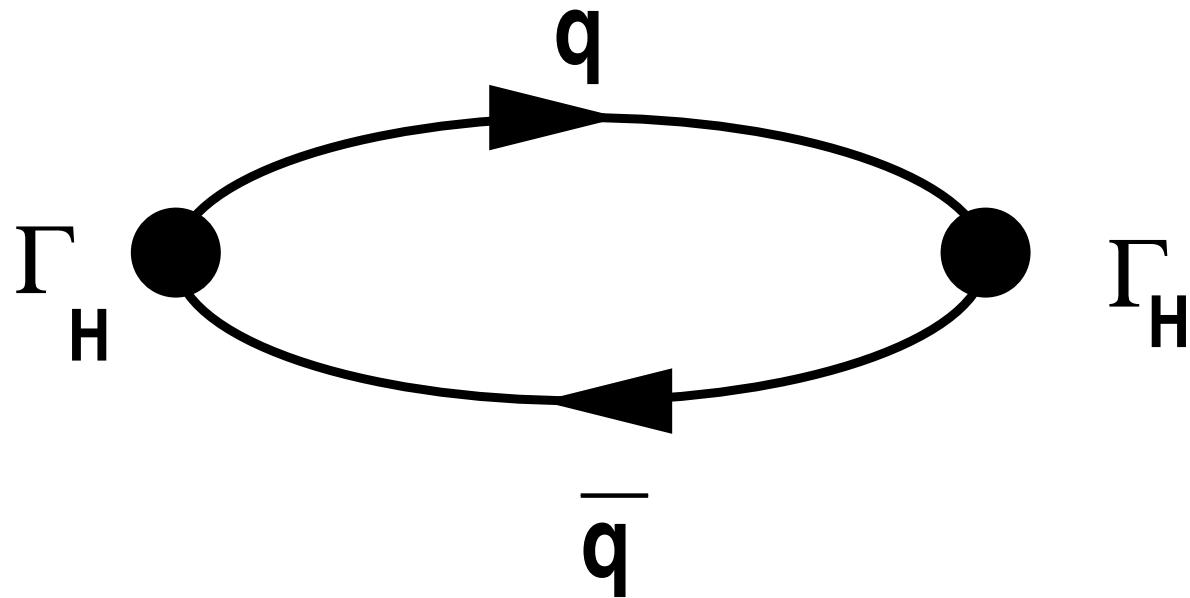


# Thermal meson correlation functions and spectral functions

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Thermal correlation functions: 2-point functions which describe propagation of a  $\bar{q}q$ -pair

spectral representation of correlator  $\Rightarrow$  in-medium properties of hadrons;  
thermal dilepton (photon) rates



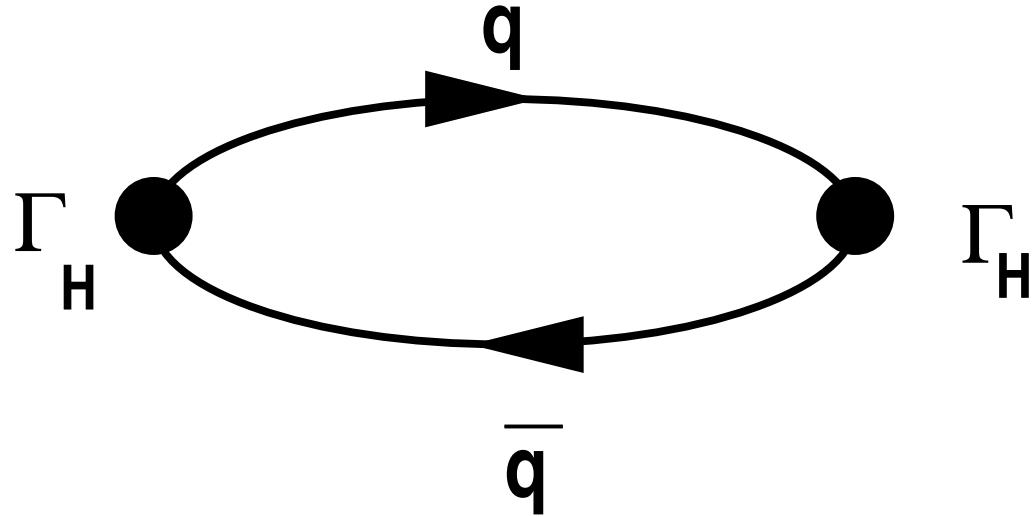
$$G_H^\beta(\tau, \vec{r}) = \langle J_H(\tau, \vec{r}) J_H^\dagger(0, \vec{0}) \rangle; \quad J_H(\tau, \vec{r}) = \bar{q}(\tau, \vec{r}) \Gamma_H q(\tau, \vec{r})$$

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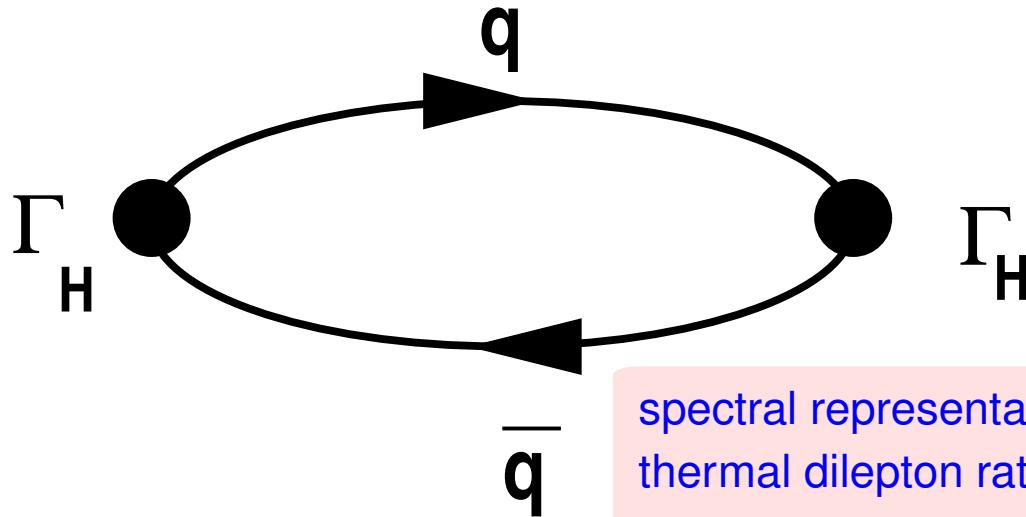


spectral representation of  
Euclidean correlation functions

$$G_H^\beta(\tau, \vec{r}) = \int_0^\infty d\omega \int \frac{d^3 \vec{p}}{(2\pi)^3} \sigma_H(\omega, \vec{p}, T) e^{i\vec{p}\vec{r}} \frac{\cosh(\omega(\tau - 1/2T))}{\sinh(\omega/2T)}$$

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# Thermal correlation functions for hadronic excitations in QCD

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thermal modifications of the hadron spectrum is encoded in **finite temperature**

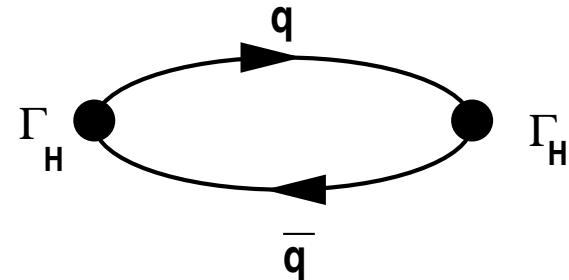
## Euclidean correlation functions

- hadronic (mesonic) currents, composite  $q\bar{q}$ -operators

$$J_H = \bar{\psi}(\tau, \vec{r}) \Gamma_H \psi(\tau, \vec{r})$$

$$G_H^\beta(\tau, \vec{r}) \equiv \langle J_H(\tau, \vec{r}) J_H^\dagger(0, \vec{0}) \rangle_\beta$$

- quantum numbers ( $H$ ) fixed through  $\Gamma_H$ :



state	$J^{PC}$	$\Gamma_H$	$(u, d)$ -states	$c\bar{c}$ -states	$b\bar{b}$ -states
scalar $^3P_0$	$0^{++}$	1	$\sigma$	$\chi_{c0}$	$\chi_{b0}$
pseudo-scalar $^1S_0$	$0^{-+}$	$\gamma_5$	$\pi$	$\eta_c$	$\eta_b$
vector $^3S_1$	$1^{--}$	$\gamma_\mu$	$\rho$	$J/\psi$	$\Upsilon$
axial-vector $^3P_1$	$1^{++}$	$\gamma_\mu \gamma_5$	$\delta$	$\chi_{c1}$	$\chi_{b1}$

- so far all studies have been performed in quenched QCD (reasonable) with Wilson fermions (poor resolution at high energies)

# Euclidean two-point functions: $T > 0$

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thermal averages over states

- Hamiltonian  $\hat{H}$ ; temperature  $T \equiv \beta^{-1}$ ;

partition function  $Z(\beta) = \text{Tr } e^{-\beta \hat{H}}$ ; expectation values  $\langle O \rangle_\beta = \frac{1}{Z(\beta)} \text{Tr } O e^{-\beta \hat{H}}$

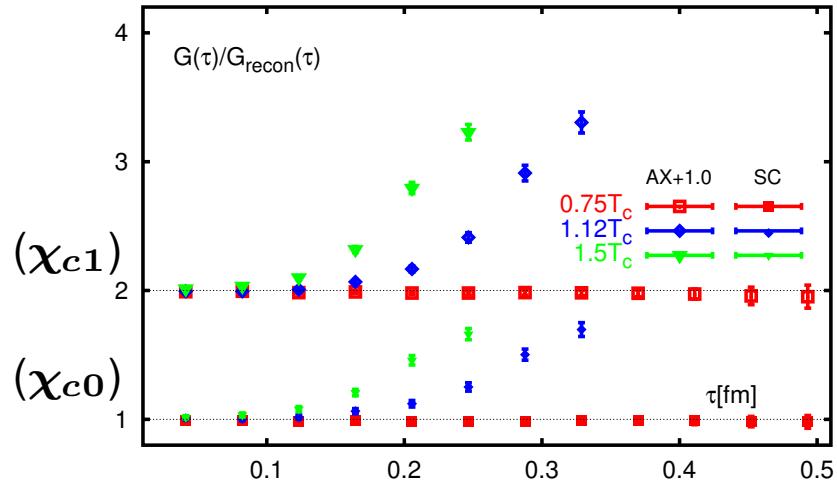
$$\begin{aligned} G_\phi^\beta(\tau) &\equiv \langle 0 | \hat{\phi}^\dagger(\tau) \hat{\phi}(0) | 0 \rangle_\beta \\ &= \frac{1}{Z(\beta)} \sum_{k,l} |\langle l | \hat{\phi} | k \rangle|^2 e^{-\beta E_k} e^{-\tau(E_l - E_k)} \\ &= \int_{-\infty}^{\infty} \frac{d\omega}{2\pi} \sigma_\phi(\omega, T) \frac{\cosh(\omega(\tau - 1/2T))}{\sinh(\omega/2T)} \end{aligned}$$

with spectral function

$$\sigma_\phi(\omega, T) = \frac{2\pi}{Z(\beta)} \sum_{k,l} |\langle k | \hat{\phi} | l \rangle|^2 e^{-\beta E_k} (1 - e^{-\beta\omega}) \delta(\omega - (E_k - E_l))$$

# Heavy quark spectral functions and correlation functions

data for  $G_H(\tau, T)$  over reconstructed correlation functions at  $T$  from data below  $T_c$

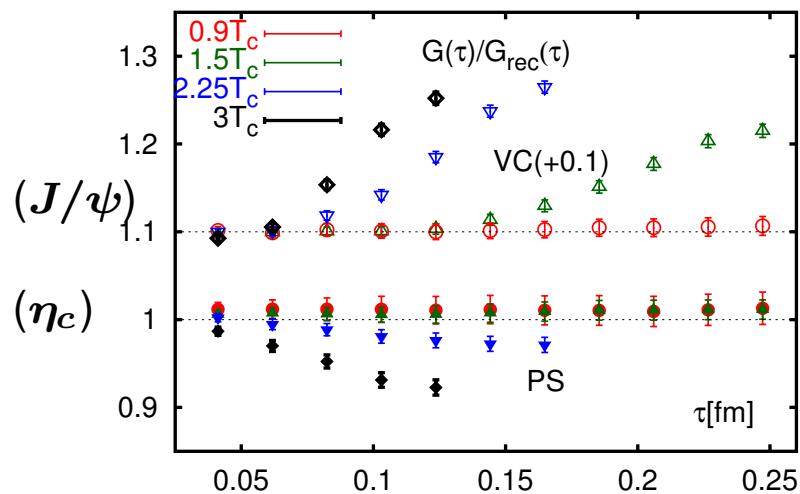


scalar and axial-vector correlation functions:

strong temperature dependence just above  $T_c$   
for  $\chi_c$  states

(normalized at  $T < T_c$ )

( $48^3 \times N_\tau$ ,  $N_\tau = 12, 16, 24$ ,  $a = 0.04$  fm)



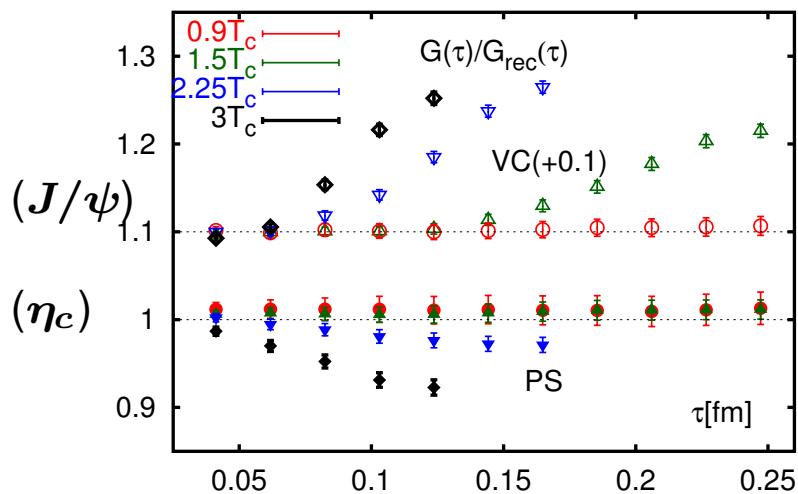
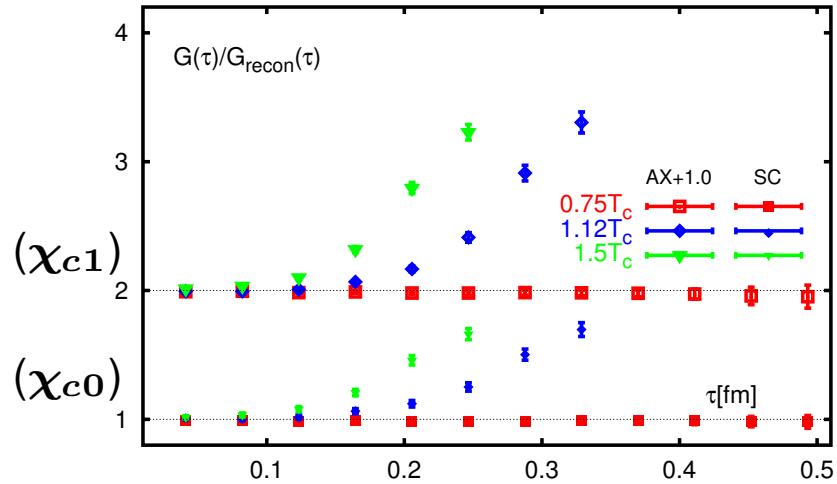
vector and pseudoscalar correlation functions:

no temperature dependence for  $\eta_c$  up to  $1.5 T_c$ ;  
only mild but systematic temperature dependence  
of  $J/\psi$

(normalized at  $T < T_c$ )

( $N_\sigma = 40, 48, 64$ ,  
 $N_\tau = 12, 16, 24, 40$ ,  $a = 0.02$  fm)

# Heavy quark spectral functions and correlation functions

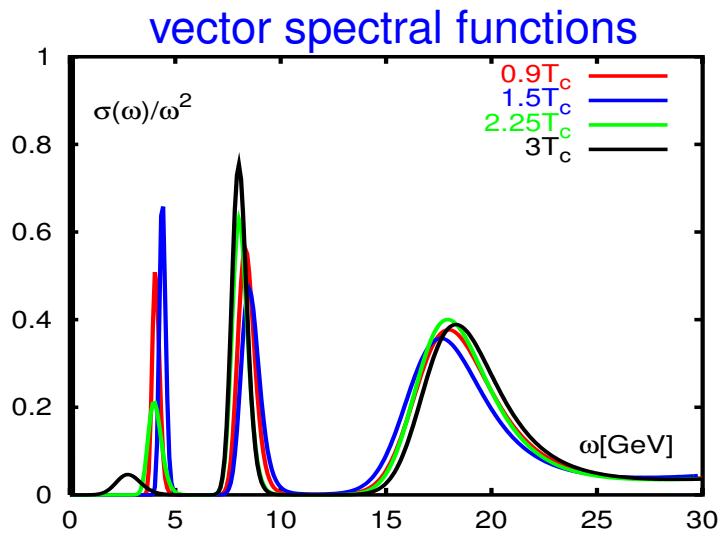
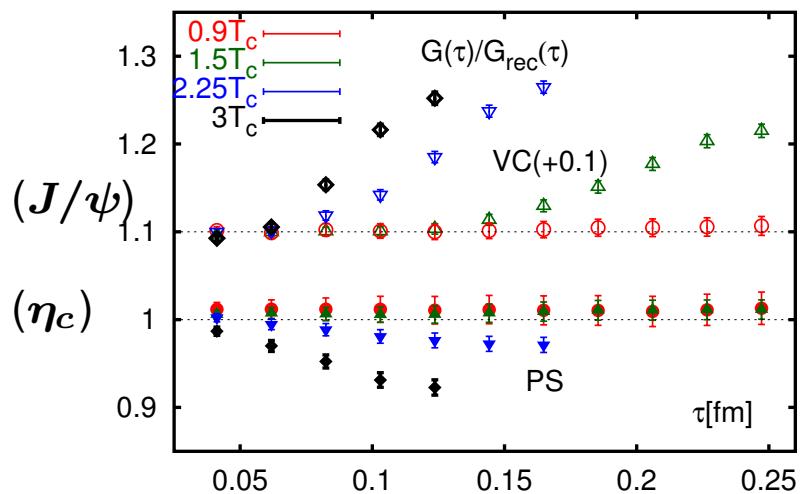
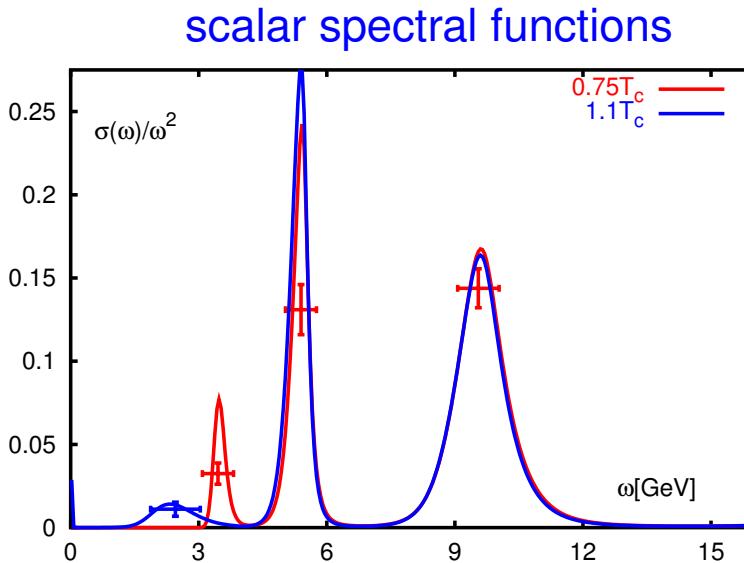
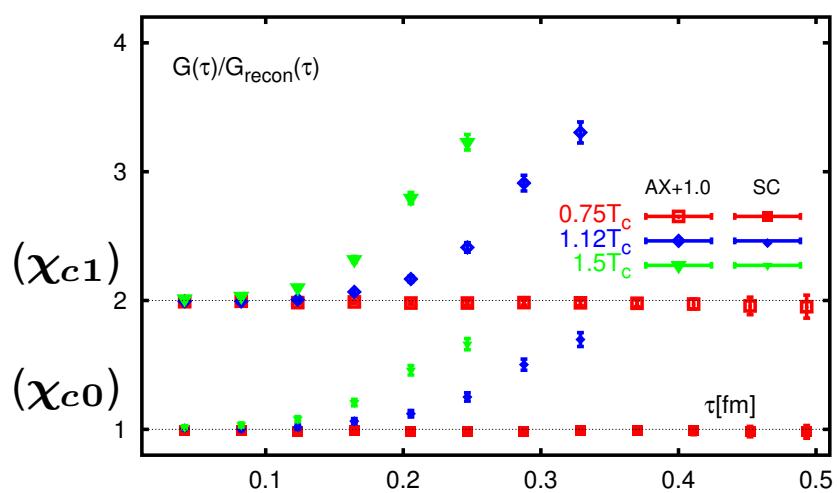


pattern seen in  
correlation functions  
also visible in  
spectral functions

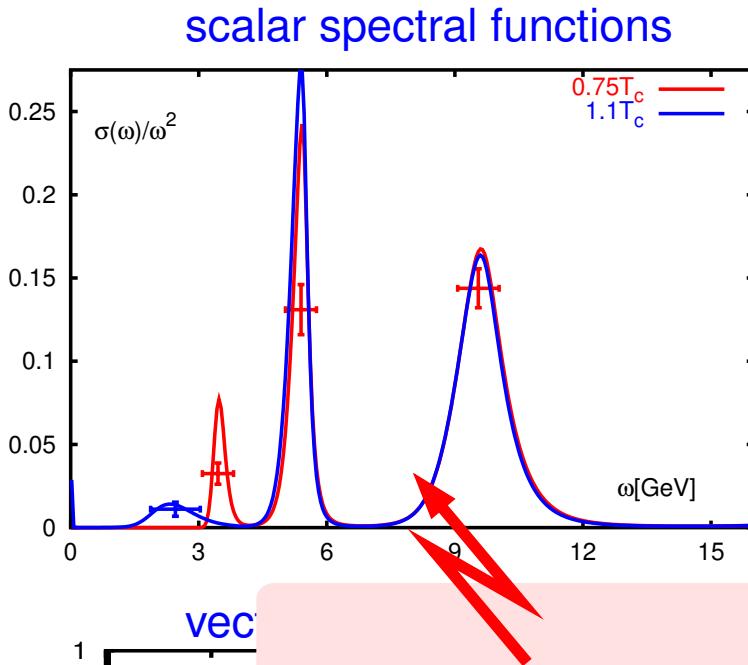
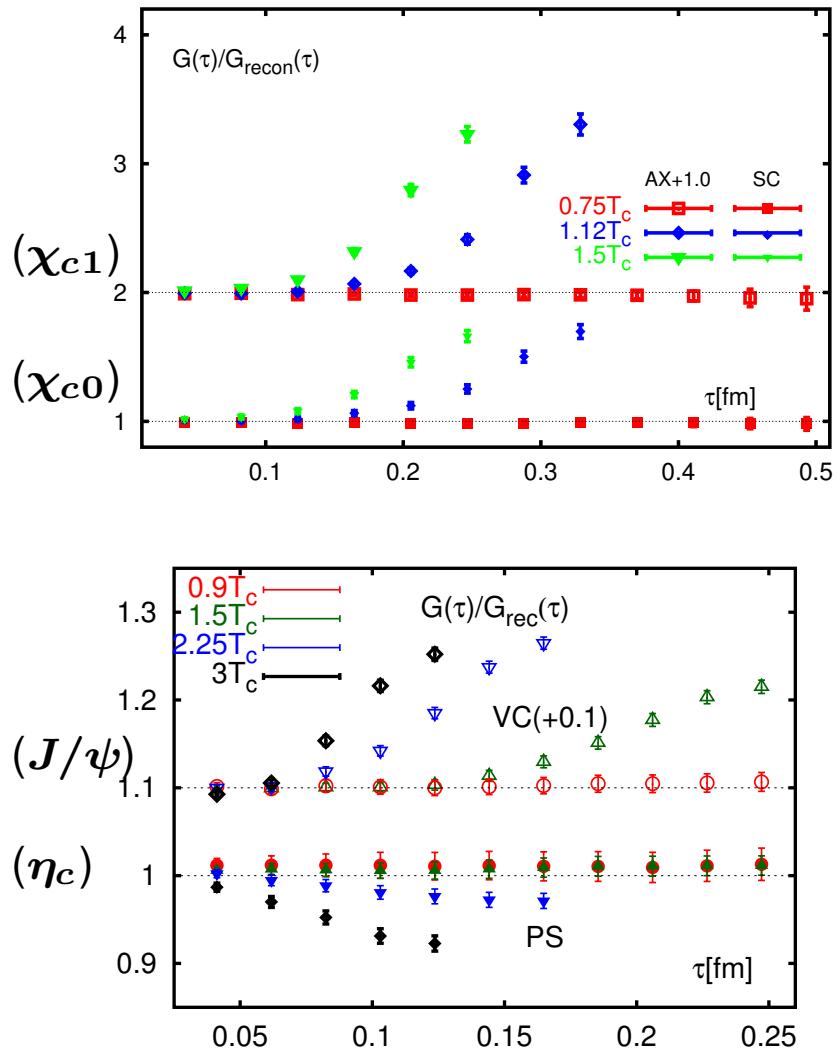
similar results:

M. Asakawa, T. Hatsuda, PRL 92 (2004) 012001

# Heavy quark spectral functions and correlation functions



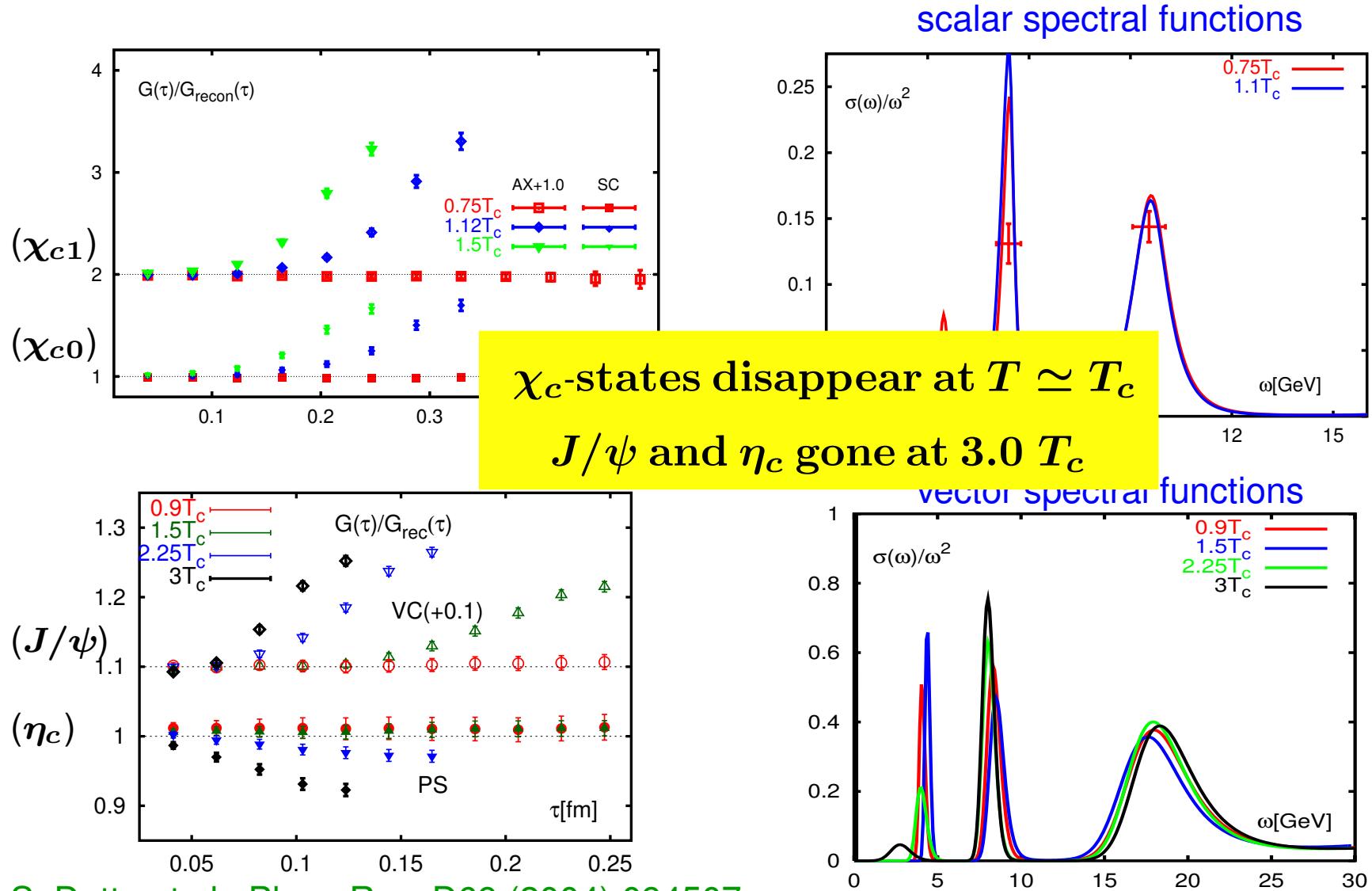
# Heavy quark spectral functions and correlation functions



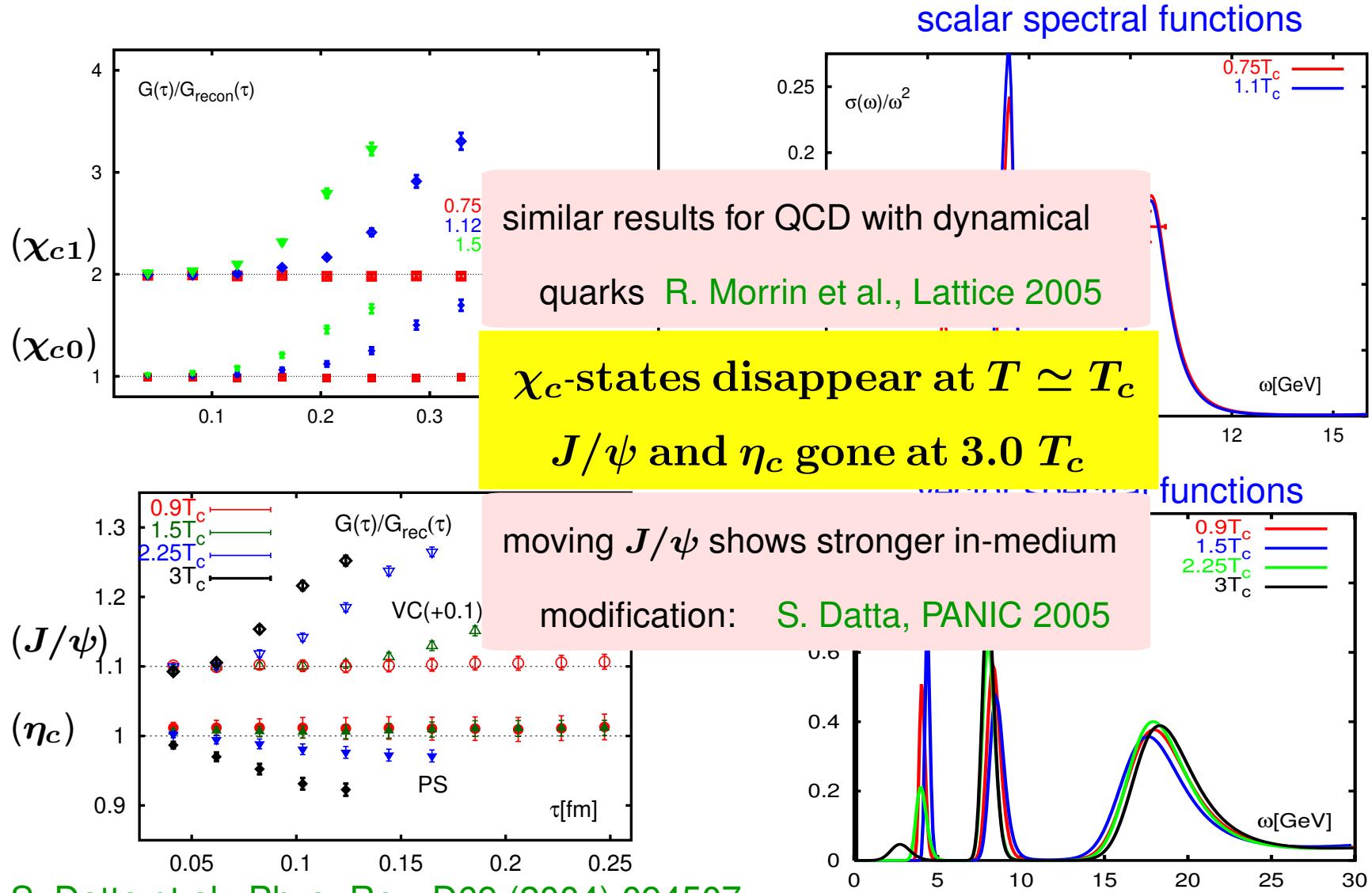
**vec**

- ultra-violet cut-off effects;
- Wilson-doubler;
- finite Brillouin zone;
- need to get better control over lattice cut-off effects
- resolution statistics limited

# Heavy quark spectral functions and correlation functions

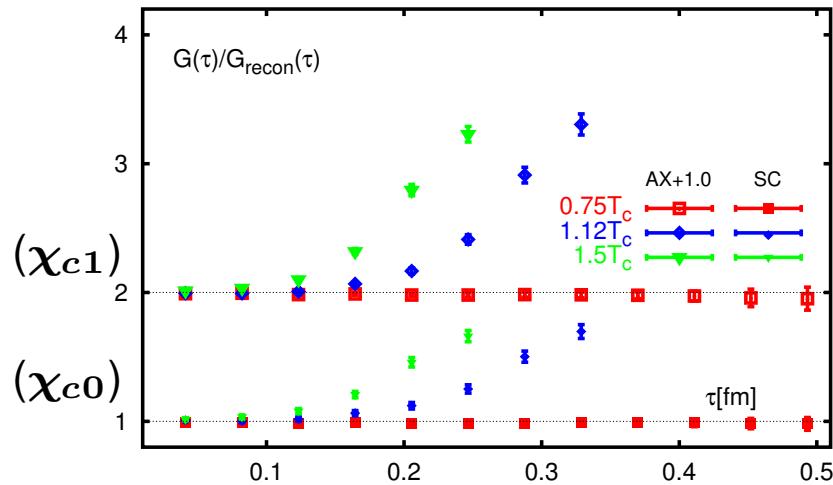


# Heavy quark spectral functions and correlation functions

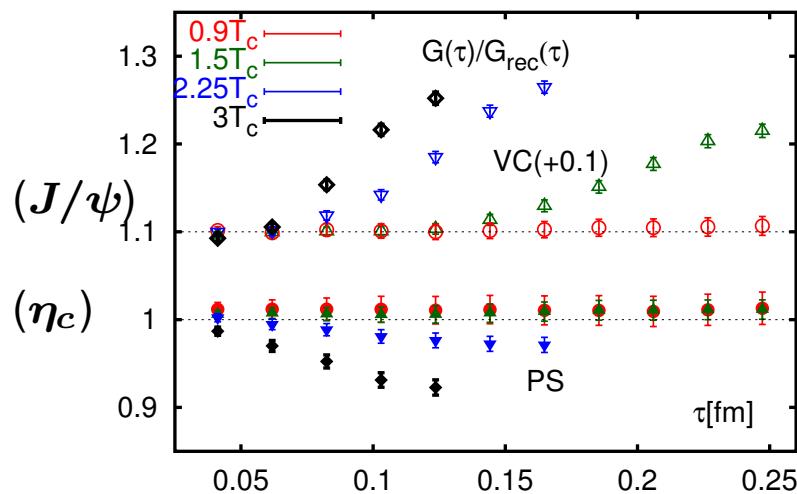
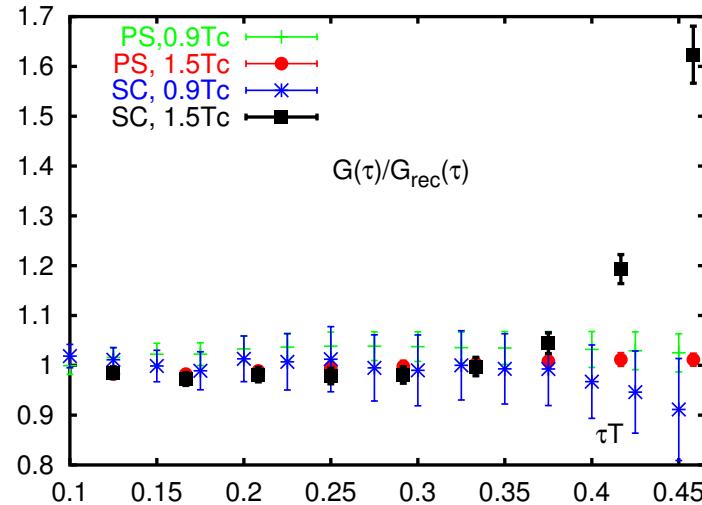


# Heavy quark spectral functions and correlation functions

charm



bottom – is coming up



first results on bottomonium at high T

(more difficult, finer lattices needed)

K. Petrov et al., hep-lat/0509138

S. Datta, PANIC 2005

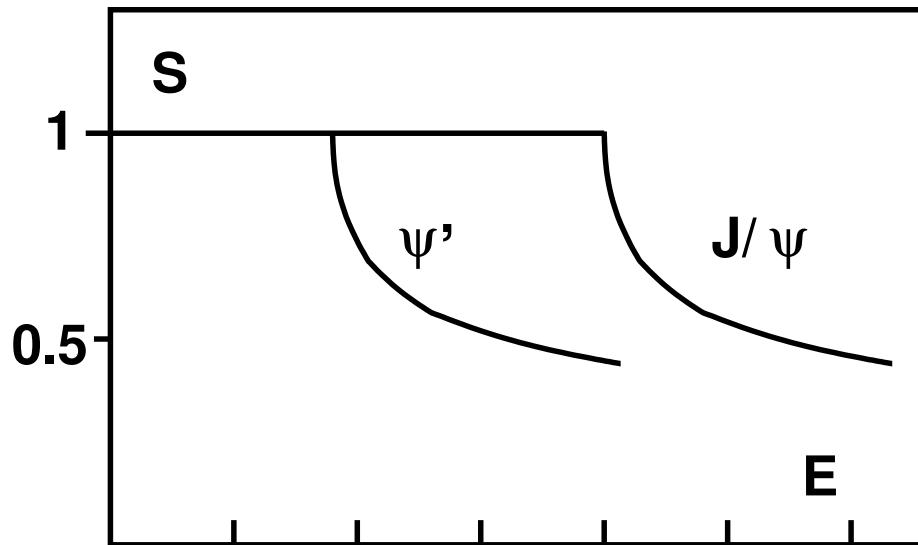
$\chi_b$  modified at  $1.5 T_c$

$\eta_b$  unmodified at  $1.5 T_c$

# Lattice QCD and Quarkonium Suppression in HI Collisions

---

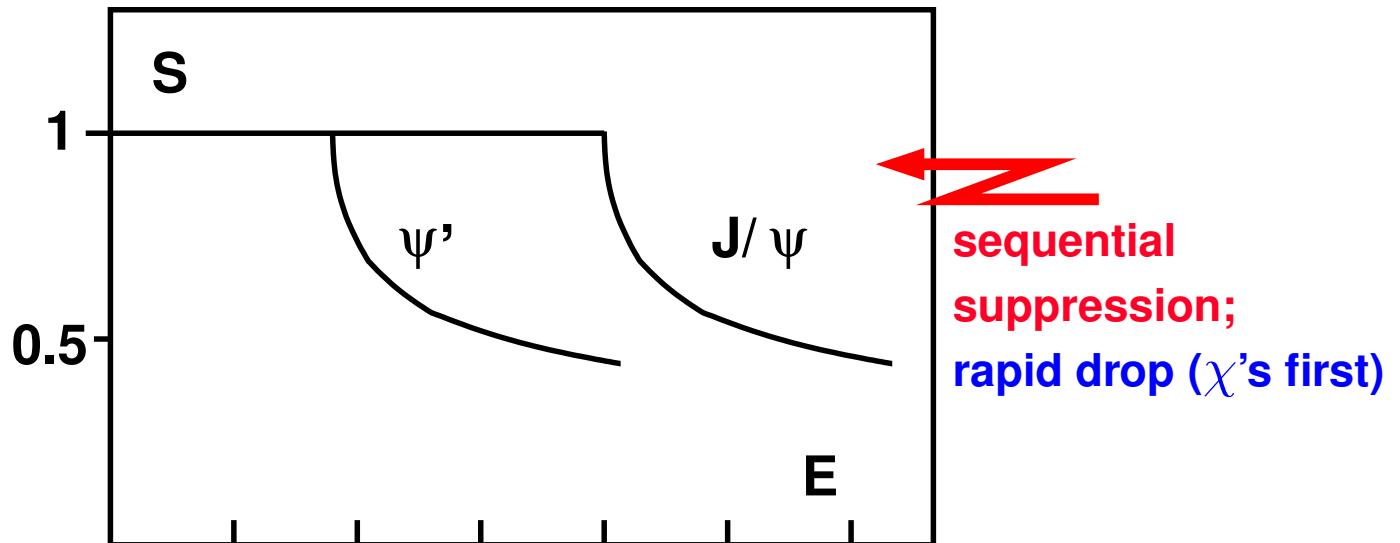
- the original Matsui-Satz concept:
    - check whether medium supports existence of bound states under given thermal conditions: yes/no decision
    - fold with nuclear density and  $T(\tau)$  cooling profile
- ⇒ "abnormal" suppression pattern



# Lattice QCD and Quarkonium Suppression in HI Collisions

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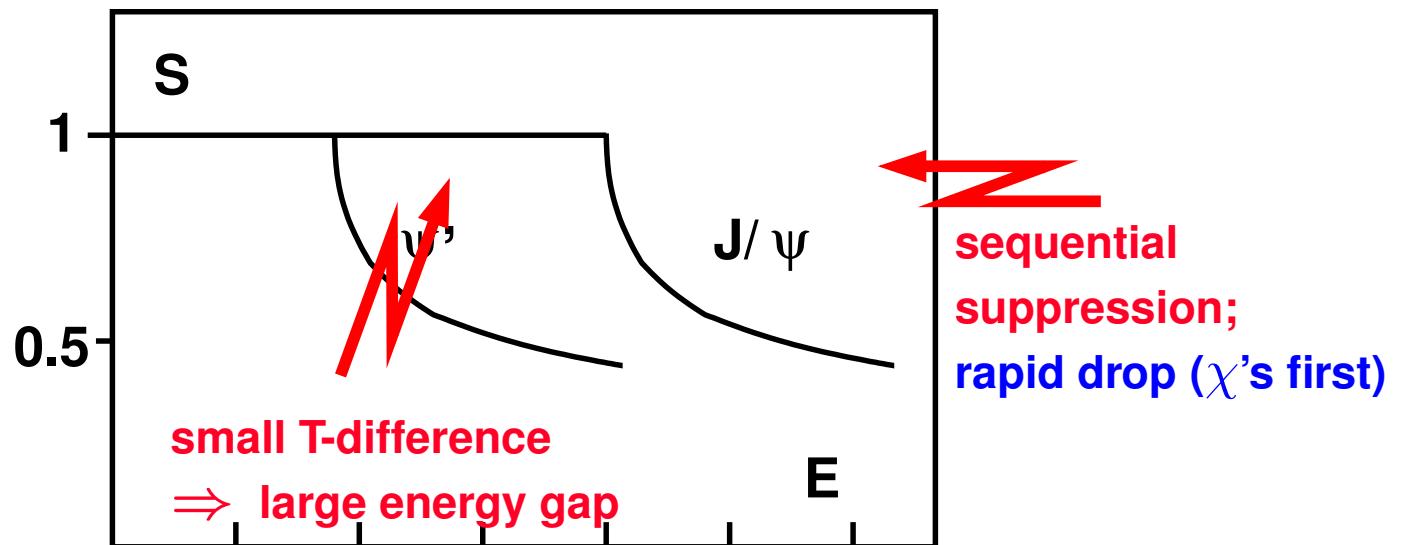
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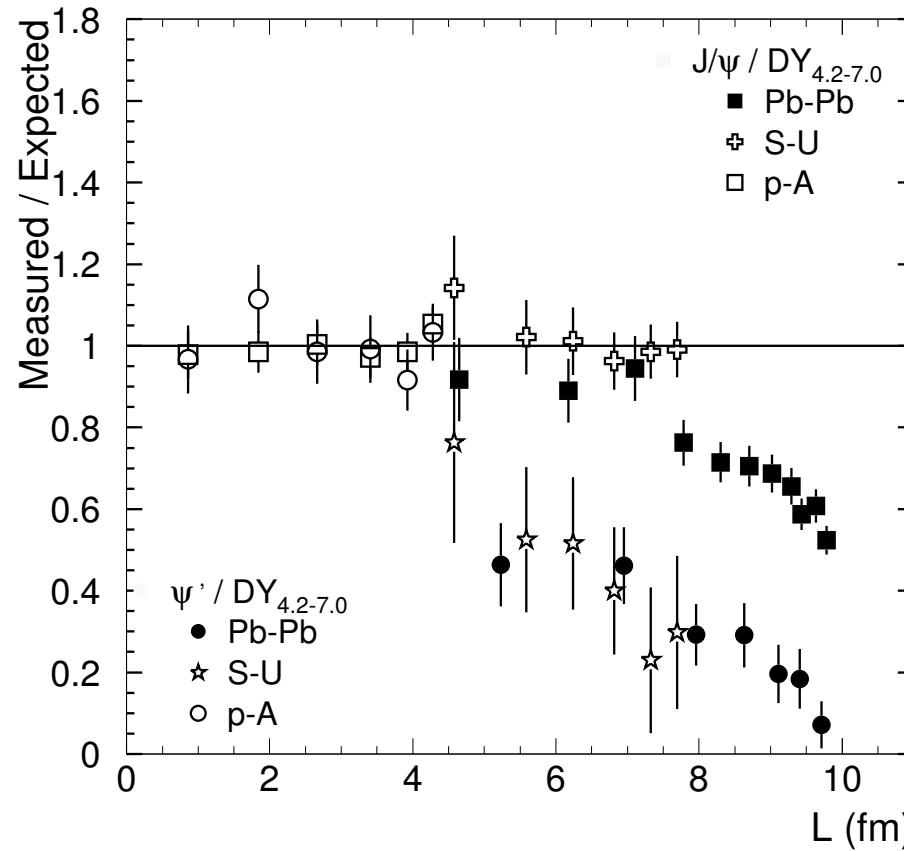


# Quarkonium suppression in HI collisions

- SPS data on charmonium suppression:

NA50, hep-ex/0405056

- may support sequential suppression pattern (or not)

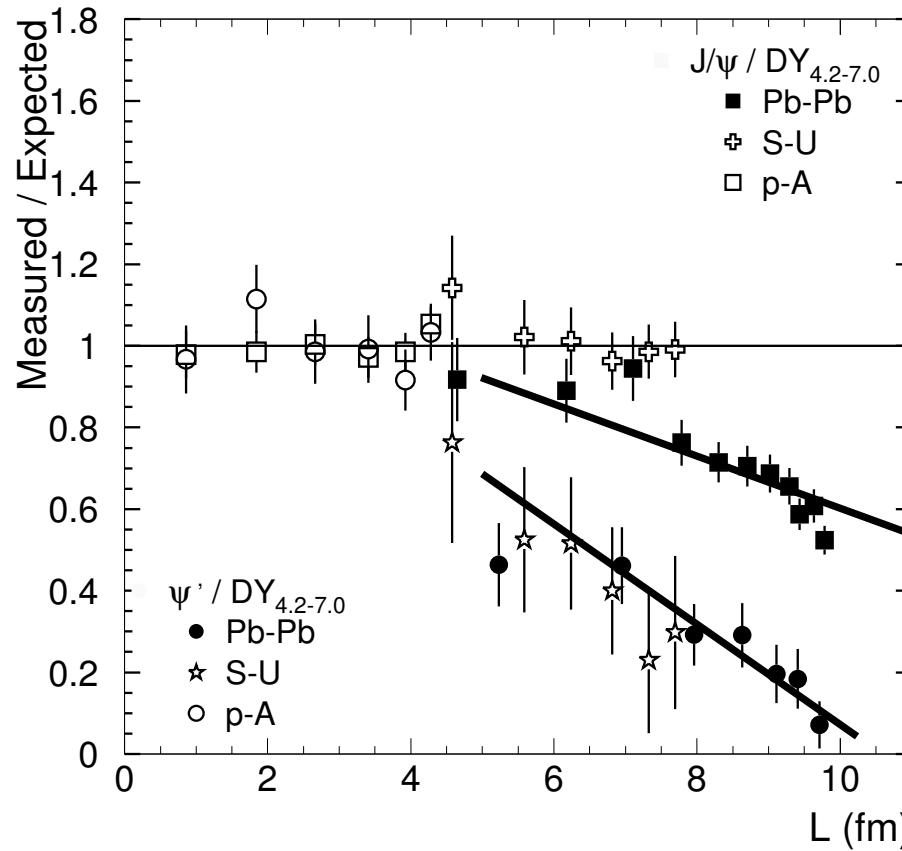


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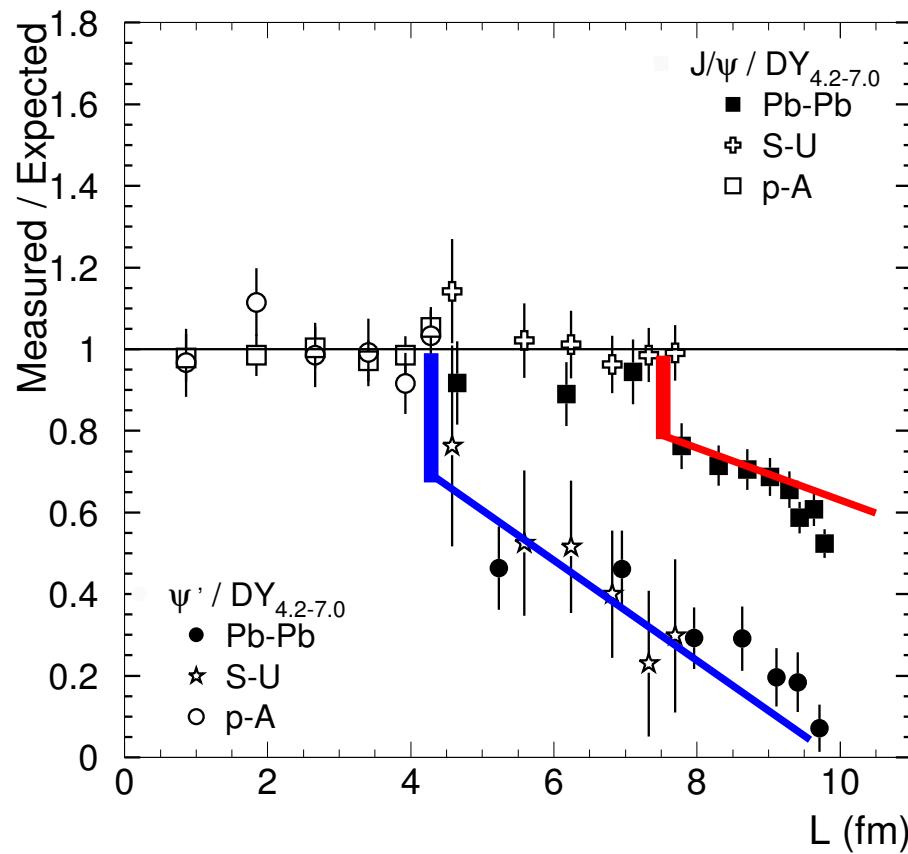
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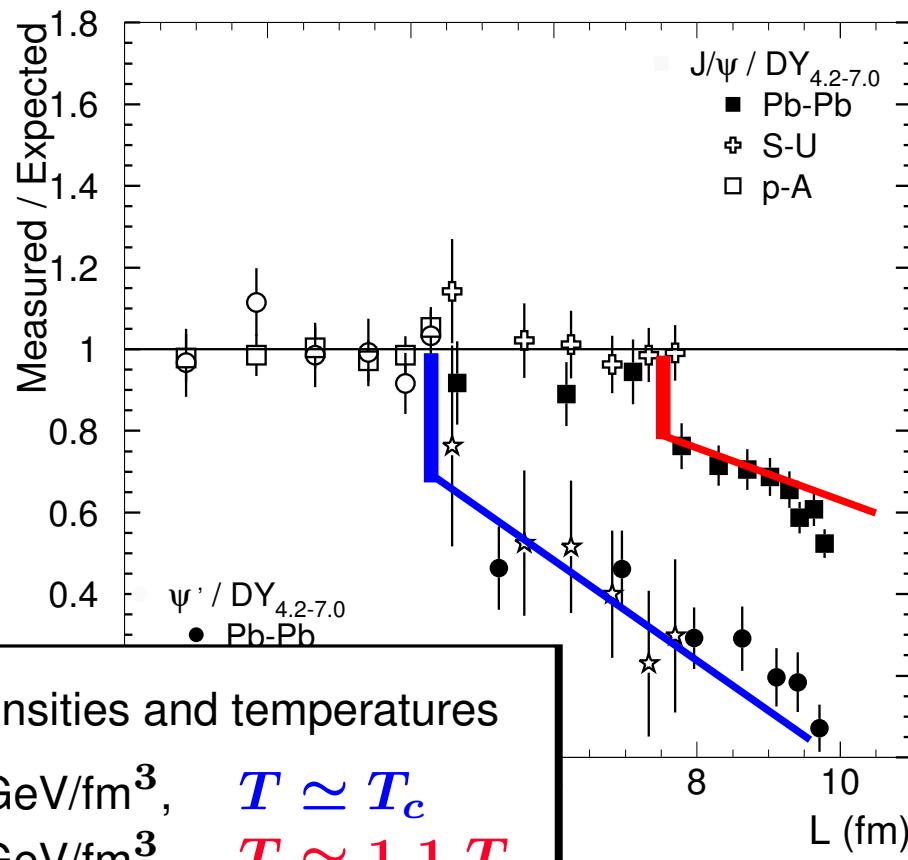
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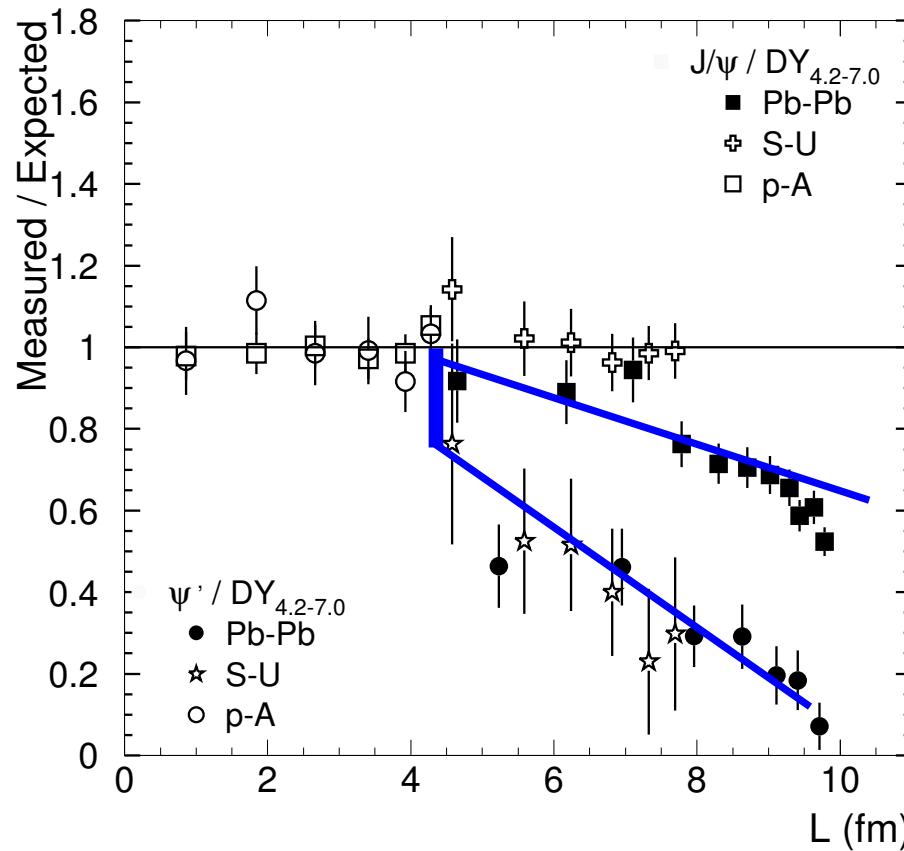
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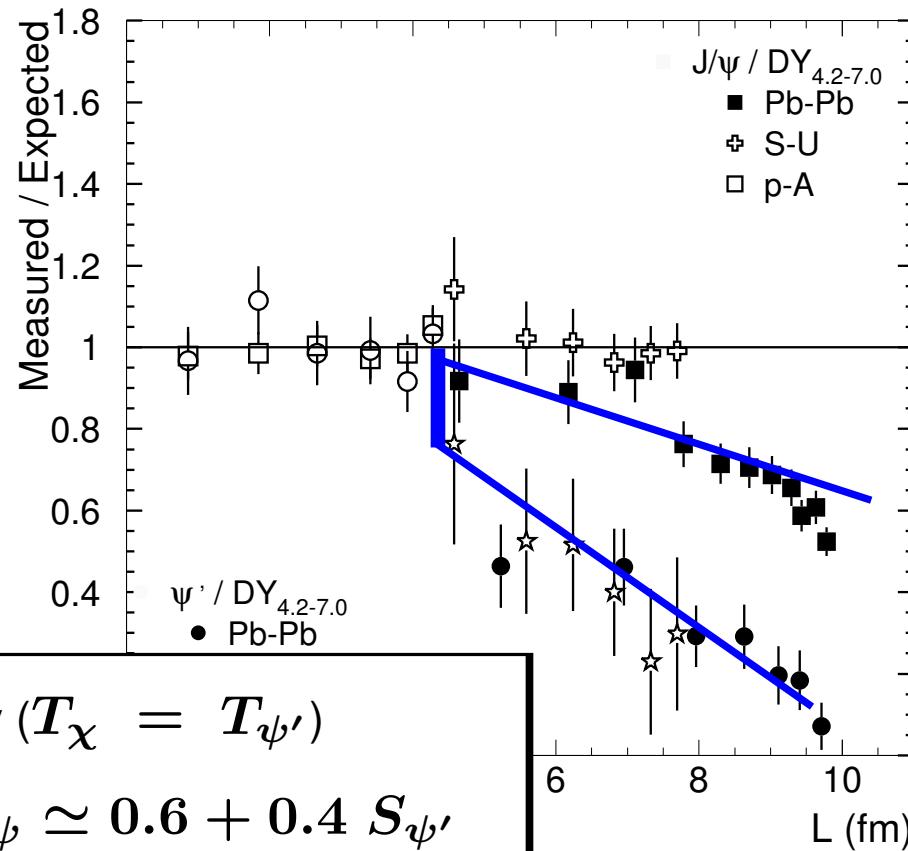
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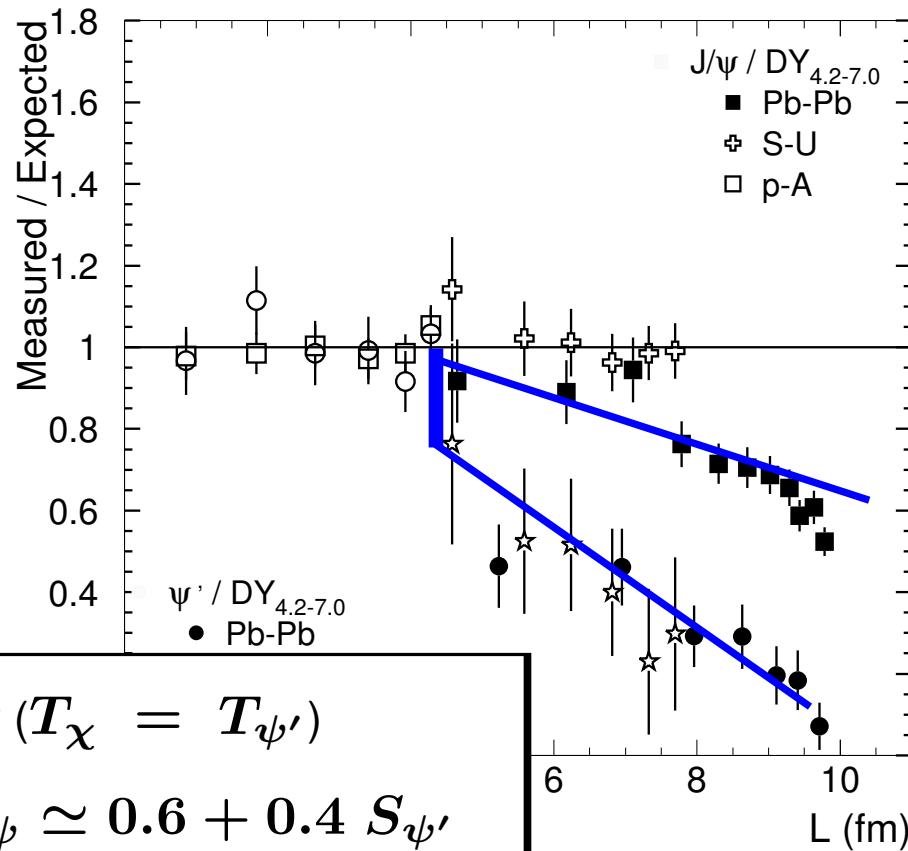
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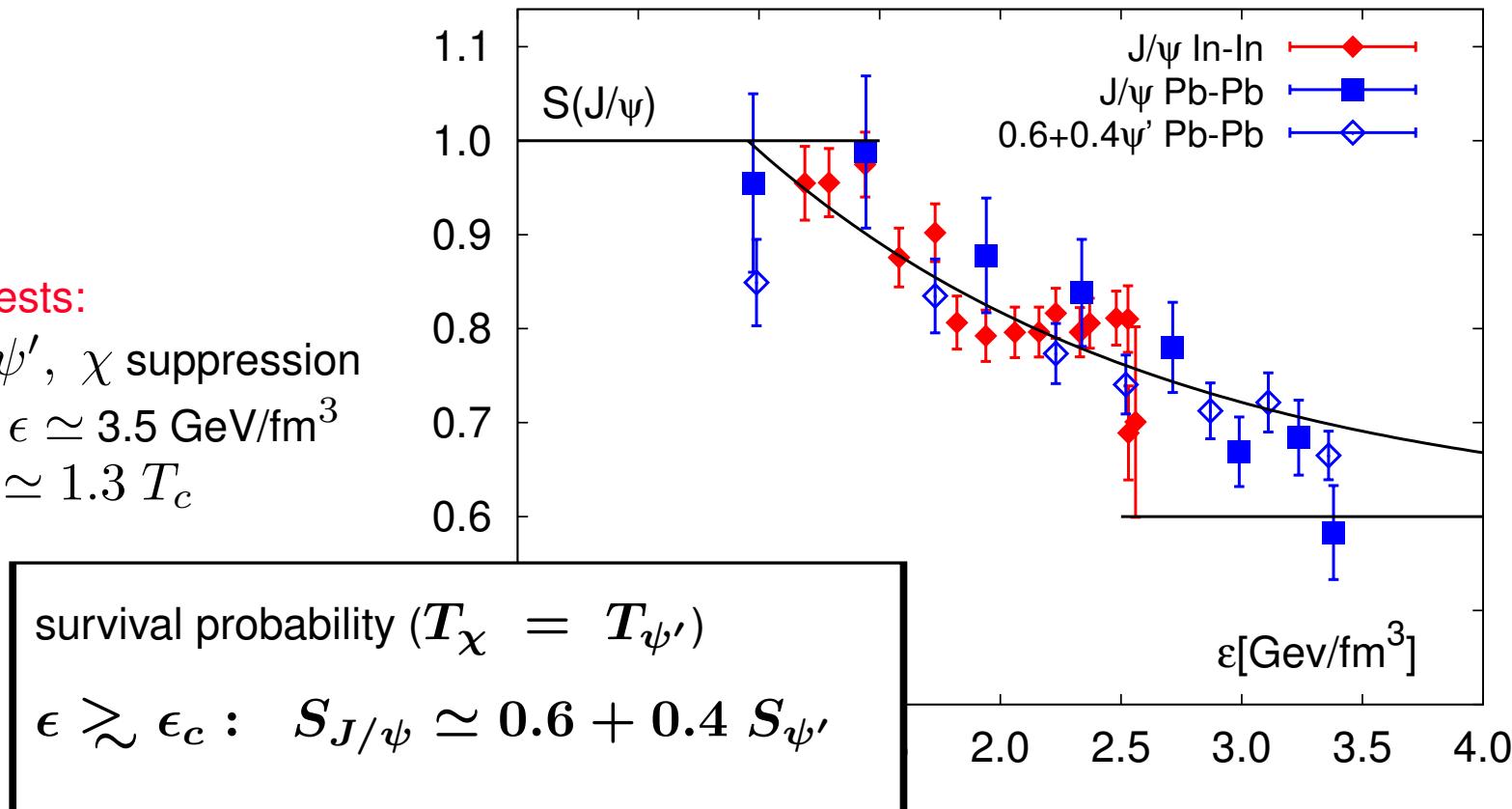


# Quarkonium suppression in HI collisions

- SPS data on charmonium suppression:
  - may support sequential suppression pattern OR NOT

suggests:

only  $\psi'$ ,  $\chi$  suppression  
up to  $\epsilon \simeq 3.5 \text{ GeV/fm}^3$   
or  $T \simeq 1.3 T_c$



# Lattice EoS: energy density $\Leftrightarrow$ temperature $\Rightarrow$ conditions for heavy $q\bar{q}$ bound states

LGT:  $T_c \simeq 175$  MeV [maybe 185 MeV]

$$T = T_c: \epsilon_c/T_c^4 \simeq 6 \Rightarrow \epsilon_c \simeq 1 \text{ GeV/fm}^3$$

$$T \geq 1.5T_c: \epsilon/T^4 \simeq (10 - 12)$$

$$T = 1.5T_c: \epsilon \simeq 15 \text{ GeV/fm}^3$$

$$T = 2.0T_c: \epsilon \simeq 45 \text{ GeV/fm}^3$$



observable consequences:

$J/\psi$  suppression

RHIC

$$R_{Au} \simeq 7 \text{ fm};$$

$$\tau_0 \simeq 1 \text{ fm}$$

$$\langle E_T \rangle \simeq 1 \text{ GeV}$$

$$dN/dy \simeq 1000$$



$$\epsilon_{Bj} \simeq 7 \text{ GeV/fm}^3$$

$$\text{maybe: } \tau_0 \simeq 0.5 \text{ fm}$$



$$\epsilon_{Bj} \simeq 14 \text{ GeV/fm}^3$$

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$\chi_c, \psi'$  suppression at RHIC

direct  $J/\psi$  suppression unlikely



$$S(J/\psi) \simeq 0.6 + 0.4S(\chi_c)$$

(assume  $S(\chi_c) \simeq S(\psi')$ )

RHIC

$$R_{Au} \simeq 7 \text{ fm};$$

$$\tau_0 \simeq 1 \text{ fm}$$

$$\langle E_T \rangle \simeq 1 \text{ GeV}$$

$$dN/dy \simeq 1000$$



$$\epsilon_{Bj} \simeq 7 \text{ GeV/fm}^3$$

maybe:  $\tau_0 \simeq 0.5 \text{ fm}$

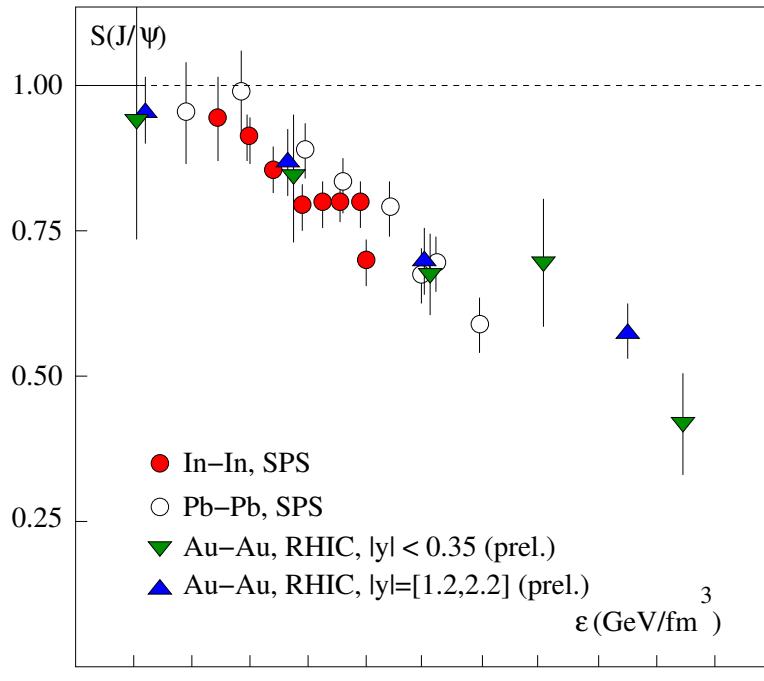


$$\epsilon_{Bj} \simeq 14 \text{ GeV/fm}^3$$

# Quarkonium suppression at SPS and RHIC

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- SPS and RHIC data on charmonium suppression:  
NA50, hep-ex/0405056  
H. Pereira da Costa et al. (PHENIX), Quark Matter 2005
  - RHIC suppression pattern consistent with SPS data
  - energy density at RHIC not yet large enough for direct  $J/\psi$  suppression



FK, D. Kharzeev, H. Satz, Phys. Lett. B637 (2006) 75

# Conclusions

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- Deconfinement, screening and asymptotic freedom
  - string breaking is done by quarks; screening is due to gluons
  - a quark component is needed in screening up to  $T \lesssim 1.1 T_c$
- Potential models for quarkonium
  - input from LGT: excess energy > excess free energy
  - increased energy is in gluon cloud
- Spectral functions
  - (directly produced)  $J/\psi$  exist well above  $T_c$
- Charmonium in heavy ion collisions
  - sequential suppression pattern may be the smoking gun