

Transverse polarization results

Hiromi Okada (BNL)

1. Introduction

- What is Single Spin Asymmetry (SSA) ?
- Why SSA is interesting ?
- Why SSA at RHIC

2. Experimental SSA results at RHIC

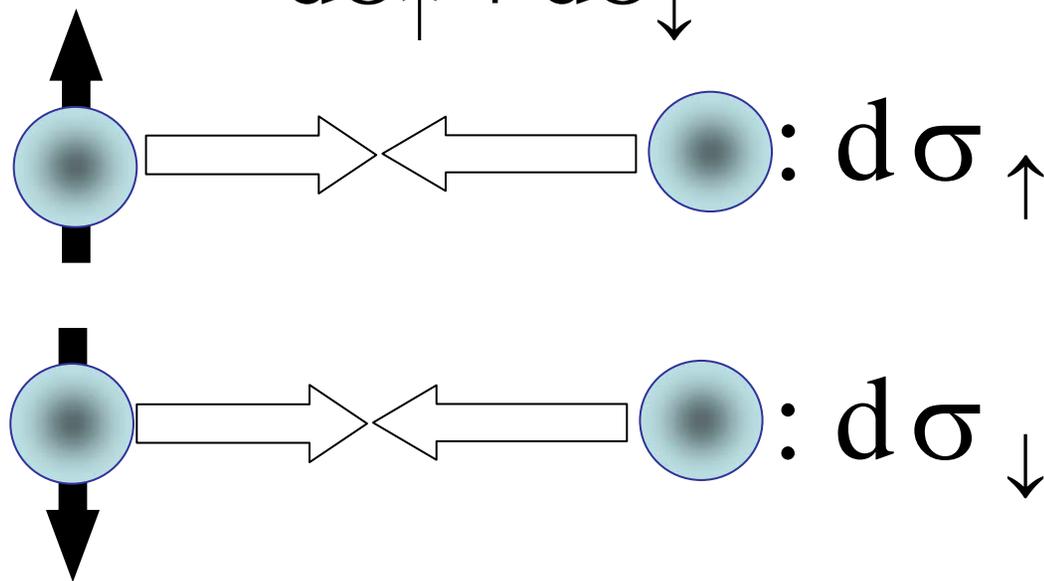
- STAR (Inclusive π^0 and di-jet)
- PHENIX (Inclusive π^0 , h^\pm , J/ψ)
- BRAHMS (inclusive π^\pm , K^\pm , p , $pbar$)

3. Summary and next

What is SSA (Single-transverse-Spin Asymmetry) ?

Definition: The ratio of the difference and the sum of the transverse **spin-dependent** differential cross-sections of **a certain interaction**.

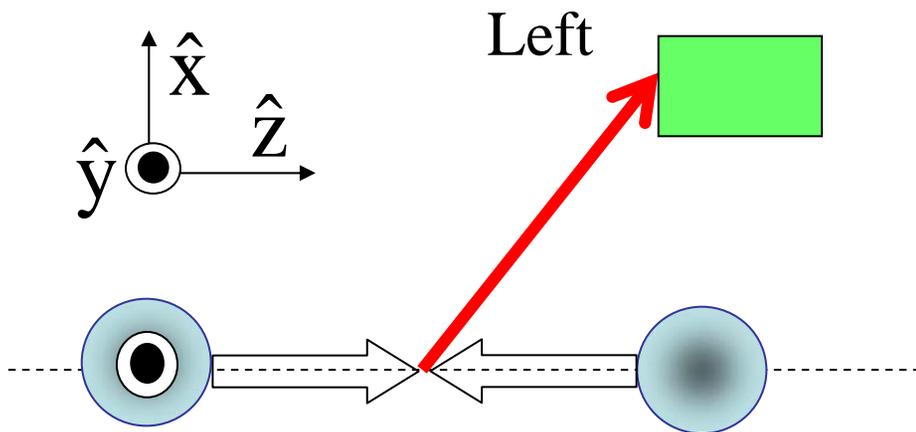
$$SSA = \frac{d\sigma_{\uparrow} - d\sigma_{\downarrow}}{d\sigma_{\uparrow} + d\sigma_{\downarrow}}$$



A certain interaction: elastic, hard scatter processes etc.

How to measure SSA?

Top view



A certain interaction is detected by:

Single arm detector (Left)

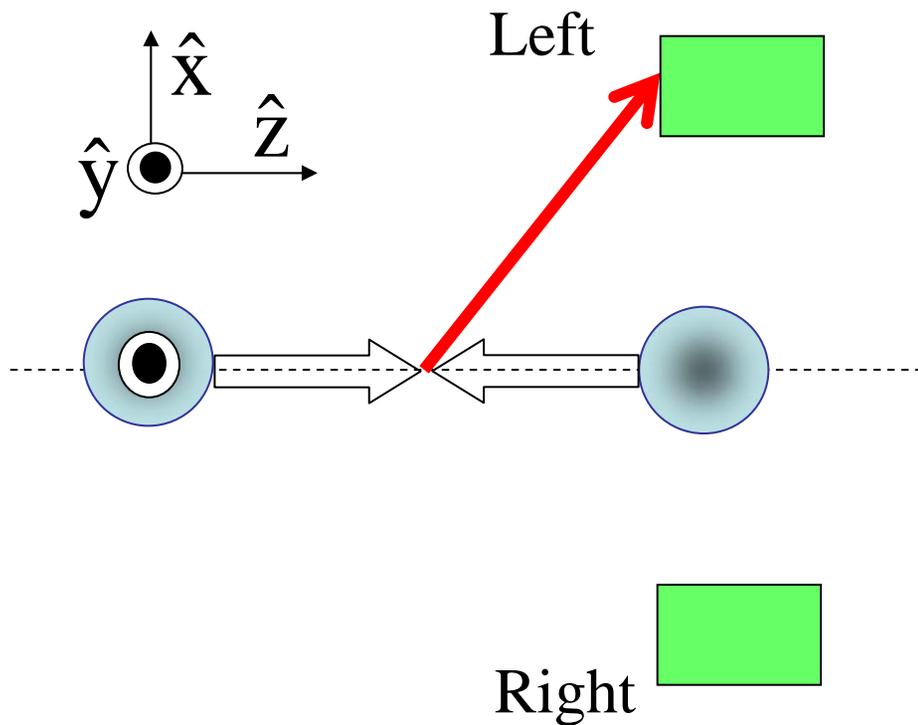
$$SSA = \frac{1}{\text{pol.}} \frac{N_L^\uparrow - RN_L^\downarrow}{N_L^\uparrow + RN_L^\downarrow}$$

R: Relative luminosity

- Normalization by relative luminosity is crucial.
- Normalization by beam polarization is crucial.

How to measure SSA?

Top view



A certain interaction is detected by:

Double arms detector (Left-Right)

$$SSA = \frac{1}{\text{pol.}} \frac{\sqrt{N_{\uparrow}^L N_{\downarrow}^R} - \sqrt{N_{\uparrow}^R N_{\downarrow}^L}}{\sqrt{N_{\uparrow}^L N_{\downarrow}^R} + \sqrt{N_{\uparrow}^R N_{\downarrow}^L}}$$

Square-root-formula

- Normalization by beam polarization is crucial.

SSA of elastic process is ideal tool to measure beam pol.

$$\text{pol.} = \frac{1}{\text{SSA}} \frac{\sqrt{N_{\uparrow}^L N_{\downarrow}^R} - \sqrt{N_{\uparrow}^R N_{\downarrow}^L}}{\sqrt{N_{\uparrow}^L N_{\downarrow}^R} + \sqrt{N_{\uparrow}^R N_{\downarrow}^L}}$$

Non-zero and known SSA
→ we can measure beam polarization

SSA of elastic process is ideal tool to measure beam pol.

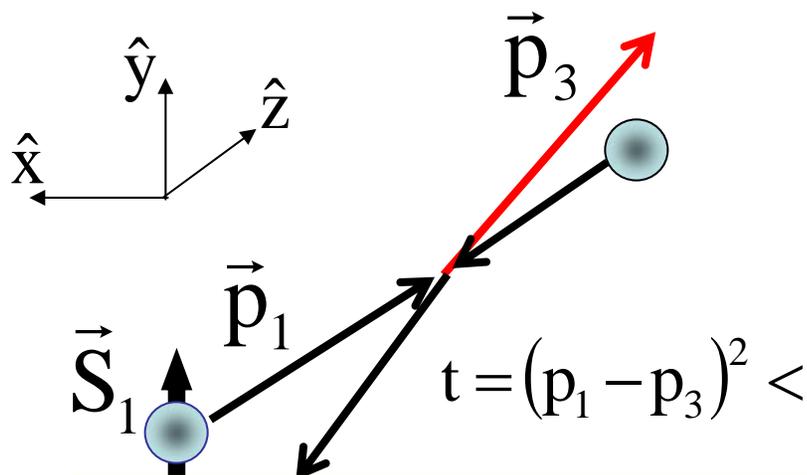
$$\text{pol.} = \frac{1}{\text{SSA}} \frac{\sqrt{N_{\uparrow}^L N_{\downarrow}^R} - \sqrt{N_{\uparrow}^R N_{\downarrow}^L}}{\sqrt{N_{\uparrow}^L N_{\downarrow}^R} + \sqrt{N_{\uparrow}^R N_{\downarrow}^L}}$$

Non-zero and known SSA

→ we can measure beam polarization

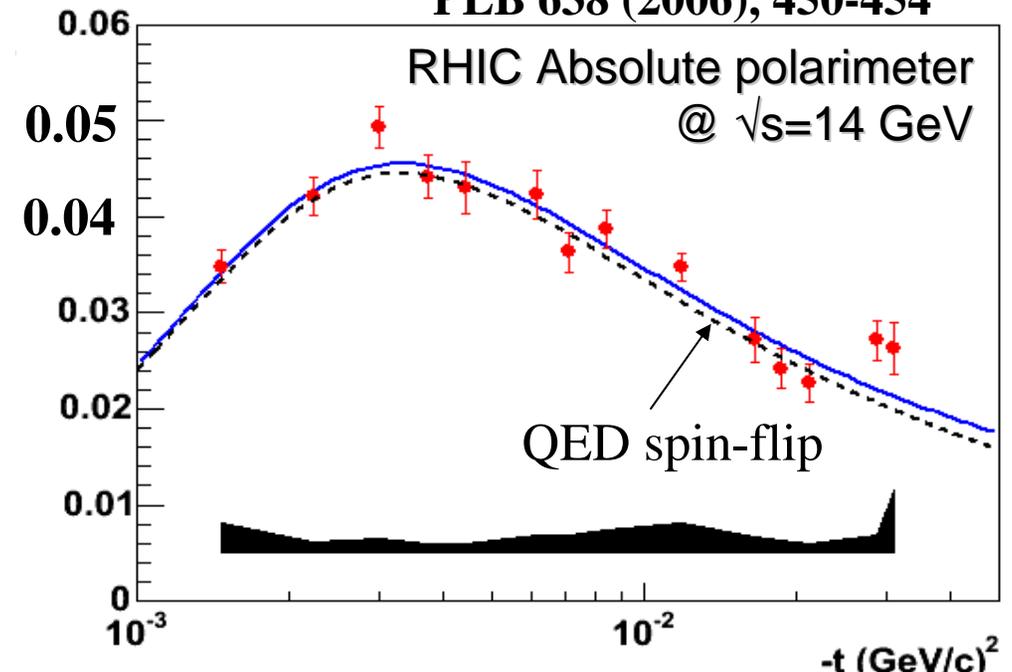
$$p^{\uparrow} + p \rightarrow p + p$$

Very forward scattering



SSA

PLB 638 (2006), 450-454



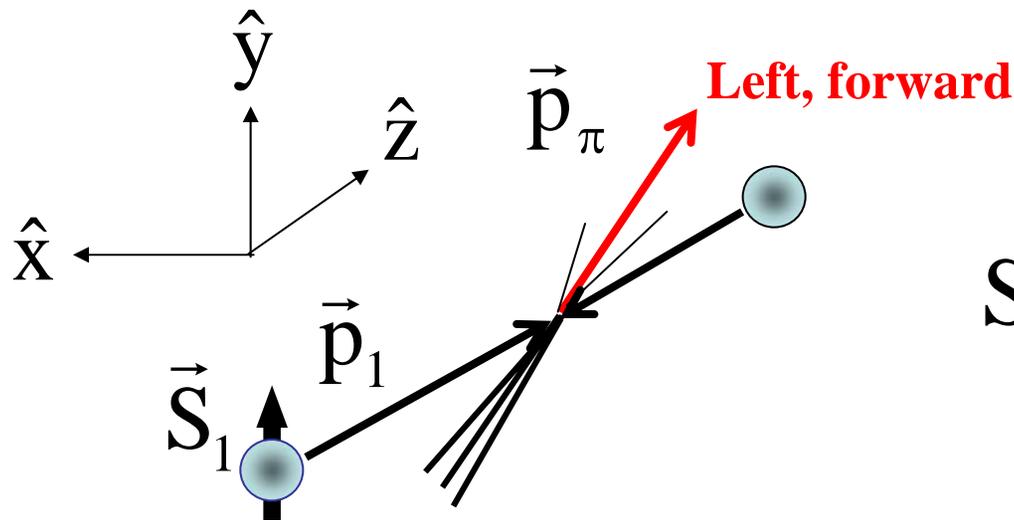
A
p
a

For more details....

Please visit the poster session!

How about SSA of hard scattering?

For example: $\boxed{p^\uparrow + p \rightarrow \pi + X}$ **Azimuthal asymmetry in singly polarized pp collisions**



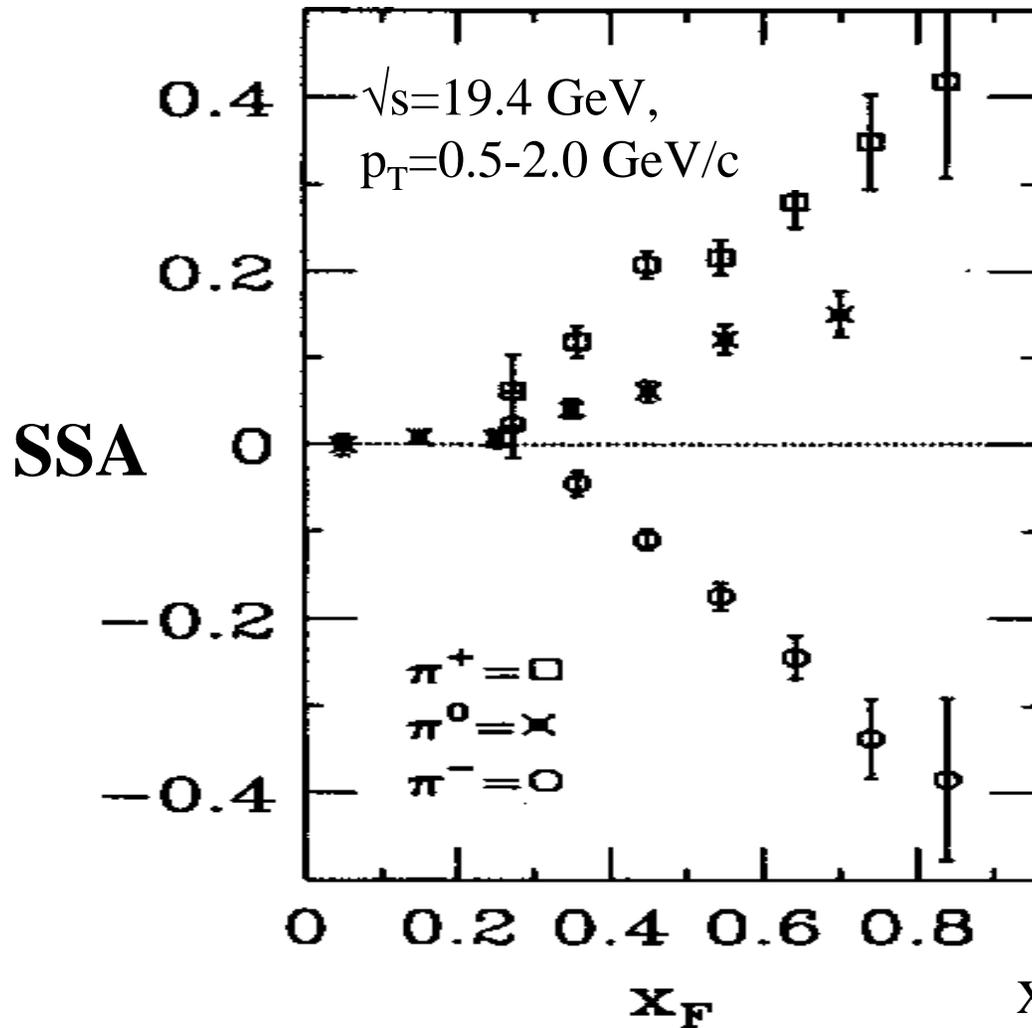
$$SSA \propto \vec{S}_1 \cdot (\vec{p}_1 \times \vec{p}_\pi)$$

Prediction: $SSA \sim \frac{m_q \alpha_s}{p_T} \sim 0.001$ Kane, Pumplin and Repko
PRL 41 1689 (1978)

SSA of hard scattering is expected to be very **small** by the **leading twist collinear**, $p_T \geq 4 \sim 5 \text{ GeV}/c$.

Huge SSAs have been measured at E704-FNAL!

$\rho^\uparrow + \rho \rightarrow \pi + X$ azimuthal asymmetry in singly polarized pp collisions



π^0 - E704, PLB261 (1991) 201.

$\pi^{+/-}$ - E704, PLB264 (1991) 462.

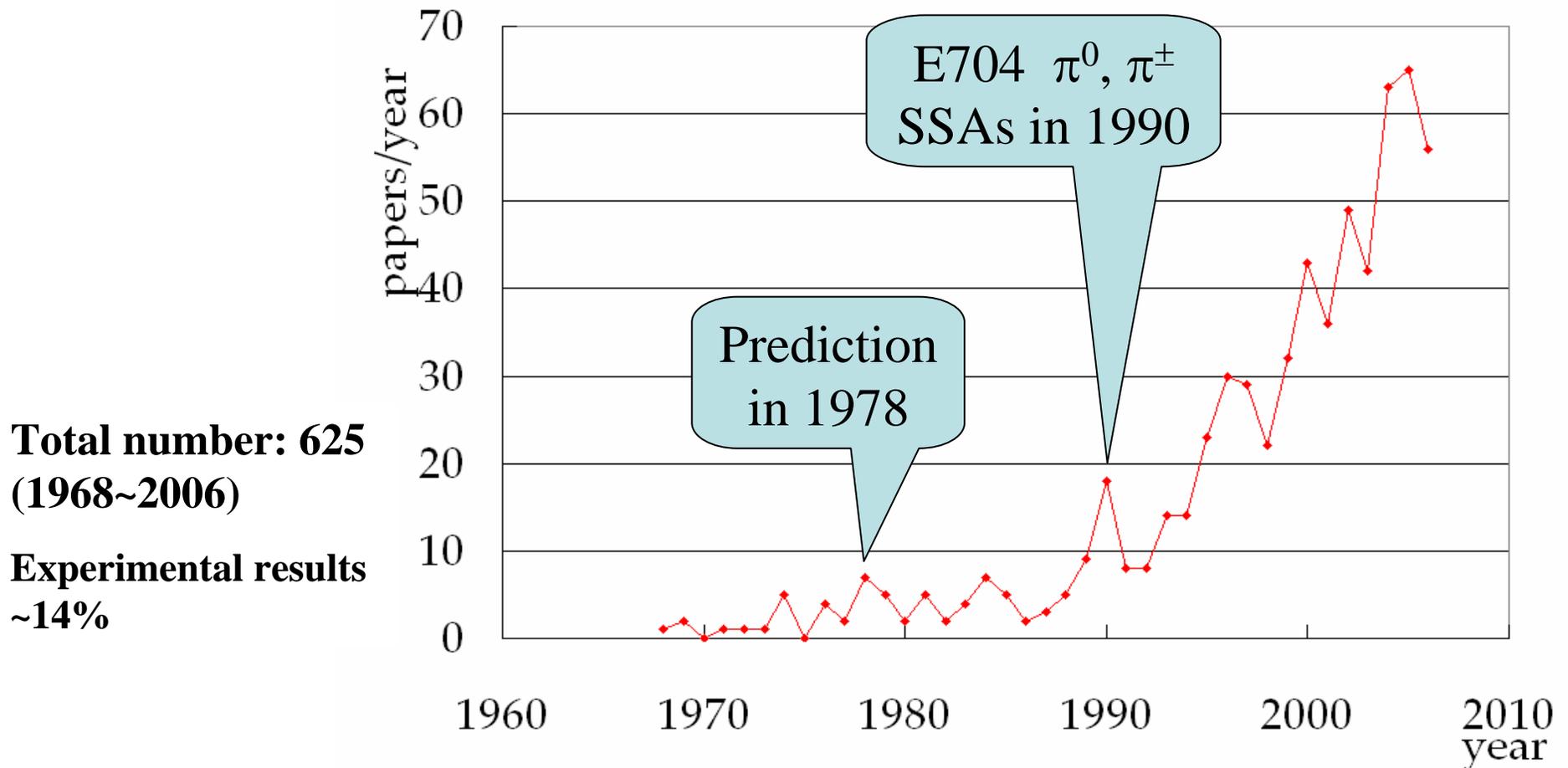
Citation amount: 258 !

- Increase linearly with Feynman x (x_F).
- Extremely bigger than expectation!
- **What is the p_T dependence?**

$$x_F = \frac{p_{z,\pi}}{p_{z,1}} \approx \frac{2E_\pi}{\sqrt{s}}$$

How people excited about huge SSAs!

**SPIRES-HEP: search title including:
“Transverse spin, Transversity, single spin”.**



Theoretical approaches for huge SSA beyond the
leading twist **collinear**;

A) Higher-twist collinear QCD

→ Twist3 quark-gluon correlations for both initial and final state interactions.

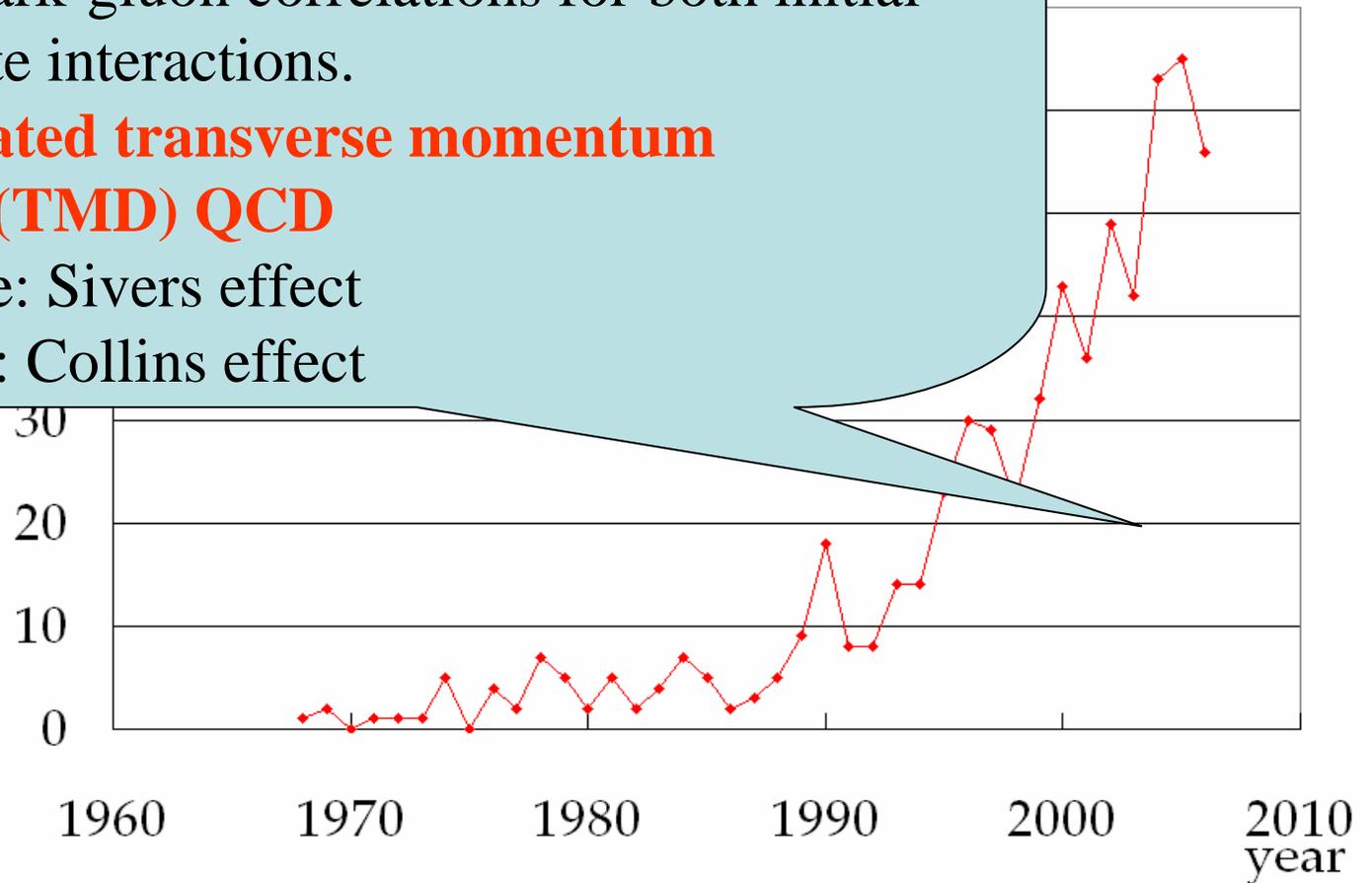
B) Spin-correlated transverse momentum dependent (TMD) QCD

→ Initial state: Sivers effect

→ Final state: Collins effect

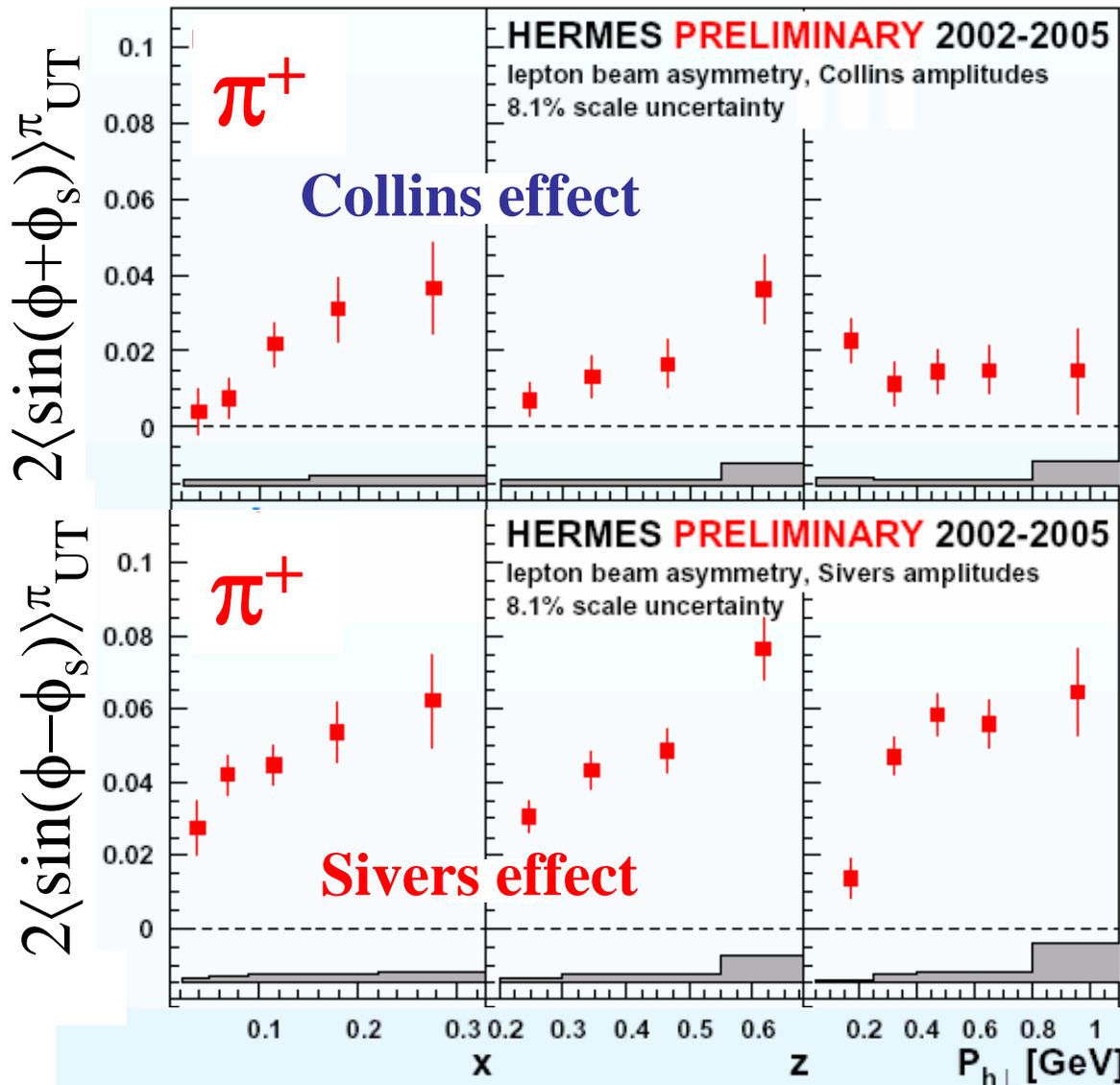
**Total number: 625
(1968~2006)**

**Experimental results
~14%**



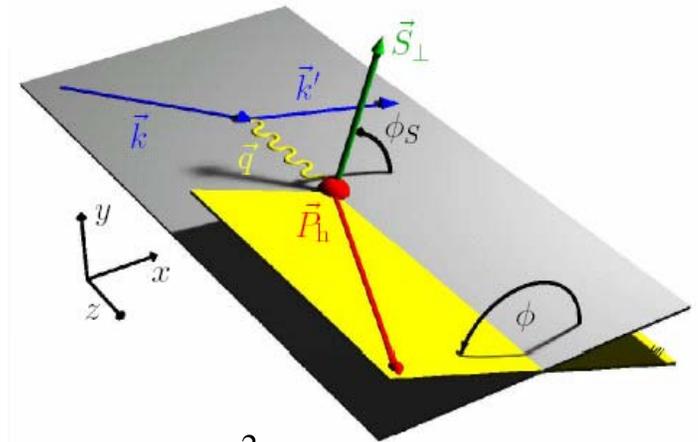
SSAs have been measured in Deep Inelastic Scattering, too.

Using lepton beam and polarized proton target.



$$k = (E, \vec{k}), k' = (E', \vec{k}')$$

$$-Q^2 = (k - k')^2 < 0$$



$$x = \frac{Q^2}{2M(E - E')}, z = \frac{E_h}{E - E'}$$

$P_{h\perp}$: Transverse momentum of π^+

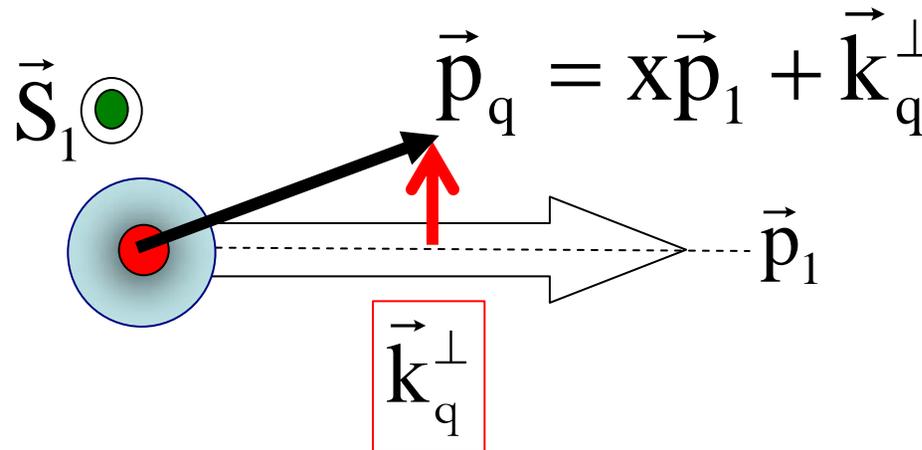
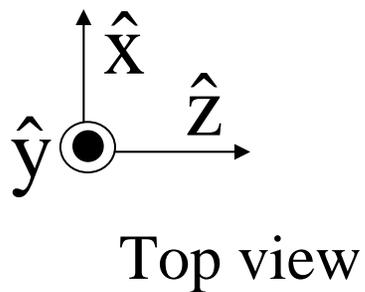
Ongoing experiments at **DESY, CERN etc.**

New program at **JLAB**
12GeV upgrade.

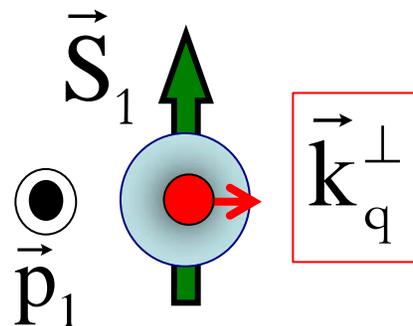
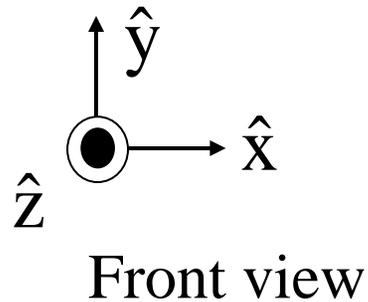
Sivers effect: **Initial state** of the polarized nucleon

Phys Rev D41 (1990) 83; Phys Rev D43 (1991) 261

$$SSA_{\text{Sivers}} \propto \vec{S}_1 \cdot (\vec{p}_1 \times \vec{k}_q^\perp)$$



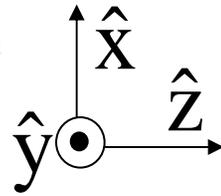
x is longitudinal momentum fraction.



Quark transverse momentum in transversely polarized proton.

What does Sivers effect probe?

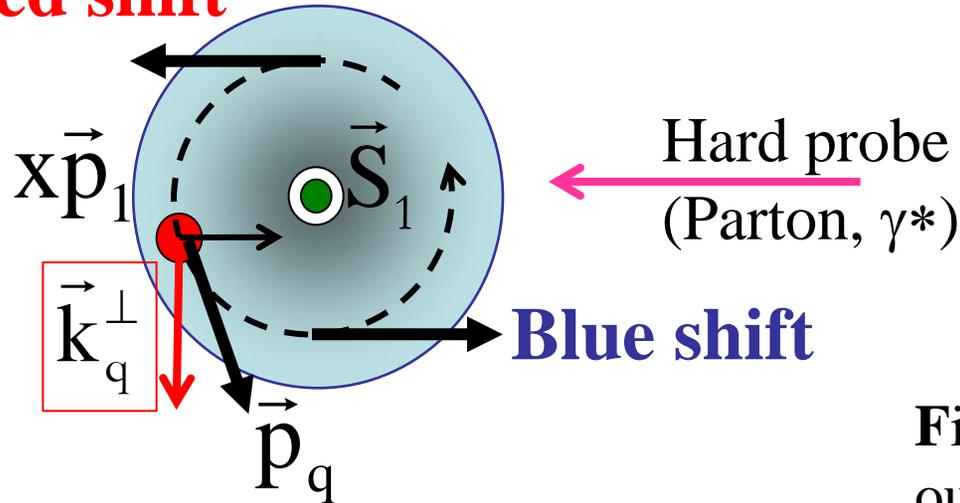
Top view, Breit frame



Quarks orbital motion adds/
subtracts longitudinal momentum
for negative/positive \hat{x} .

PRD66 (2002) 114005

Red shift



Parton Distribution Functions rapidly fall in longitudinal momentum fraction x .

Final State Interaction between outgoing quark and target spectator.

Sivers function

$$f_{1T}^{\perp}(x, \vec{k}_q^{\perp})$$

hep-ph/
0703176

Quark Orbital angular momentum

Generalized Parton Distribution Functions

Hiroimi Okada

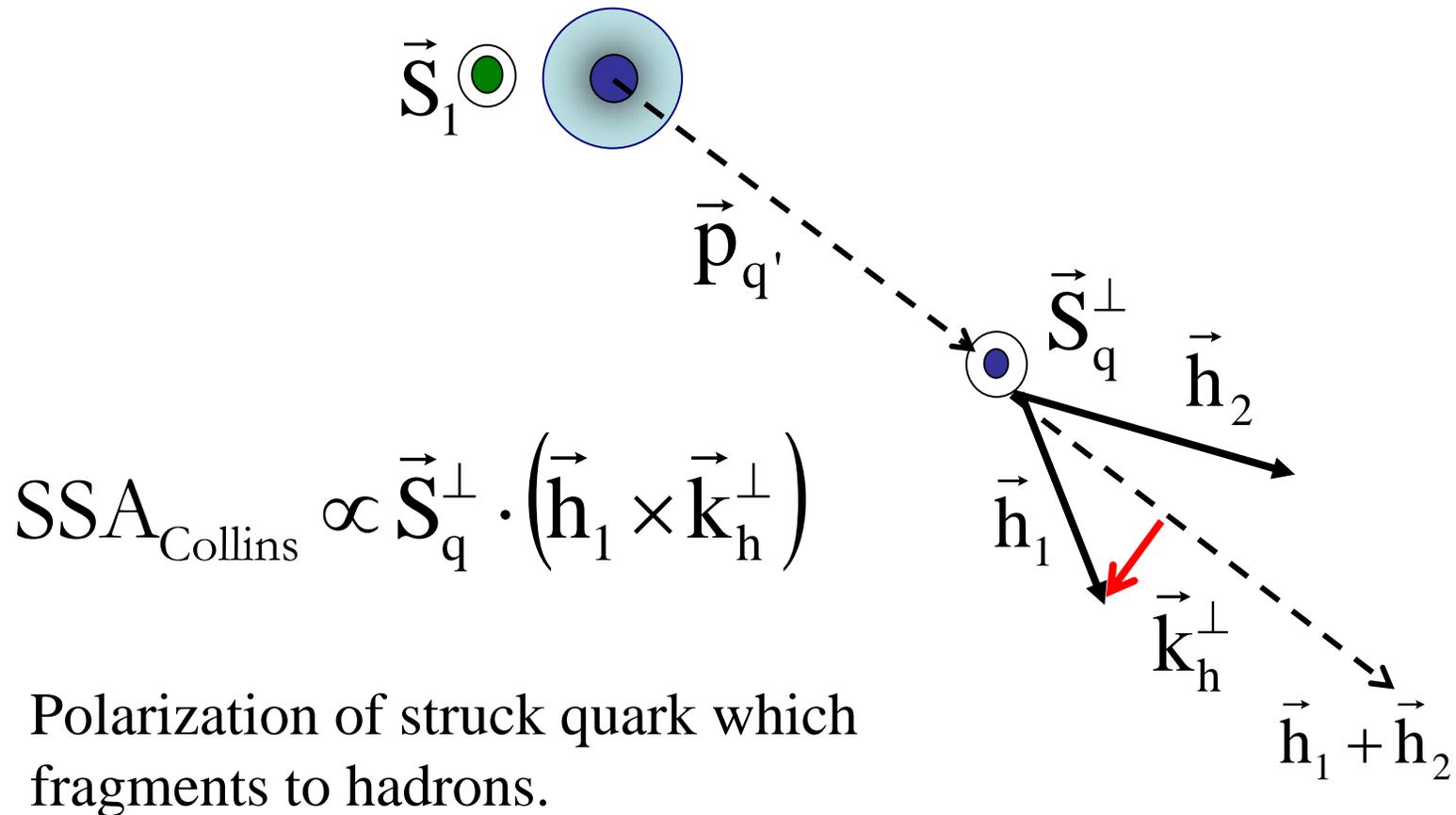
PRD59 (1999) 014013

Collins Heppelmann effect: Final state of fragmentation hadrons

Example:

$$\rho^\uparrow + p \rightarrow h_1 + h_2 + X$$

Nucl Phys B396 (1993) 161,
Nucl Phys B420 (1994) 565

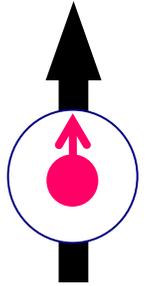


Collins function: analyzer of “Transversity”

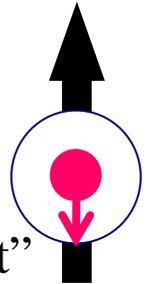
$$\text{Transversity: } \delta q(x, \mu) = q_{\uparrow}^{\uparrow}(x, \mu) - q_{\uparrow}^{\downarrow}(x, \mu)$$

$q_{\uparrow}^{\uparrow\downarrow}(x, \mu)$: Probability to observe **parton** whose pol. vector is “with” or “against” the proton pol. vector with the renormalization scale μ .

“with”



“against”



- ✓ $\delta q(x, \mu)$ has not been measured experimentally.
- ✓ Lattice QCD calculates the first moments of $\delta q(x, \mu)$ for u, d, s quarks and the sum at $\mu^2 = 2 \text{ GeV}^2$.

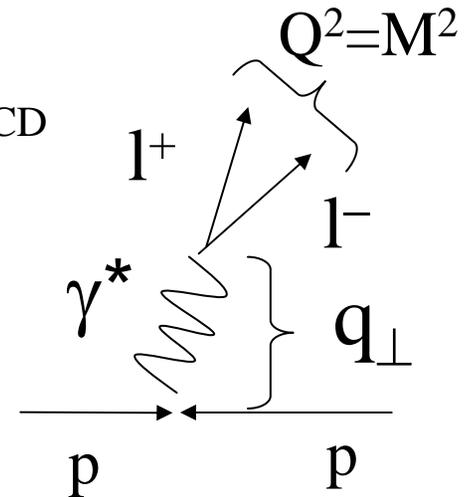
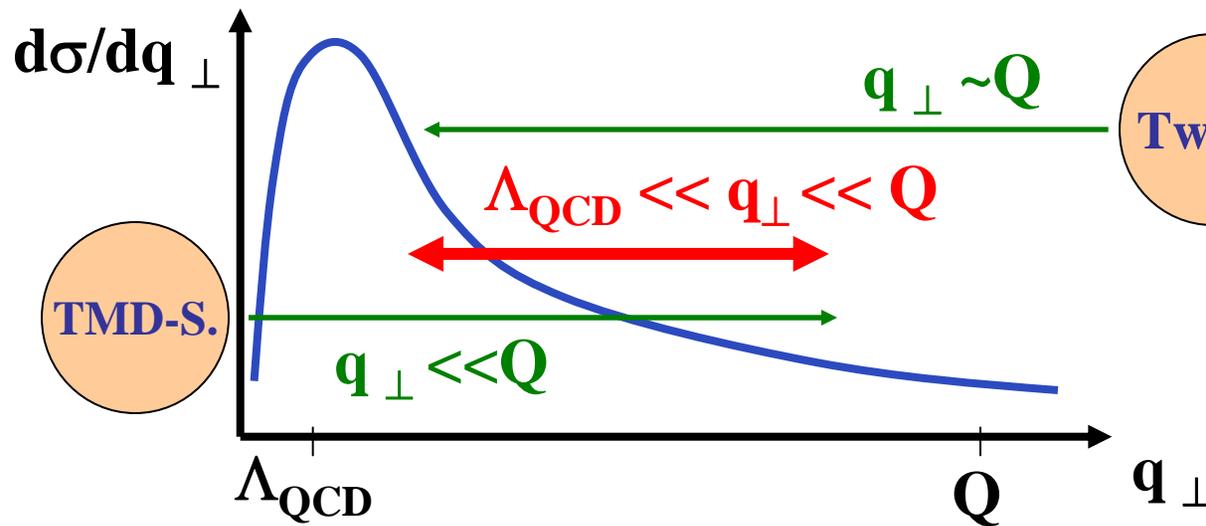
$$\delta q(\mu) = \int_0^1 dx [\delta q(x, \mu) - \delta \bar{q}(x, \mu)]$$

$$\delta \Sigma(\mu) = \delta u(\mu) + \delta d(\mu) + \delta s(\mu)$$

Relevance of **Twist3** and **Spin-correlated TMD**

Lepton-pair (Drell-Yan) production is examined:

- Twist3 (Higher-twist Collinear QCD): $q_{\perp} \sim Q \gg \Lambda_{\text{QCD}}$
- TMD-Sivers QCD: $q_{\perp} \ll Q$



PRL97, 082002 (2006)
PRD73, 094017 (2006)

Twist3 and TMD-Sivers are related at $\Lambda_{\text{QCD}} \ll q_{\perp} \ll Q$

Towards consistency of phenomenological studies of SSA!

Current understanding of SSA

1. SSA of hard scattering is expected to be very small and have p_T dependence by the **leading twist collinear**.
2. **Huge SSAs** have been measured in ***pp* collision** and **SIDIS** (semi-inclusive deep inelastic scattering).
3. Theoretical approaches to explain huge SSAs:
 - **Sivers** effect (\vec{k}_q^\perp is connected to quark orbital angular momentum).
 - **Collins** effect (Analyzer of transversity δq).
 - **Twist3** effect which is related to both initial and final states. Relation of Twist3 to Sivers effect is introduced.

Issues

1. Applicability of pQCD?
2. Relationship of SSAs between SIDIS and pp collision?

Is pQCD applicable for $\sqrt{s} \leq 50$ GeV ?

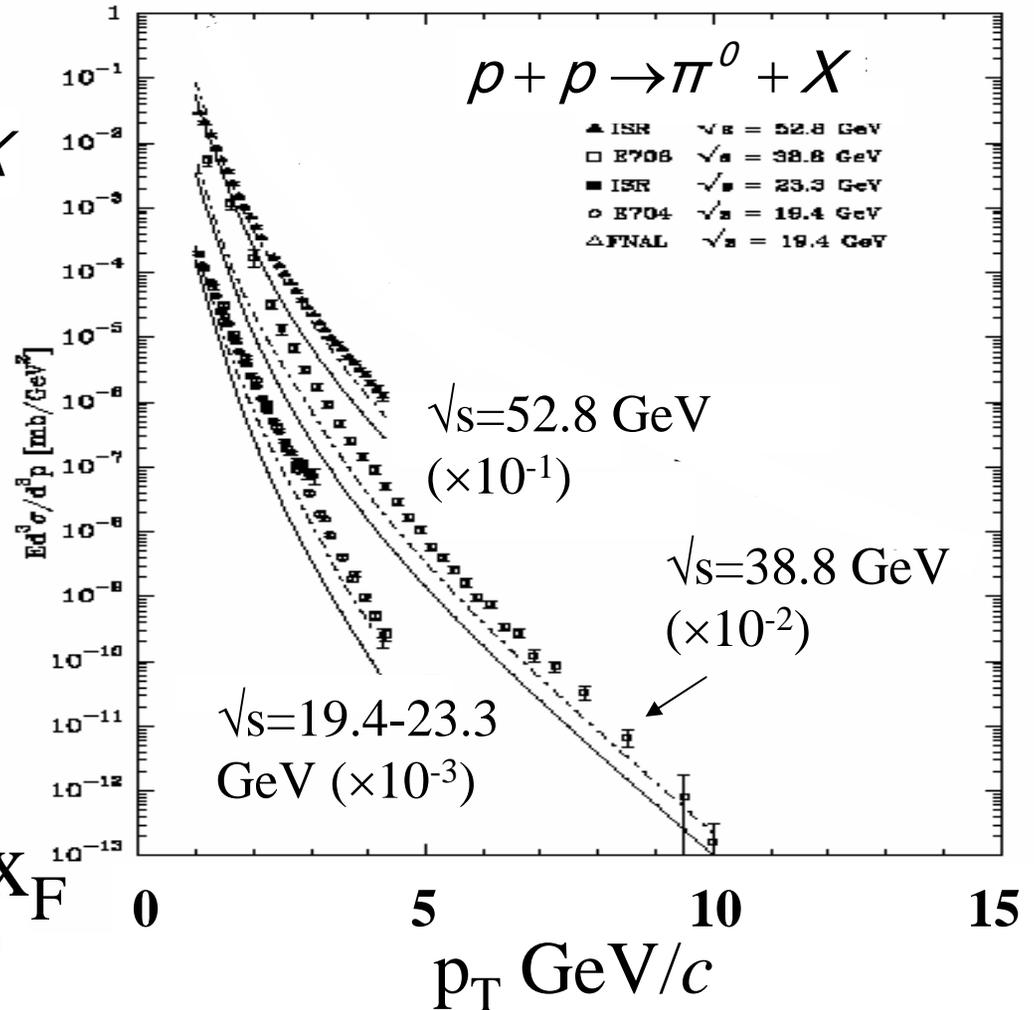
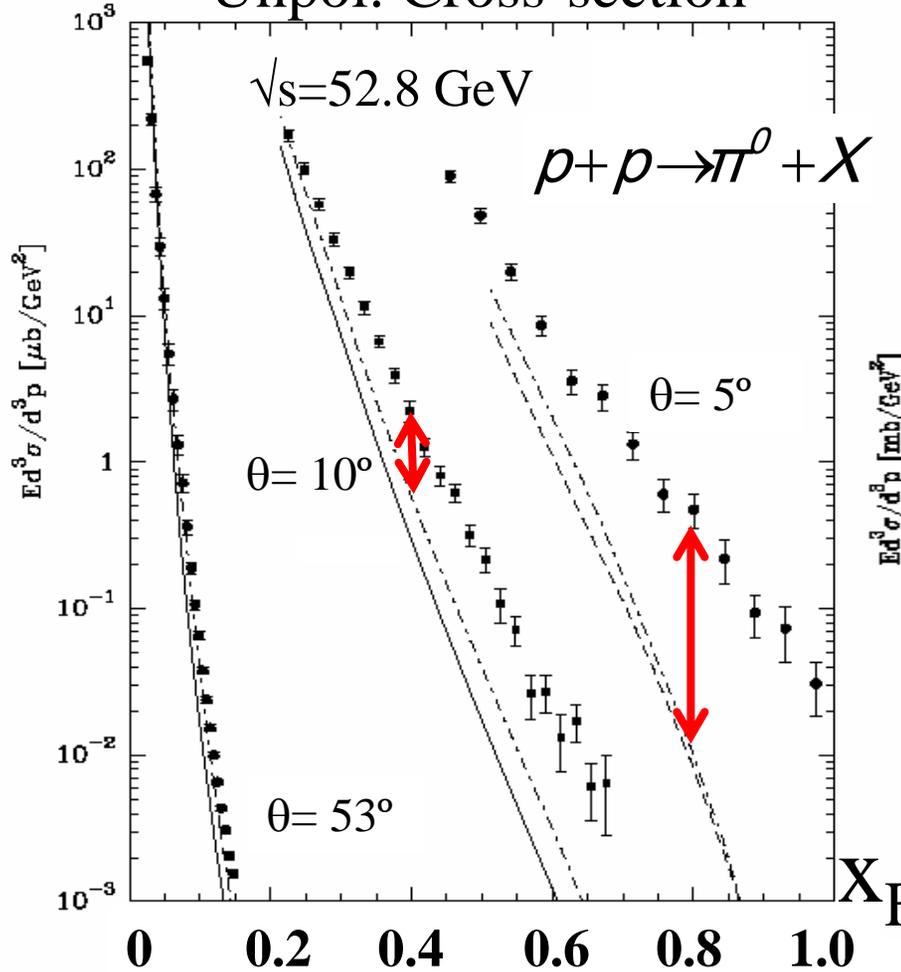
Eur.Phys.J.C36:371-374,2004. ,

Data references therein.

2 NLO calculations with different scales p_T and $p_T/2$

Unpol. Cross-section

Unpol. Cross-sections at $\theta=90^\circ$



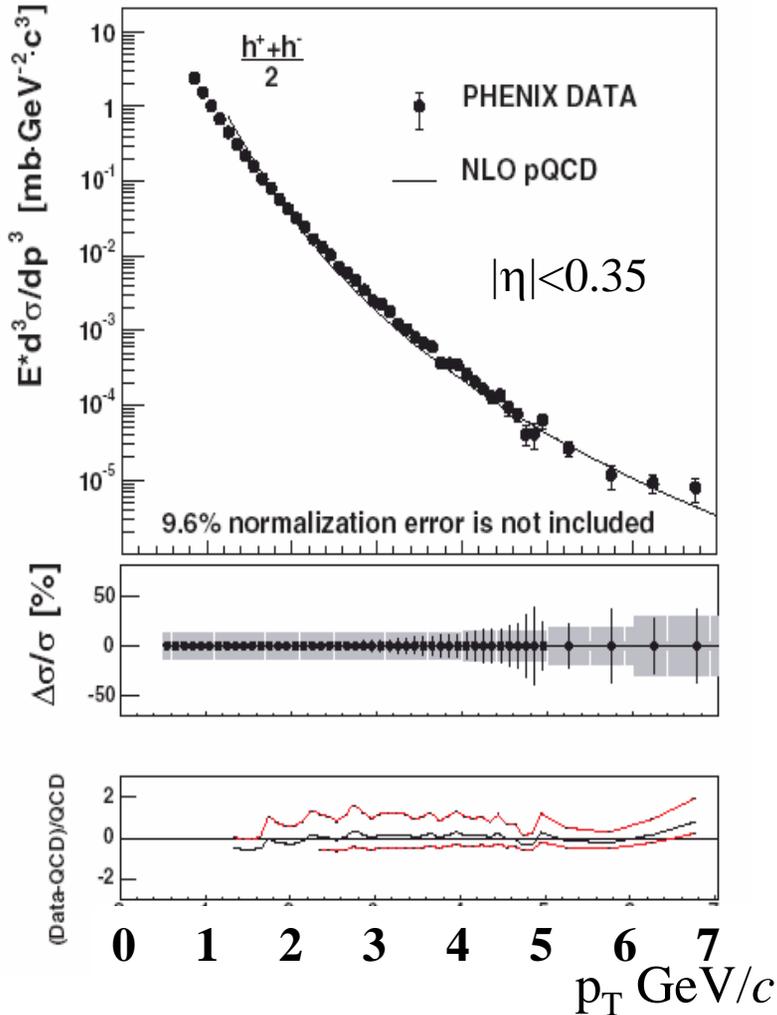
2007/6/2

Require more than NLO pQCD...

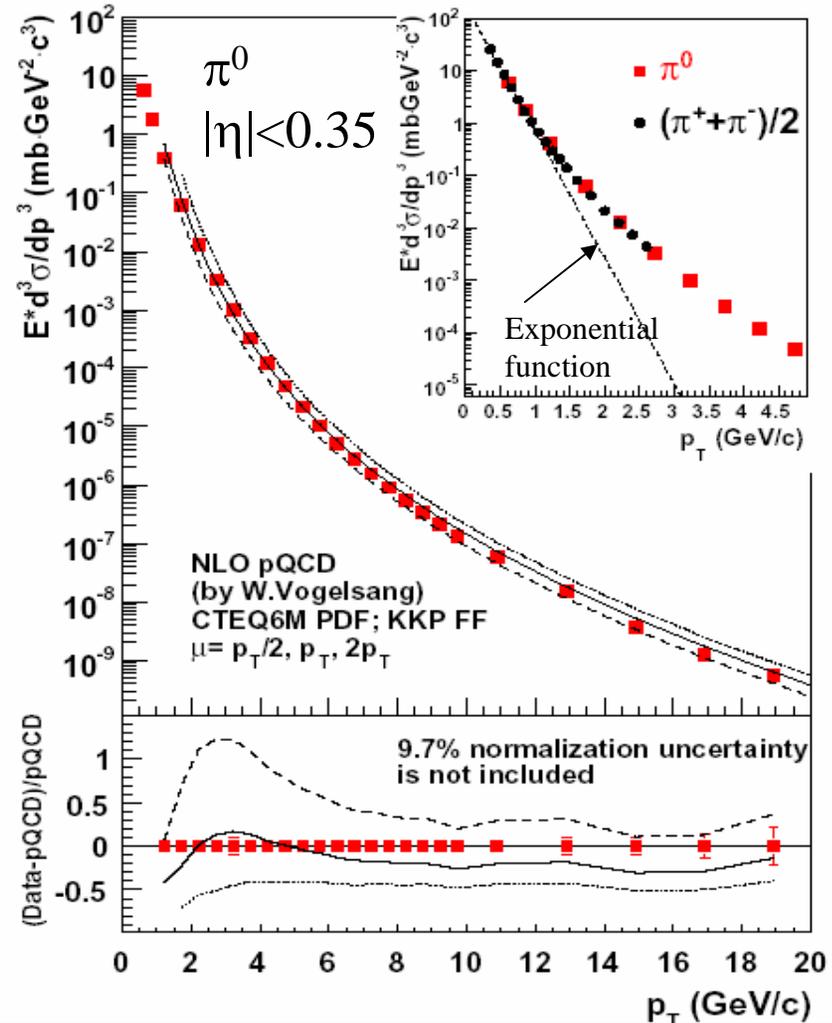
pp collision at $\sqrt{s}=200\text{GeV}$ (1)



PRL95:202001,2005.



hep-ex/0704.3599



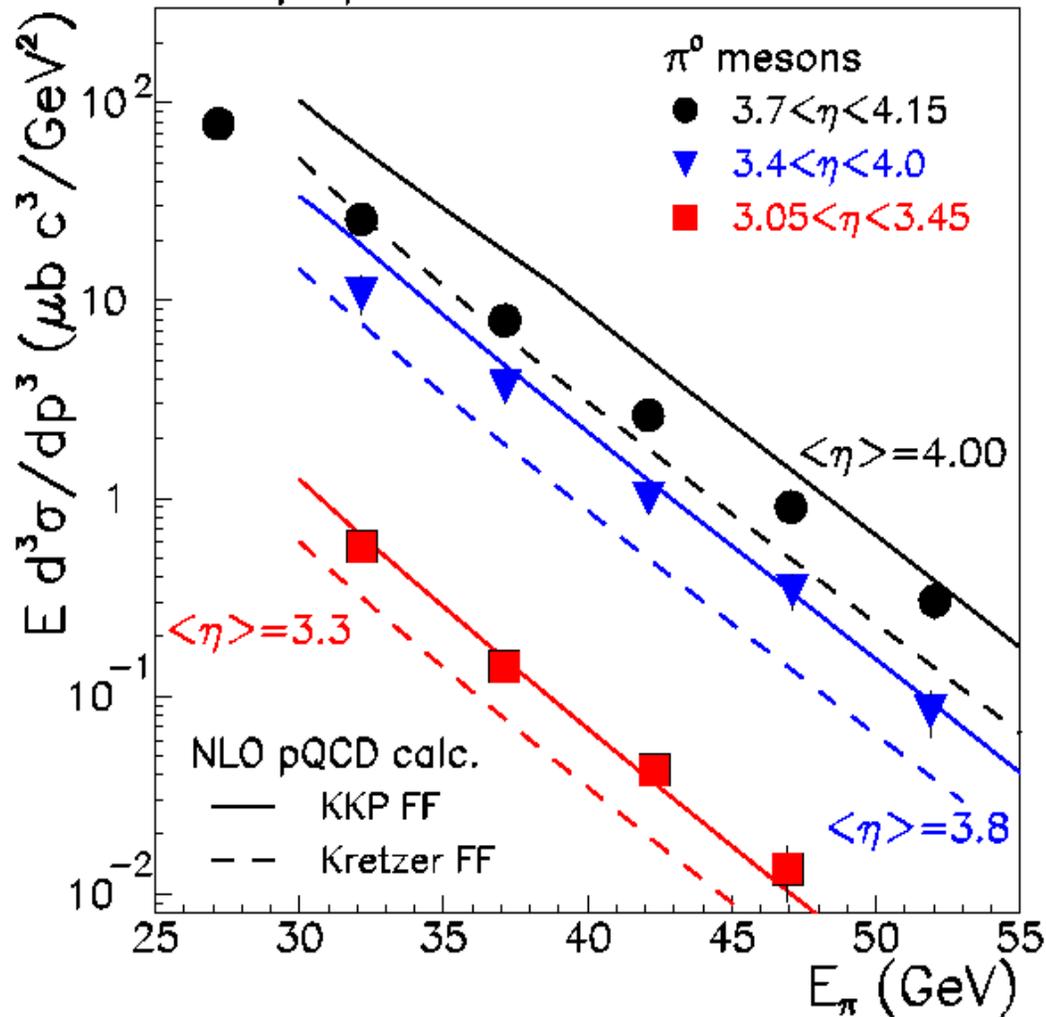
Cross-sections at $|\eta| < 0.35$ are consistent with NLO pQCD.

pp collision at $\sqrt{s}=200\text{GeV}$ (2)



PRL97:152302, 2006.

$p+p \rightarrow \pi^0 + X$ $\sqrt{s}=200\text{ GeV}$



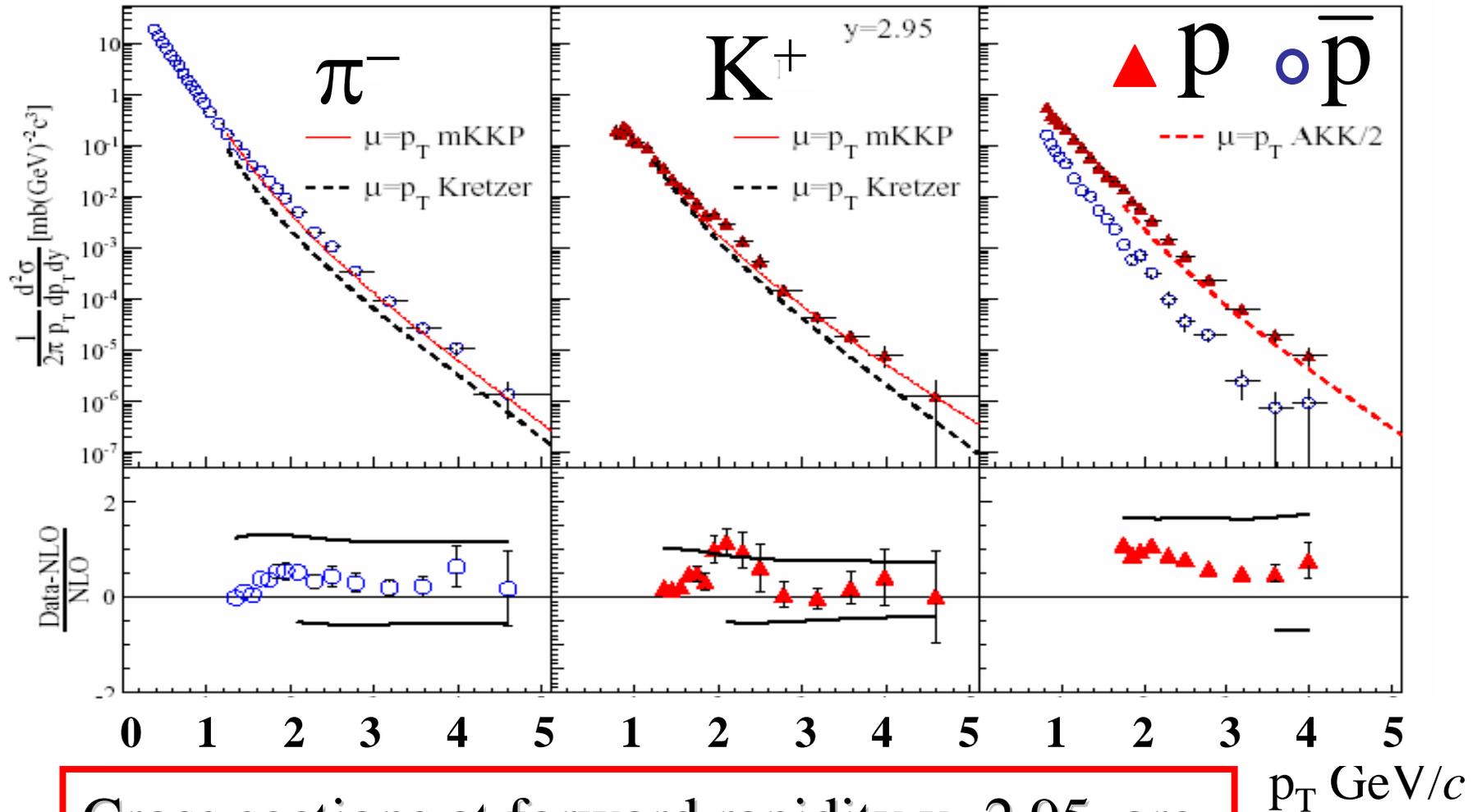
Cross-sections at the forward region, $\langle \eta \rangle = 3.3, 3.8$ and 4.0 are mostly consistent with NLO pQCD calculations.

KKP FF : Nucl. Phys. B597, 337 (2001)
Kretzer FF: Phys. Rev. D62, 054001 (2000).

pp collision at $\sqrt{s}=200\text{GeV}$ (3)



Accepted for publication in Phys. Rev. Lett. **hep-ex/0701041**



Cross sections at forward rapidity $y=2.95$ are consistent with NLO pQCD.

- **RHIC provides $\sqrt{s} = 200$ GeV polarized pp collision.**
 - **Hard process, pQCD is applicable.**
- \Rightarrow Advantage of SSA investigation at RHIC!**

Establish Universality of SSA

hadron-hadron high energy collision for Sivers/Collins at RHIC

Intercomparison via pQCD

Semi-inclusive deep inelastic scattering for Sivers/Collins. (HERMES, COMPASS, ..)

e^+e^- collision for Collins. (BELLE)

I am going to show!

Probe **“color charge”** by comparing with SIDIS process. I will come back this topic, later.

Available Probes at RHIC		
1	$p^\uparrow + p \rightarrow h + X$	Both mix
2	$p^\uparrow + p \rightarrow \text{di-jet} + X$	Sivers?
3	$p^\uparrow + p \rightarrow h + h + X$ (far side)	Separate?
4	$p^\uparrow + p \rightarrow h + h + X$ (near side) $p^\uparrow + p \rightarrow \text{jet} + X$	Collins Sivers
5	$p^\uparrow + p \rightarrow \text{direct } \gamma + X$	Sivers
6	$p^\uparrow + p \rightarrow l^+ l^-$ (Drell-Yan)	Sivers



Solenoidal
Tracker
At
RHIC

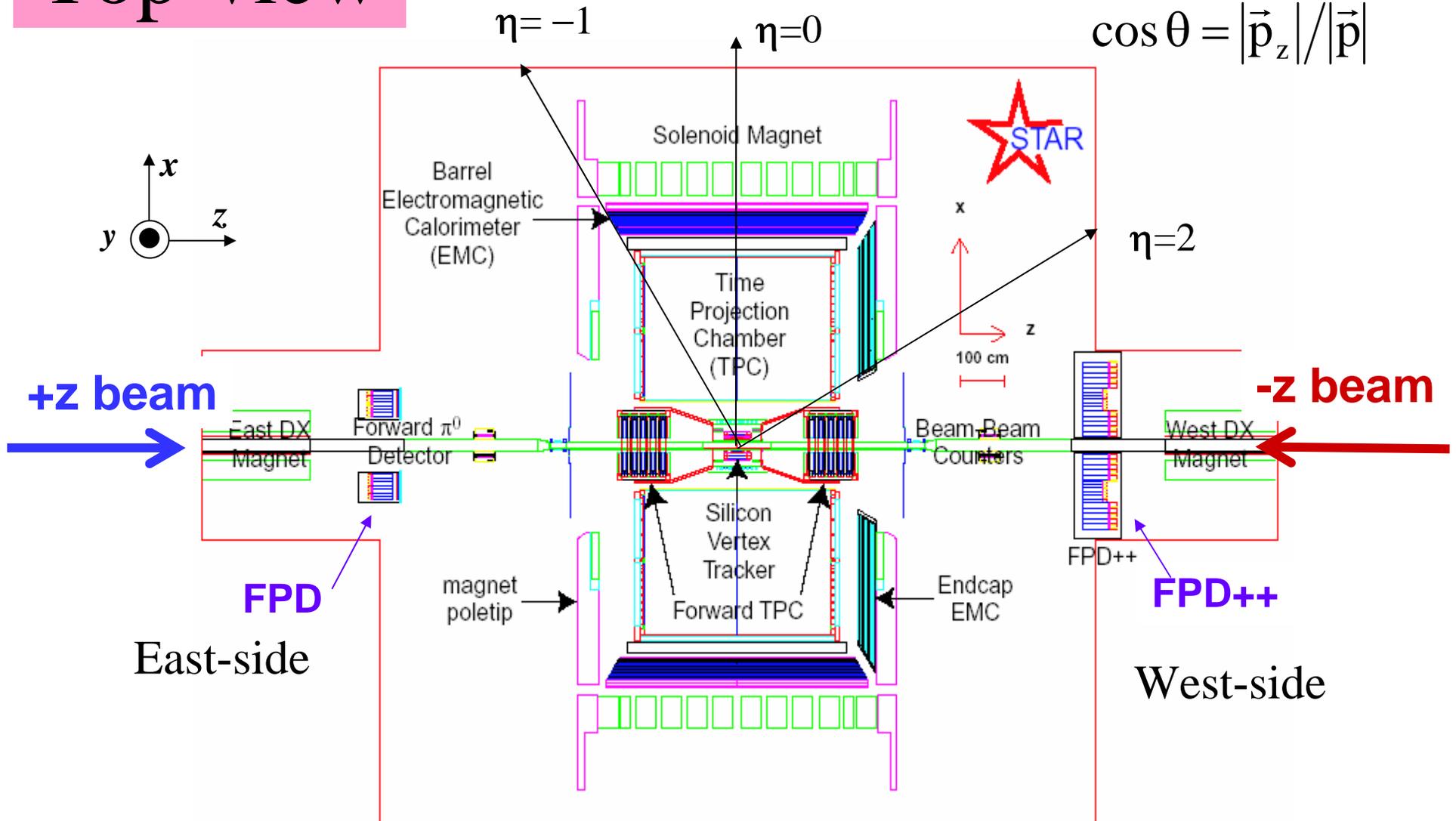
Inclusive π^0 , Di-jet

Top-view

RUN6 configuration

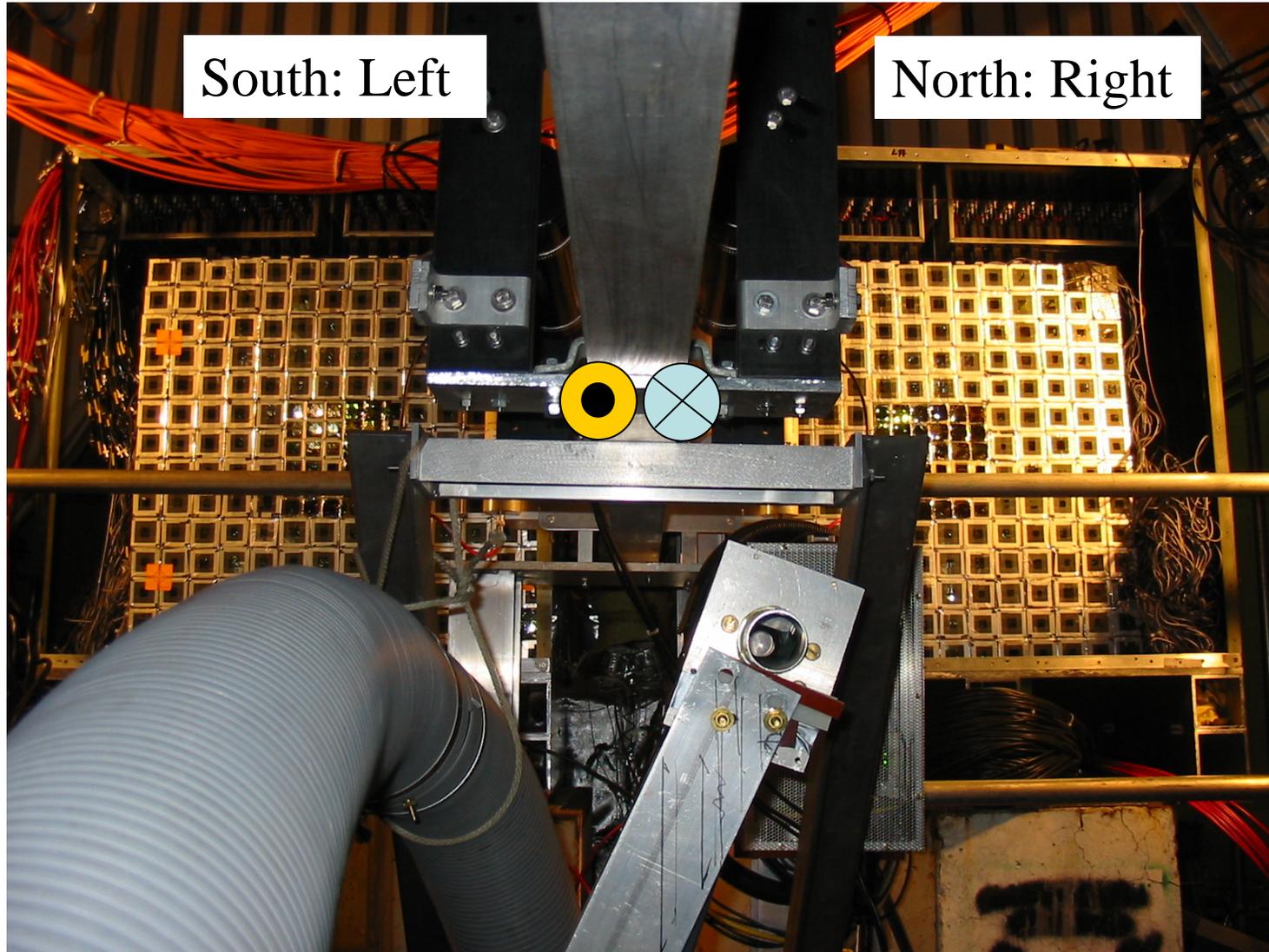
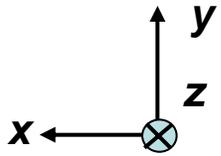
$$\eta = -\ln\{\tan(\theta/2)\}$$

$$\cos\theta = |\vec{p}_z|/|\vec{p}|$$



- Inclusive π^0 in forward region: $-4 < \eta < -3$ (FPD), $2.5 < \eta < 4$ (FPD++)
- Di-jet results: $-1 < \eta < 2$ (Barrel EMC, Endcap EMC, 2π)

FPD++ (Forward Pion Detector) , West side



Inclusive π^0



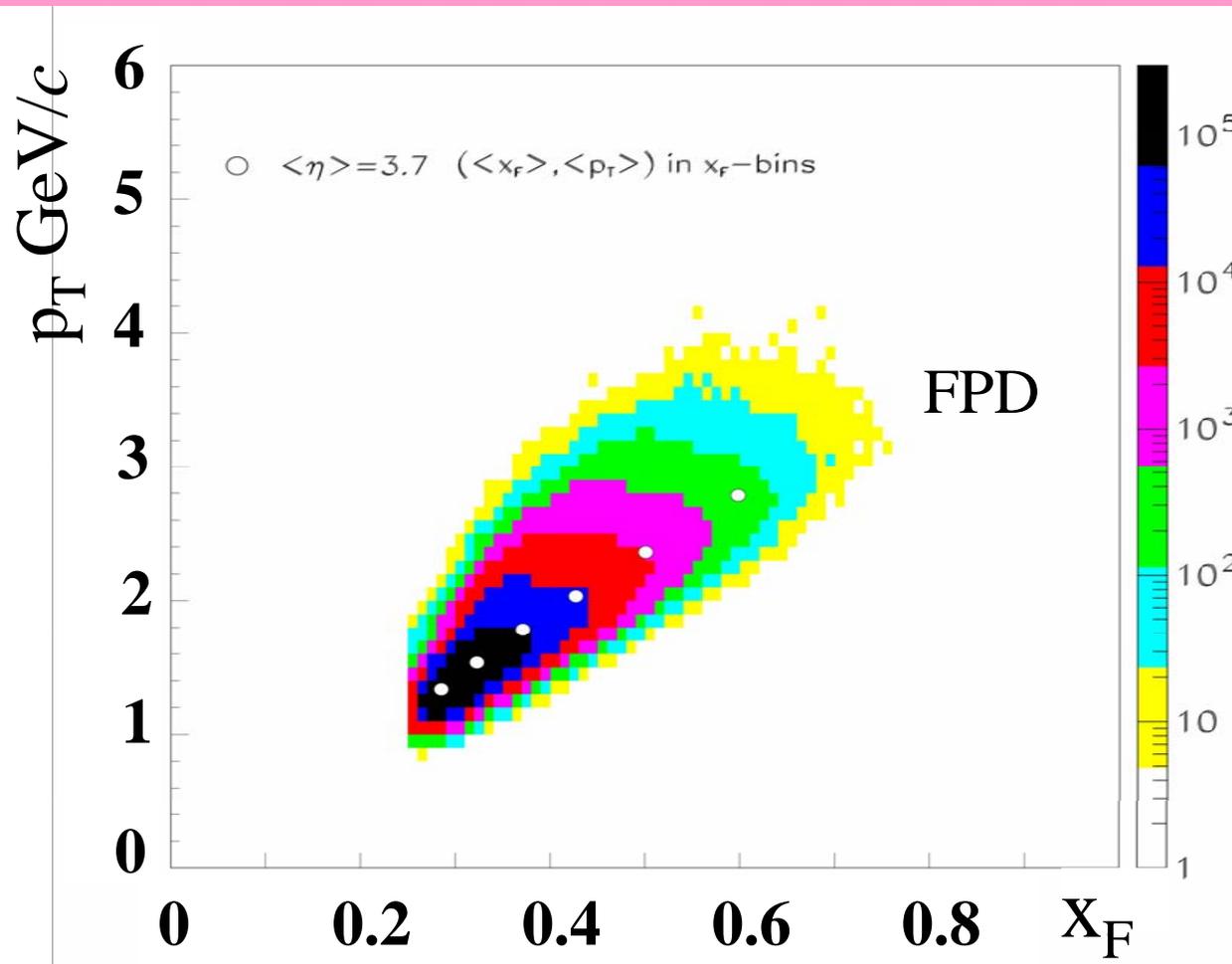
2007/6/21

Hiroimi Okada

27

Acceptance of FPD

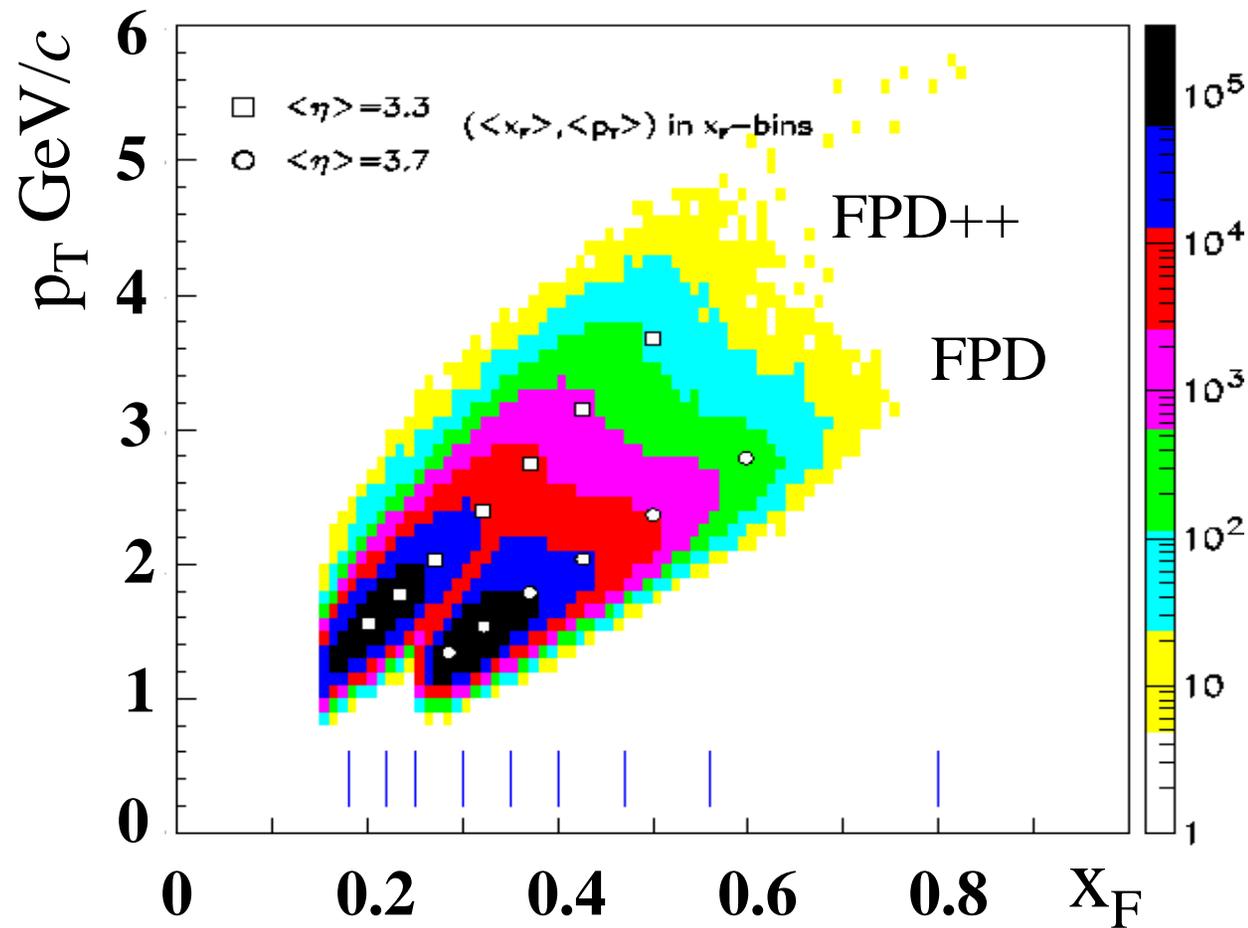
Inclusive π^0

Strong x_F and p_T correlation because of limited acceptance.

Acceptance of FPD and FPD++

Inclusive π^0

Study of the p_T dependence needs large acceptance.

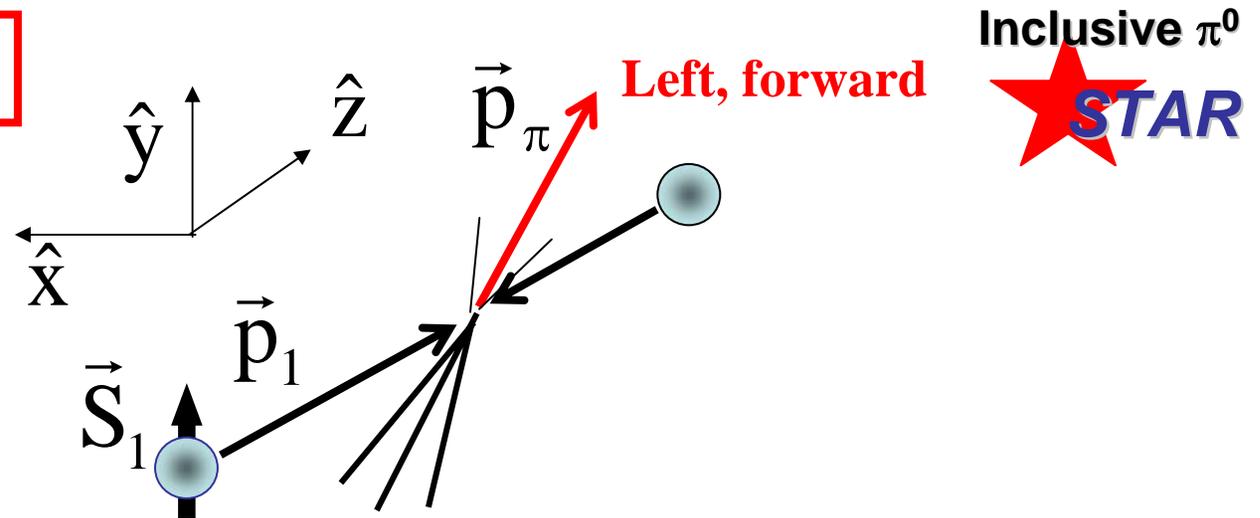
Overview of transverse spin runs at STAR with forward calorimetry: 2001→2006

	Run2	Run3	Run5	Run6 (2006)
detector	EEMC and FPD prototypes	6 matrices of FPD	full FPD (8 matrices)	East FPD West FPD++
$P_{BEAM}^{\text{sampled}}, \%$	~15	~30	~45	~60
$\int Ldt, pb^{-1}$	0.15	0.25	0.1	6.8
$\langle \eta \rangle$	3.8	$\pm 3.3/\pm 4.0$	$\pm 3.7/\pm 4.0$	-3.7/3.3

FOM (P^2L) in Run 6 is ~50 times larger than from all the previous STAR runs, and ~725 times larger than for Run 2

SSA of inclusive π^0 production with FPD and FPD $_{++}$

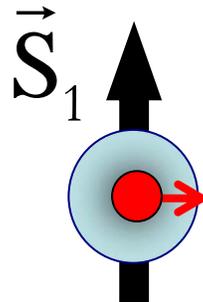
$$p^\uparrow + p \rightarrow \pi^0 + X$$



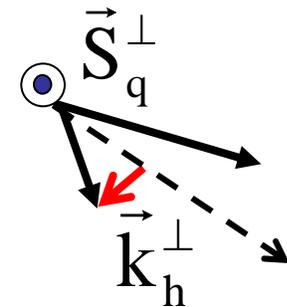
Measure;

$$\vec{S}_1 \cdot (\vec{p}_1 \times \vec{p}_\pi) \Rightarrow \frac{A \cdot [\vec{S}_1 \cdot (\vec{p}_1 \times \vec{k}_q^\perp)] + B \cdot [\vec{S}_q \cdot (\vec{h}_1 \times \vec{k}_h^\perp)]}{}$$

Sivers

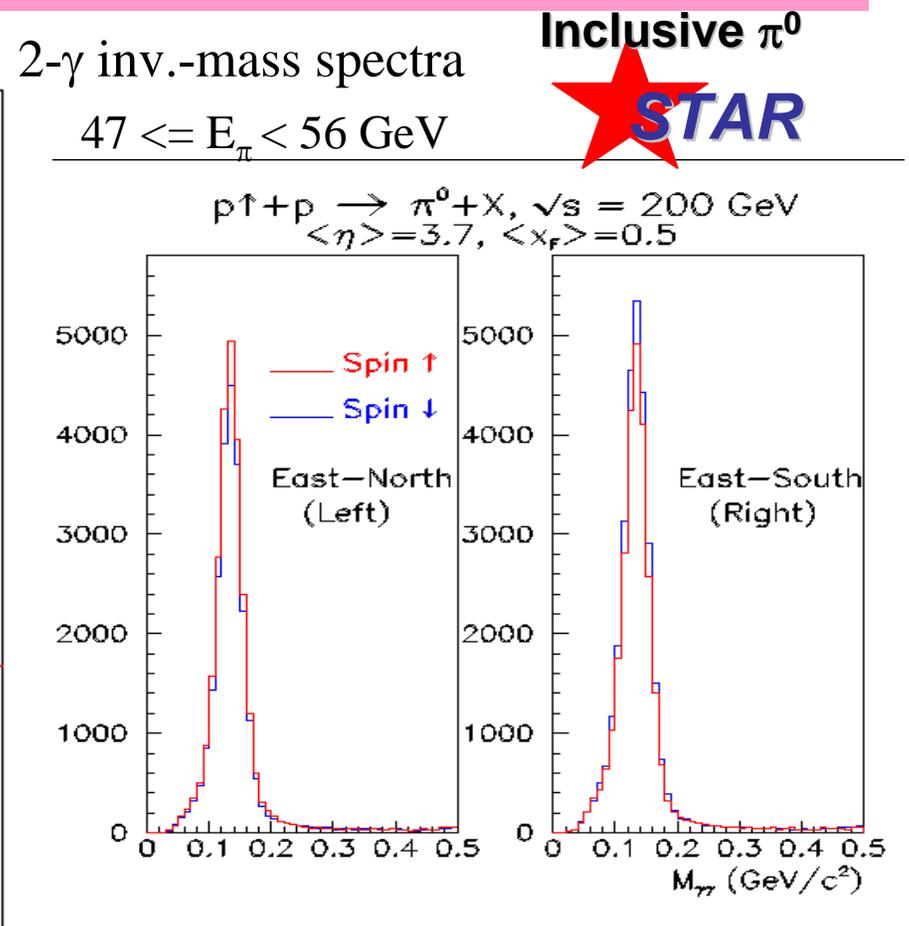
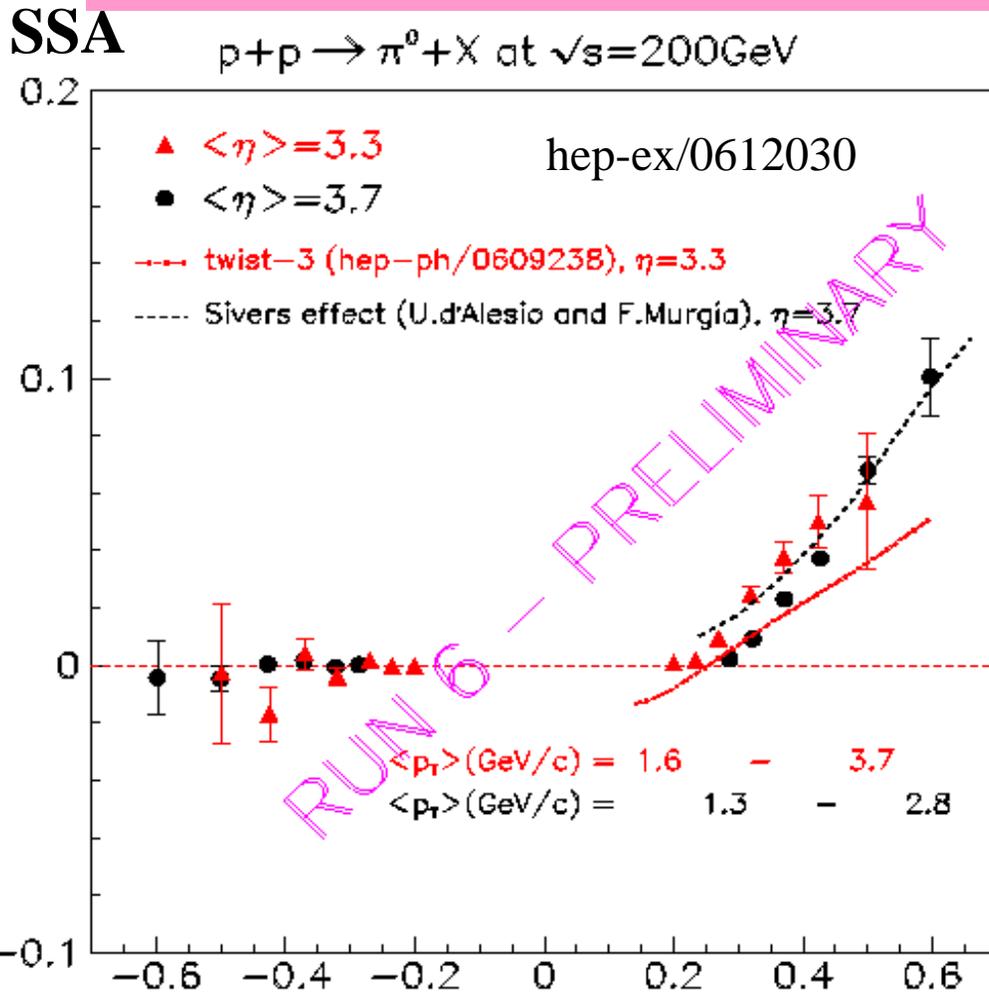


Collins



Does SSA survive in pQCD region?

SSA (π^0) at $\sqrt{s}=200$ GeV SURVIVES !



$$x_F = \frac{p_{z,\pi}}{p_{z,1}^{\text{unpol}}} < 0,$$

$$x_F = \frac{p_{z,\pi}}{p_{z,1}^{\text{pol}}} > 0$$

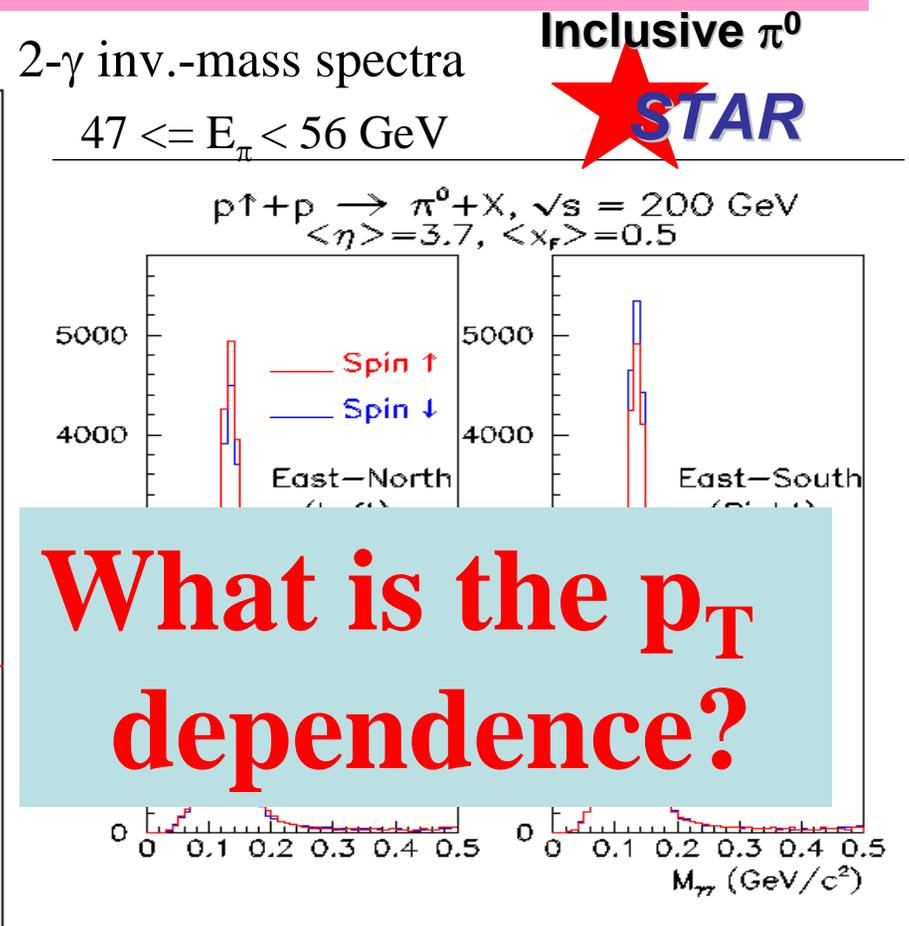
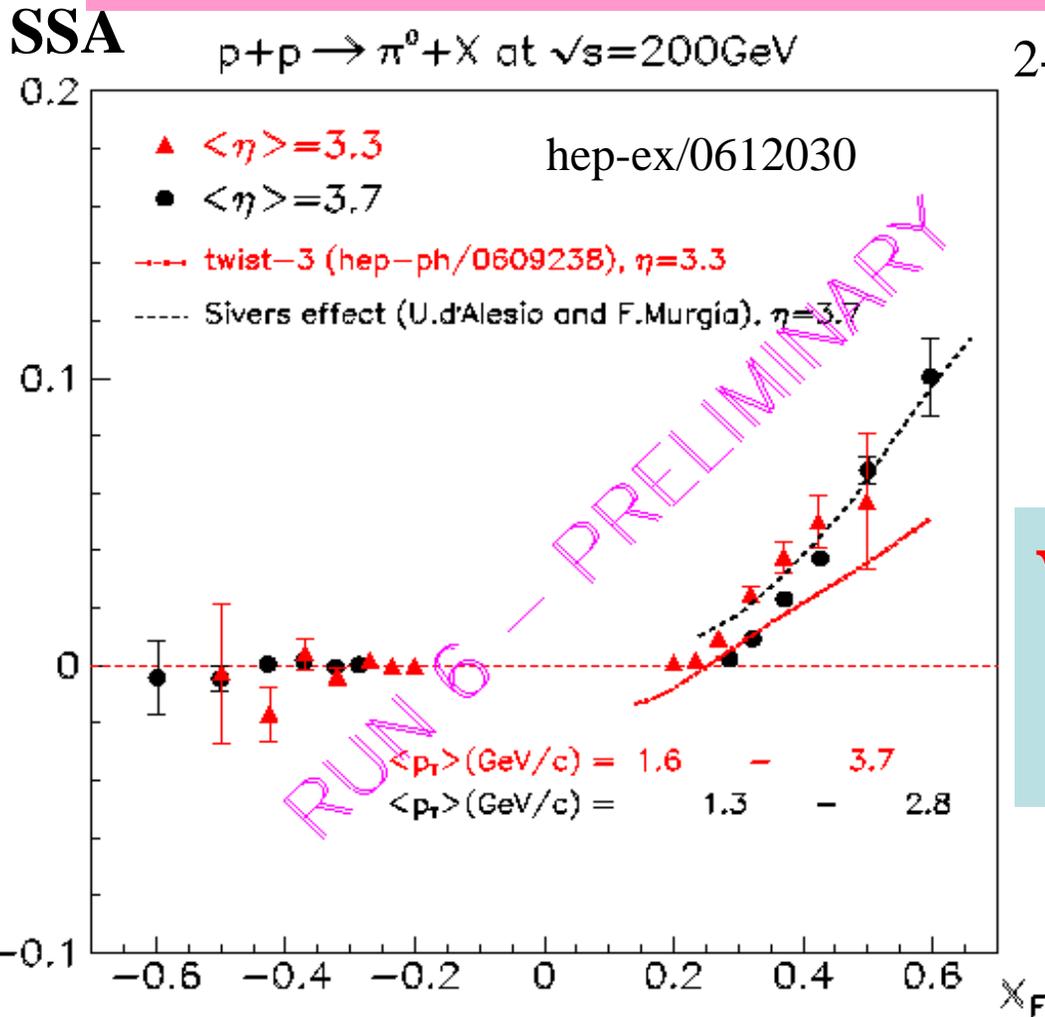
Double arm

$$\text{SSA} = \frac{1}{\text{pol.}} \frac{\sqrt{N_{\uparrow}^L N_{\downarrow}^R} - \sqrt{N_{\uparrow}^R N_{\downarrow}^L}}{\sqrt{N_{\uparrow}^L N_{\downarrow}^R} + \sqrt{N_{\uparrow}^R N_{\downarrow}^L}}$$

2007/6/21

Hiromi Okada

SSA (π^0) at $\sqrt{s}=200$ GeV SURVIVES !



$$x_F = \frac{p_{z,\pi}}{p_{z,1}^{\text{unpol}}} < 0, \quad x_F = \frac{p_{z,\pi}}{p_{z,1}^{\text{pol}}} > 0$$

2007/6/21

Hiroshi Okada

- SSA is measured by square-root formula with double-arms (left-right) detector:
- SSAs at different $\langle \eta \rangle$ do not change much.

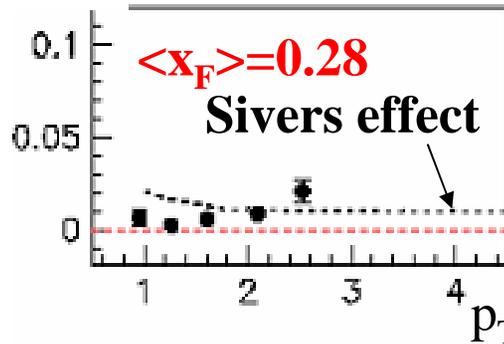
SSA as a function of p_T in x_F slice



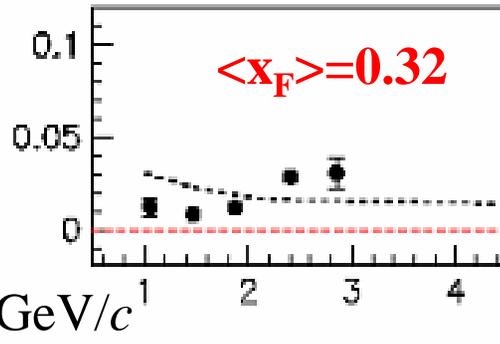
hep-ex/0612030

$p+p \rightarrow \pi^0 + X$ at $\sqrt{s}=200\text{GeV}$

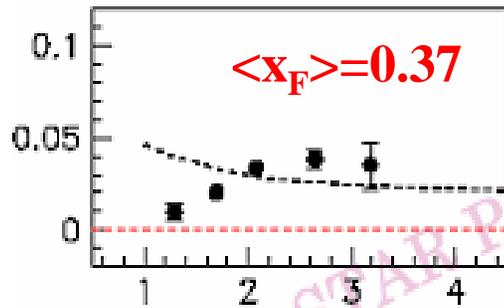
SSA $0.25 < x_F < 0.3, \langle x_F \rangle = 0.28$



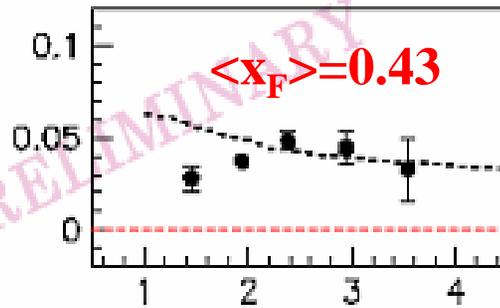
$0.3 < x_F < 0.35, \langle x_F \rangle = 0.32$



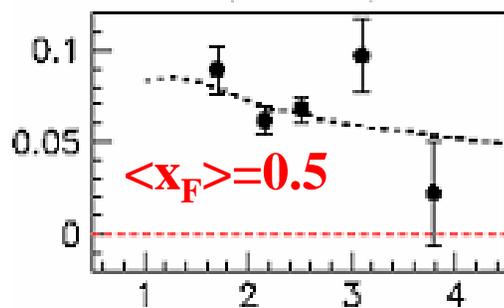
$0.35 < x_F < 0.4, \langle x_F \rangle = 0.37$



$0.4 < x_F < 0.47, \langle x_F \rangle = 0.43$



$0.47 < x_F < 0.56, \langle x_F \rangle = 0.5$



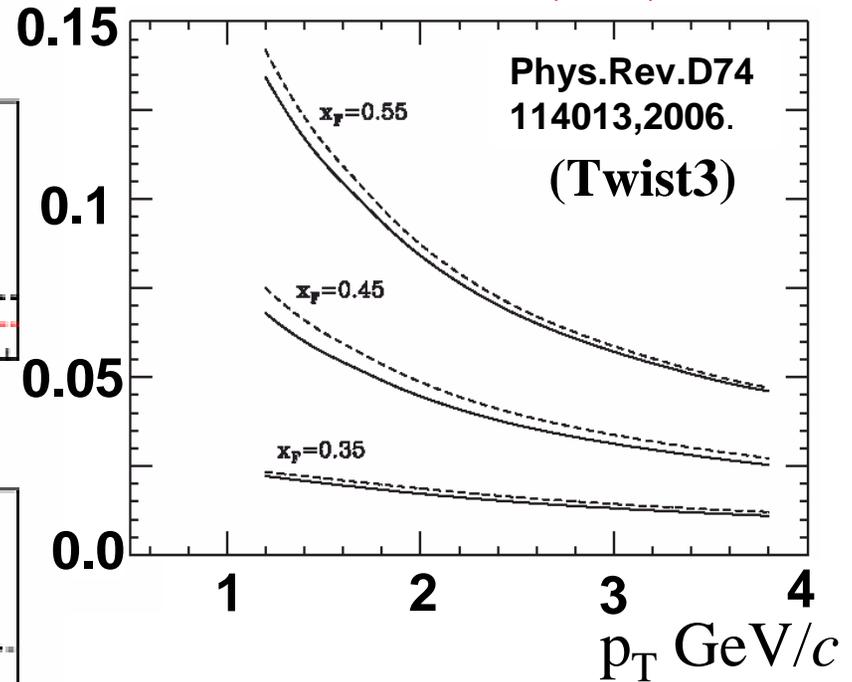
$p_T, \text{ GeV}/c$

Sivers effect calculation:

Phys. Rev. D70, 074009 (2004)

(U.d'Alesio and F.Murgia)

SSA



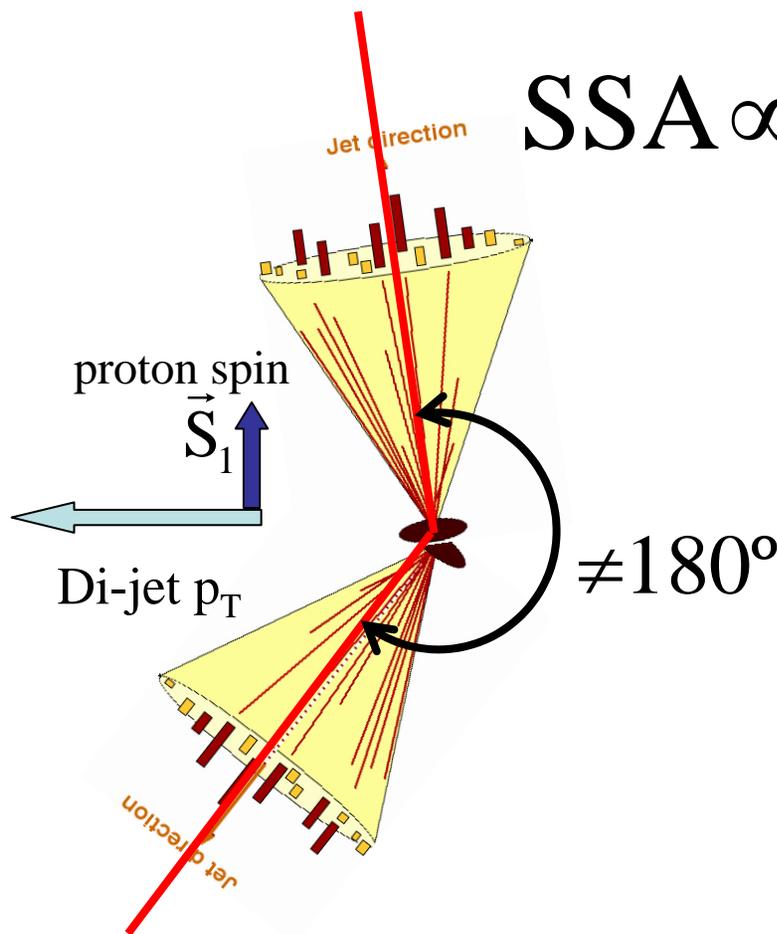
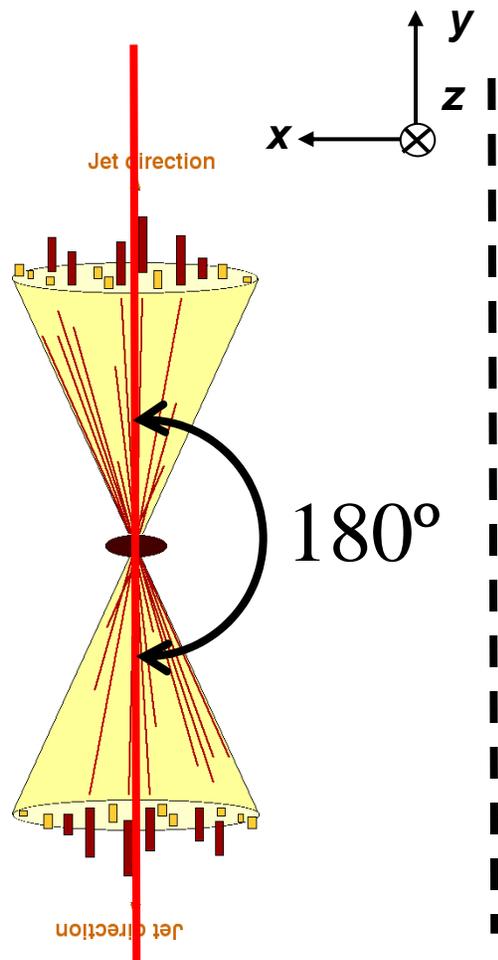
- Combined data from three runs at $\langle \eta \rangle = 3.3, 3.7$ and 4.0 .
- Within each x_F bin, $\langle x_F \rangle$ does not significantly change with p_T .

Data do not show a simply monotonic decrease of SSA with increasing p_T .

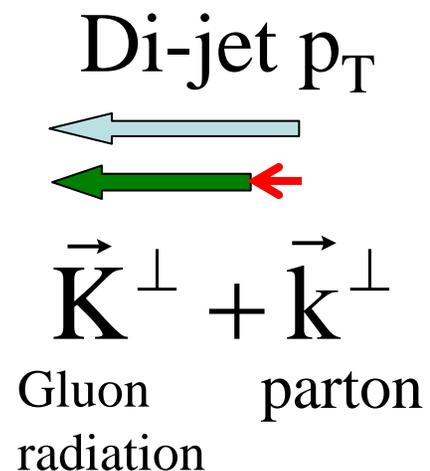
SSA in di-jet production



Boer & Vogelsang, PRD 69, 094025 (2004)



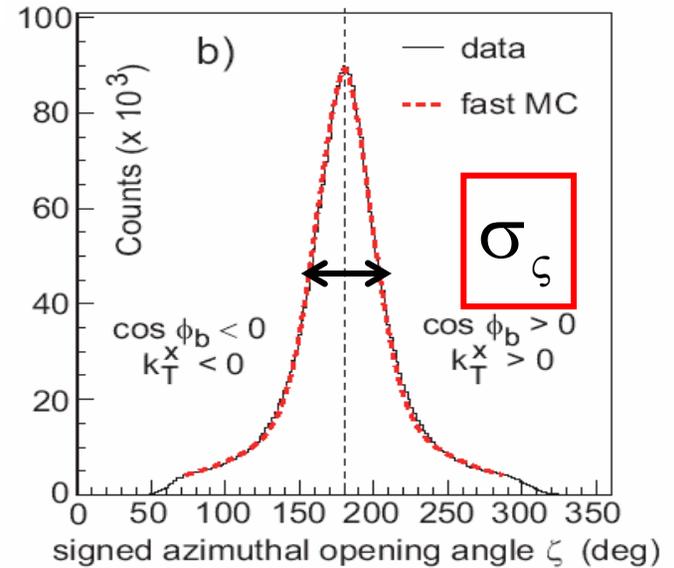
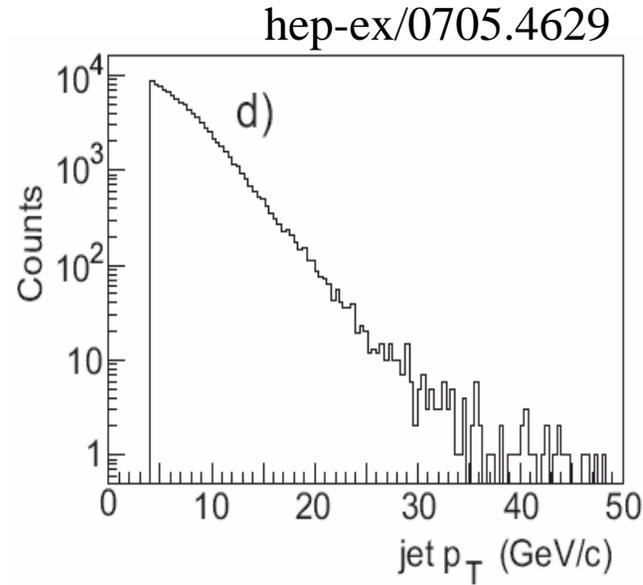
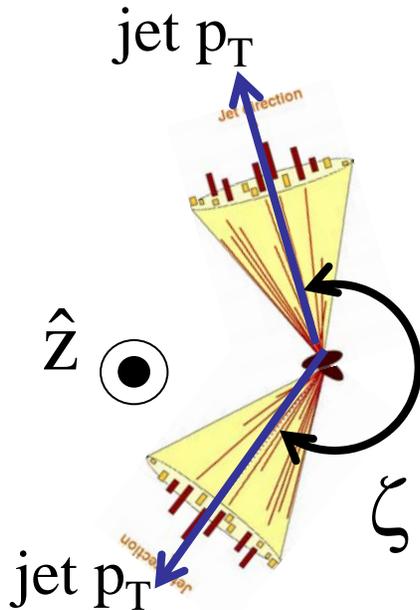
$$SSA \propto \vec{S}_1 \cdot (\vec{p}_1 \times \vec{k}^\perp)$$



What is dominance of di-jet p_T ?

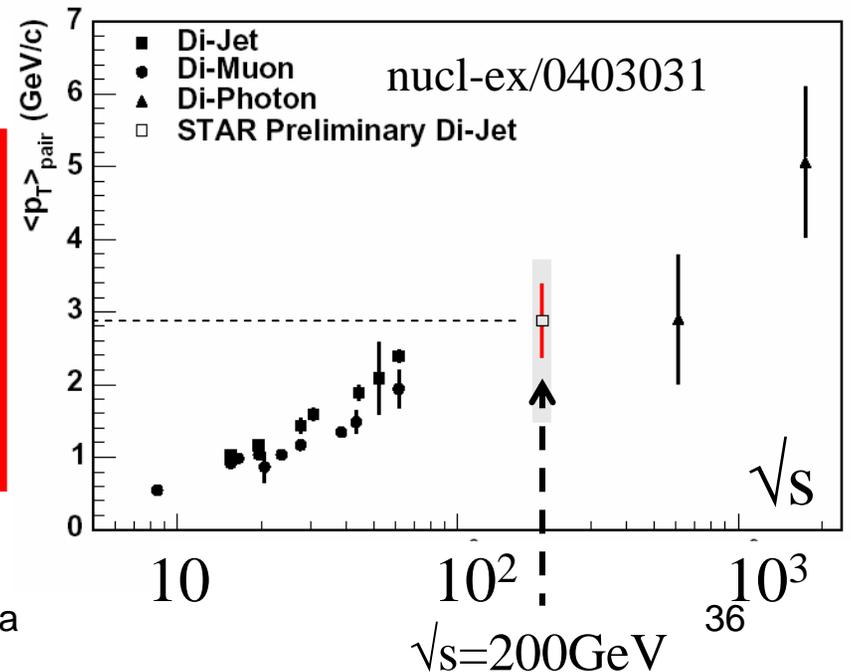


Di-jet event measurements



$$\langle \text{Di-jet } p_T \rangle = \frac{\pi}{2} \langle E_T \rangle \sin \sigma_s \sim 2.8 \text{ GeV}/c$$

$$\text{parton } |\vec{k}^\perp| \sim \frac{\hbar c}{r_p} \sim 0.2 \text{ GeV}/c$$



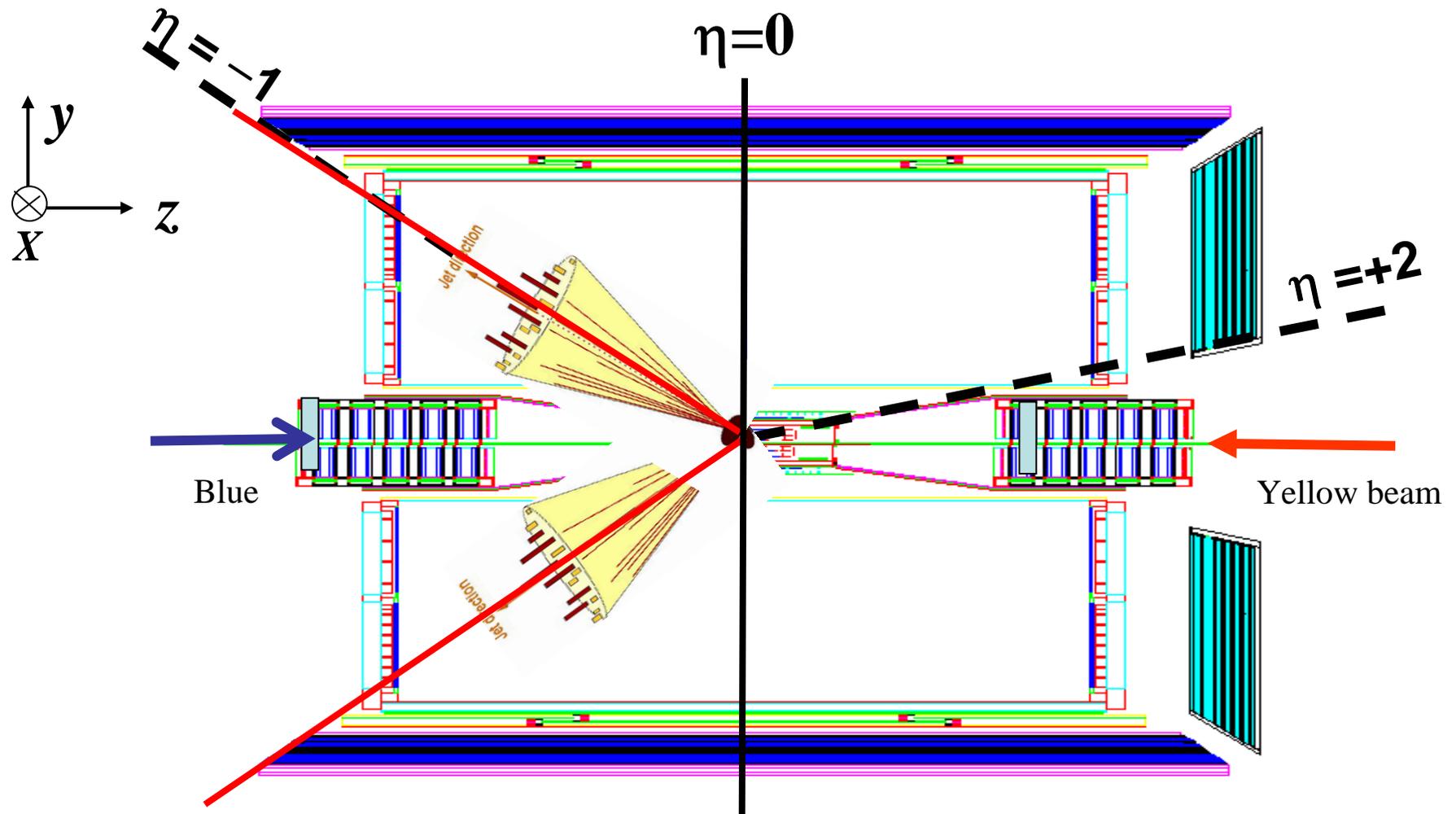
2007/6/21

Hiroimi Okada

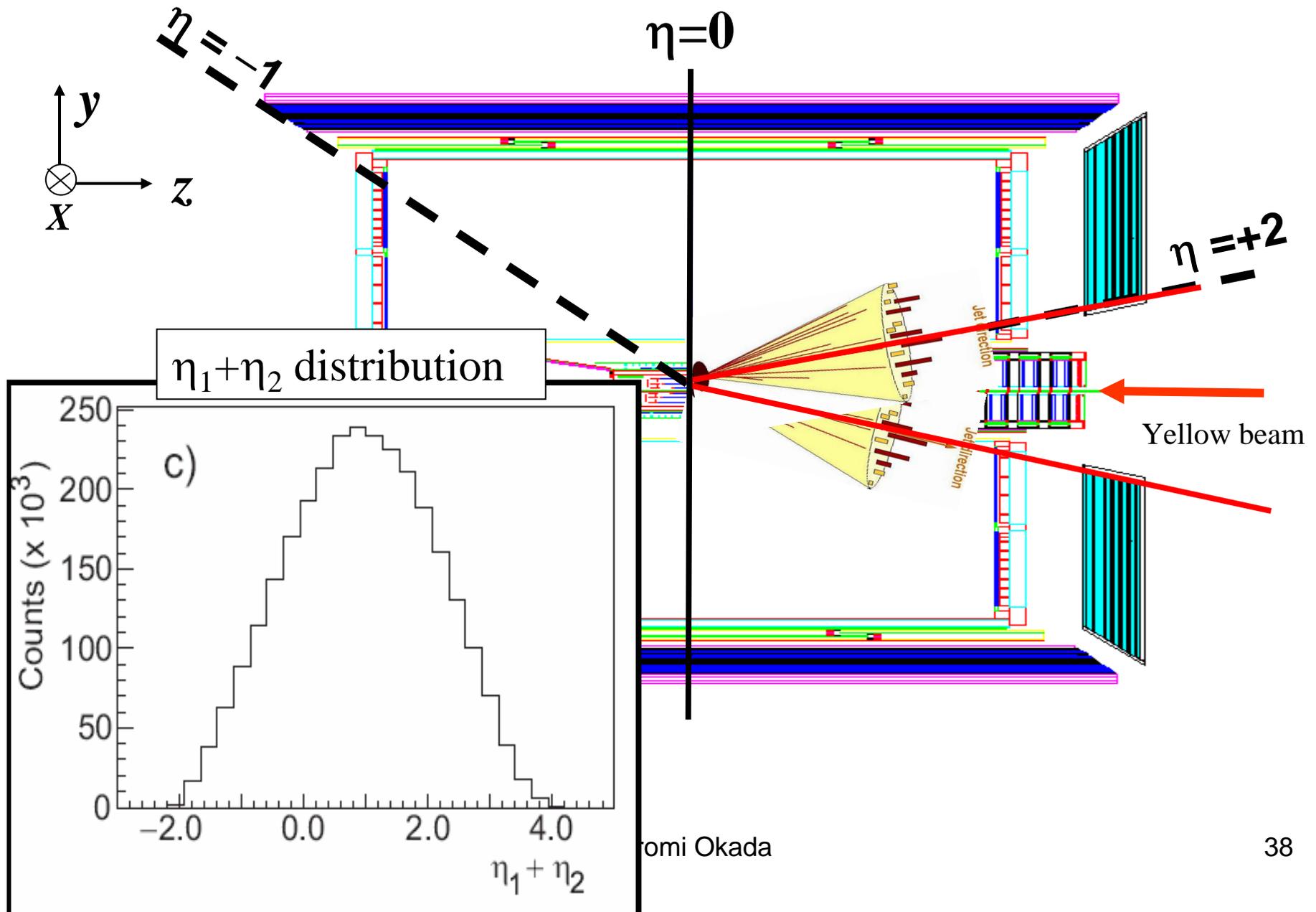
36



Di-jet event: $\eta_1 + \eta_2 = -2$



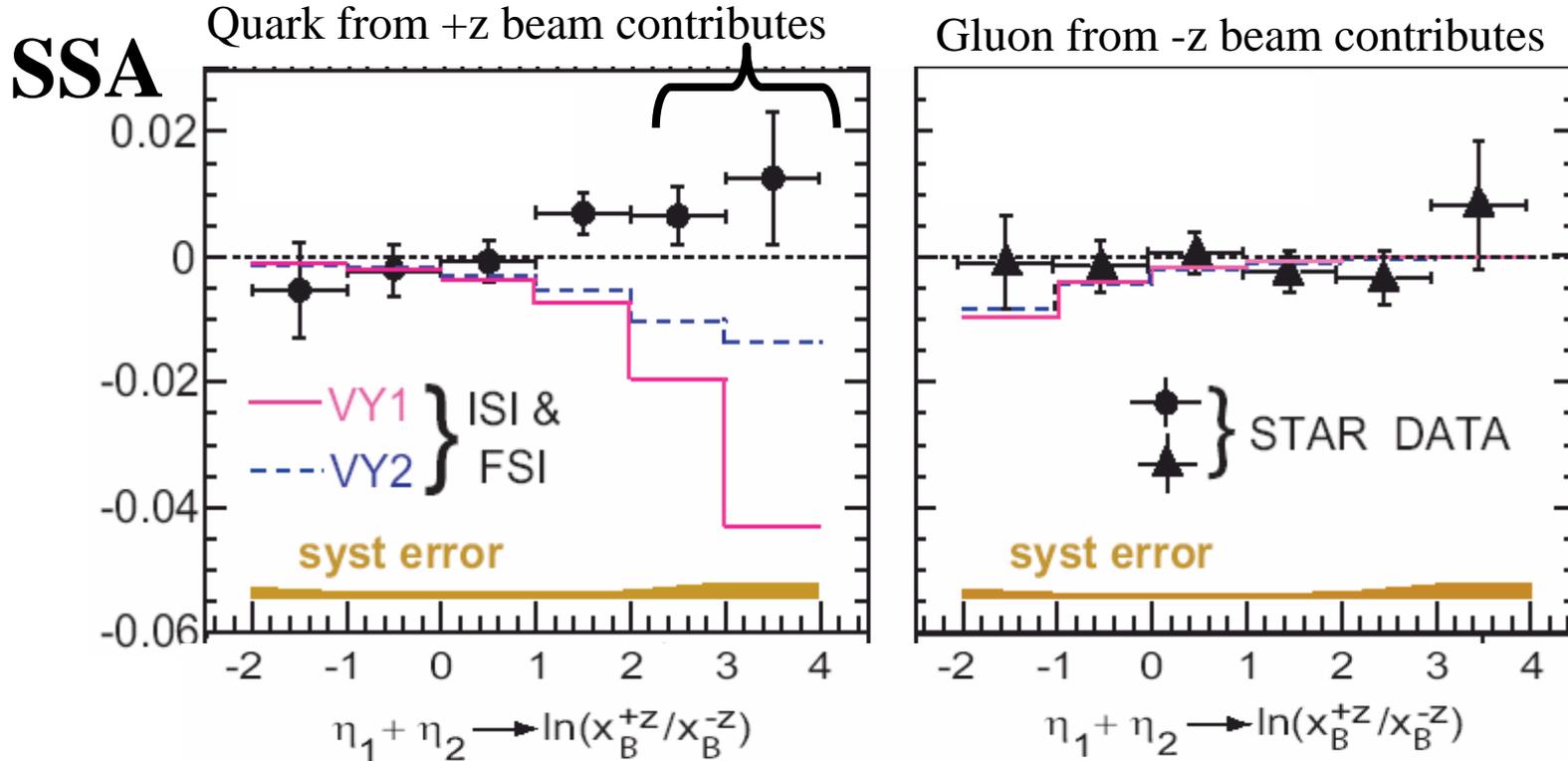
Di-jet event: $\eta_1 + \eta_2 = +4$





STAR Results vs. Di-jet Pseudorapidity Sum

hep-ex/0705.4629, submitted to PRL.



Measured di-jet SSAs are consistent with zero.

(VY 1, VY 2 are calculations by Vogelsang & Yuan using HERMES-fitted quark Sivers function. PRD 72 (2005) 054028.)

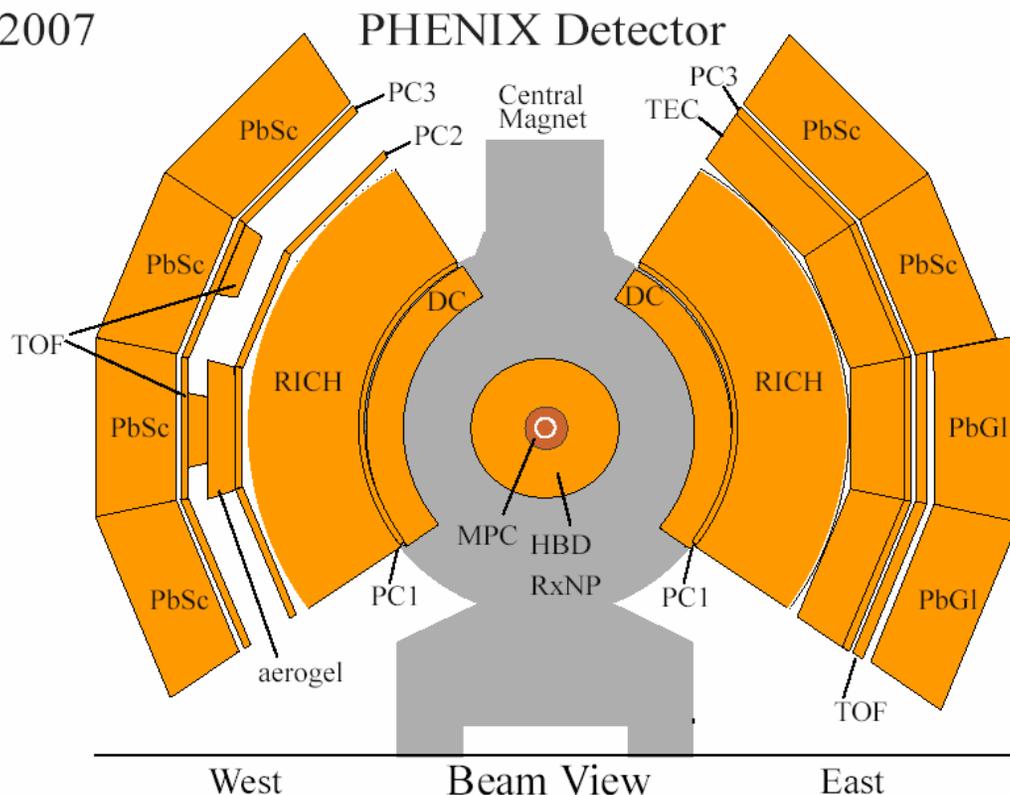
PHENIX



Pioneering
High
Energy
Nuclear
Interaction
eXperiment

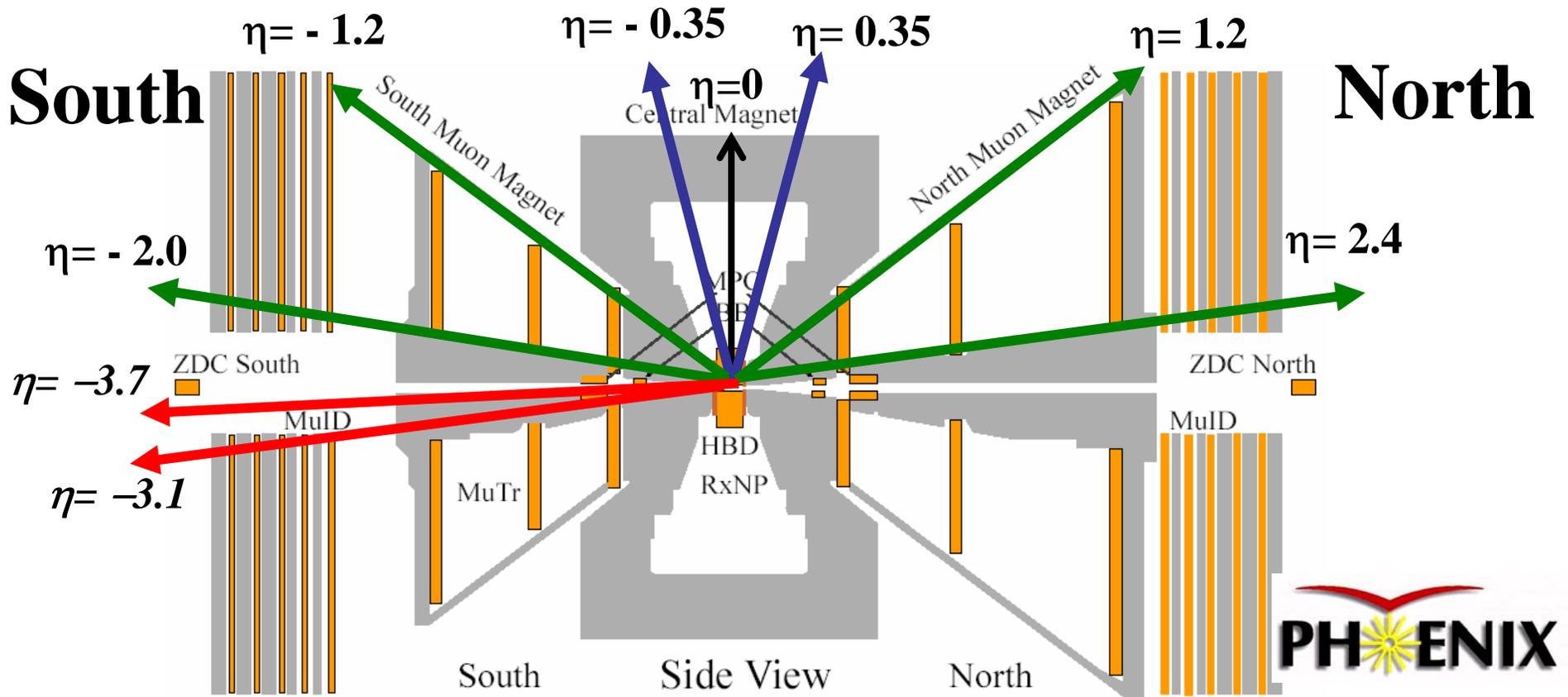


2007



Inclusive π^0 , h^\pm , J/ψ

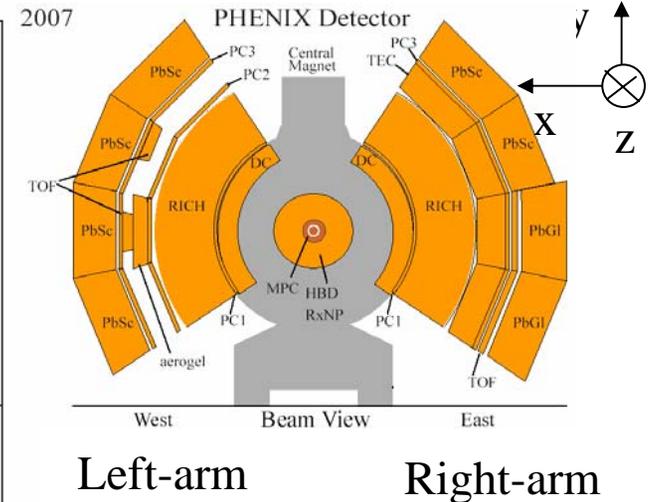
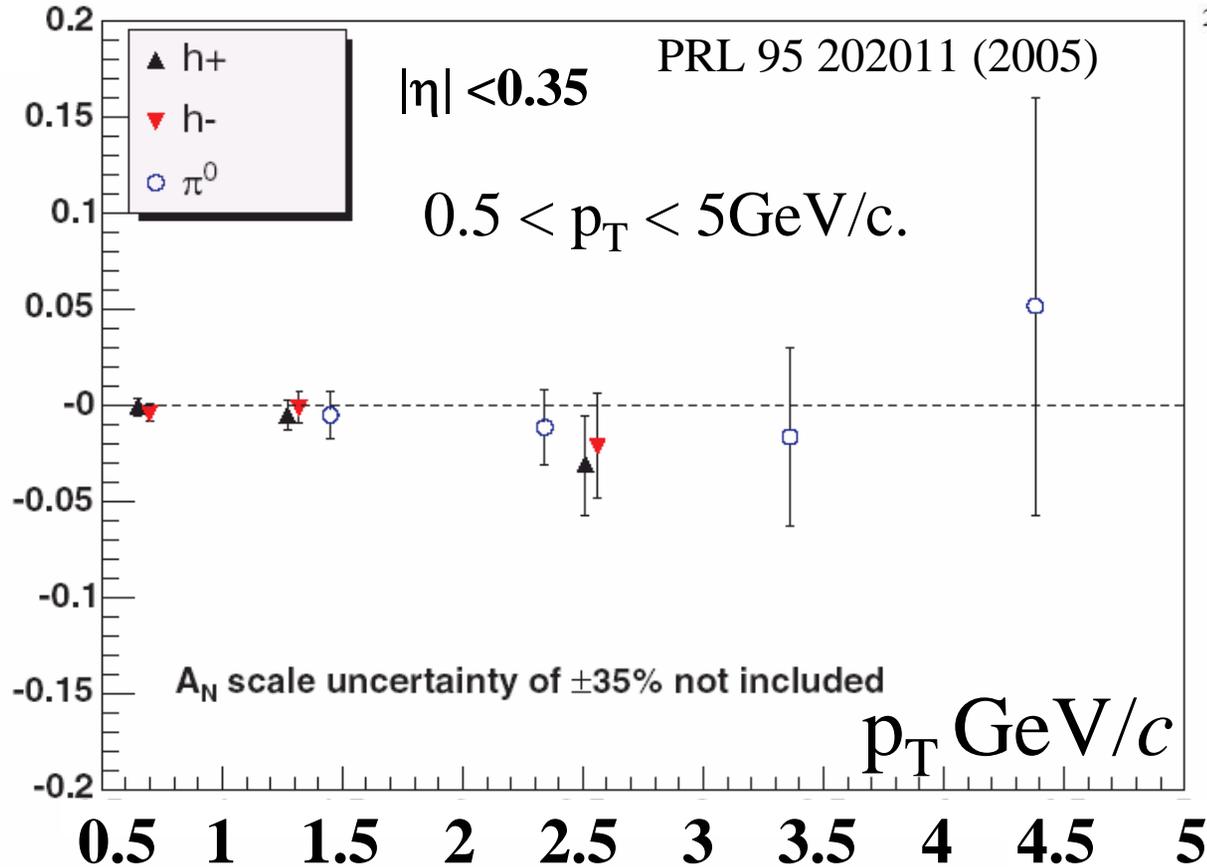
Kinematical coverage at PHENIX (Side View)



- Central-Arms: π^0/h^\pm at $\sqrt{s}=200\text{GeV}$, $|\eta|<0.35$
- μ -Arms: J/ψ at $\sqrt{s}=200\text{GeV}$, $-2.0<\eta<-1.2$ & $1.2<\eta<2.4$
- MPC: Inclusive π^0 at $\sqrt{s}=62\text{GeV}$, $-3.7<\eta<-3.1$

SSA of π^0 and h^\pm from central-arms at $\sqrt{s}=200\text{GeV}$

SSA



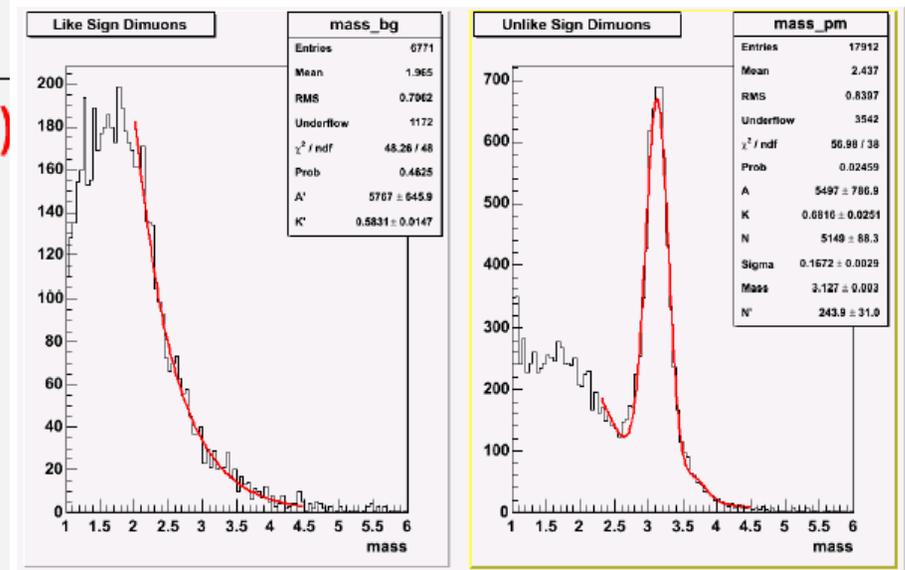
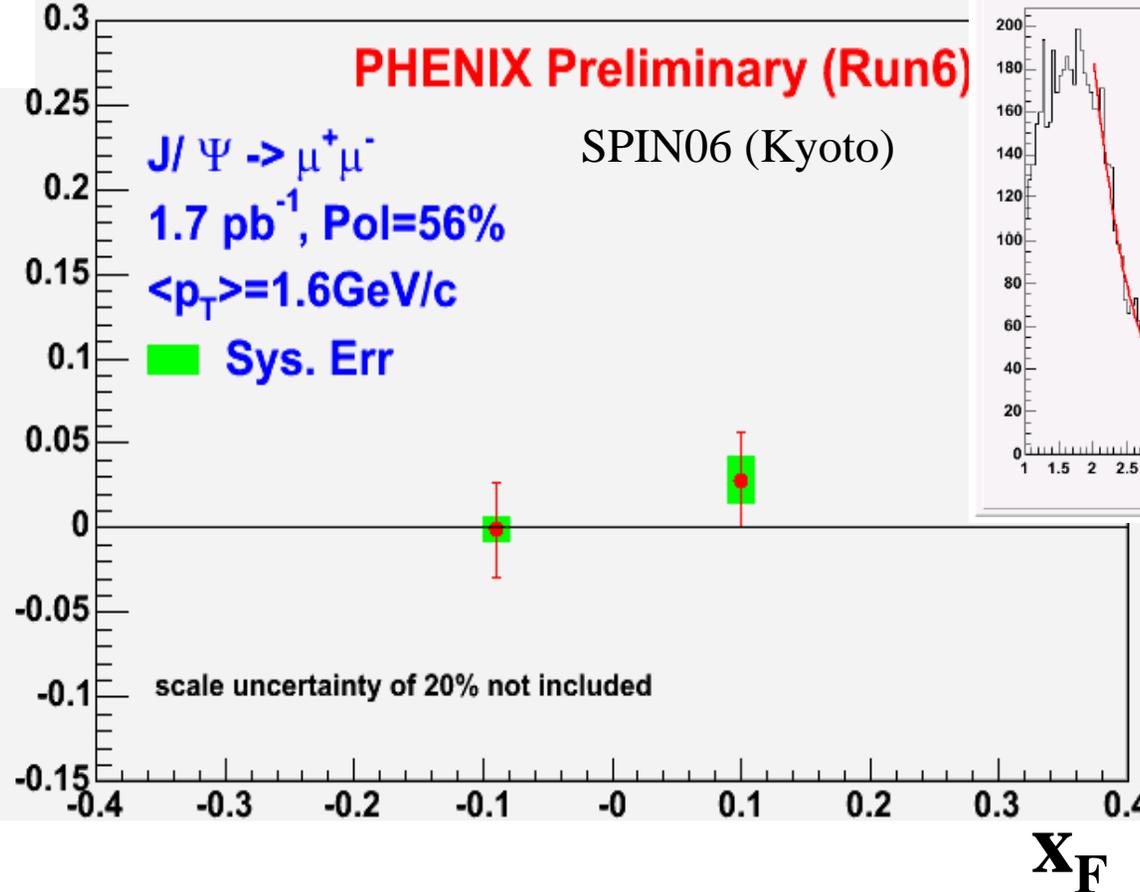
SSAs are measured by square-root-formula with two-arms (left-right) detector for either beam polarization.

- ✓ Mid-rapidity $\langle x_F \rangle \sim 0 \rightarrow$ See “pure” p_T dependence of SSAs.
- ✓ **SSAs for mid-rapidity production of both π^0 and h^\pm are consistent with zero.**

SSA of J/ψ from μ -arms at $\sqrt{s}=200\text{GeV}$



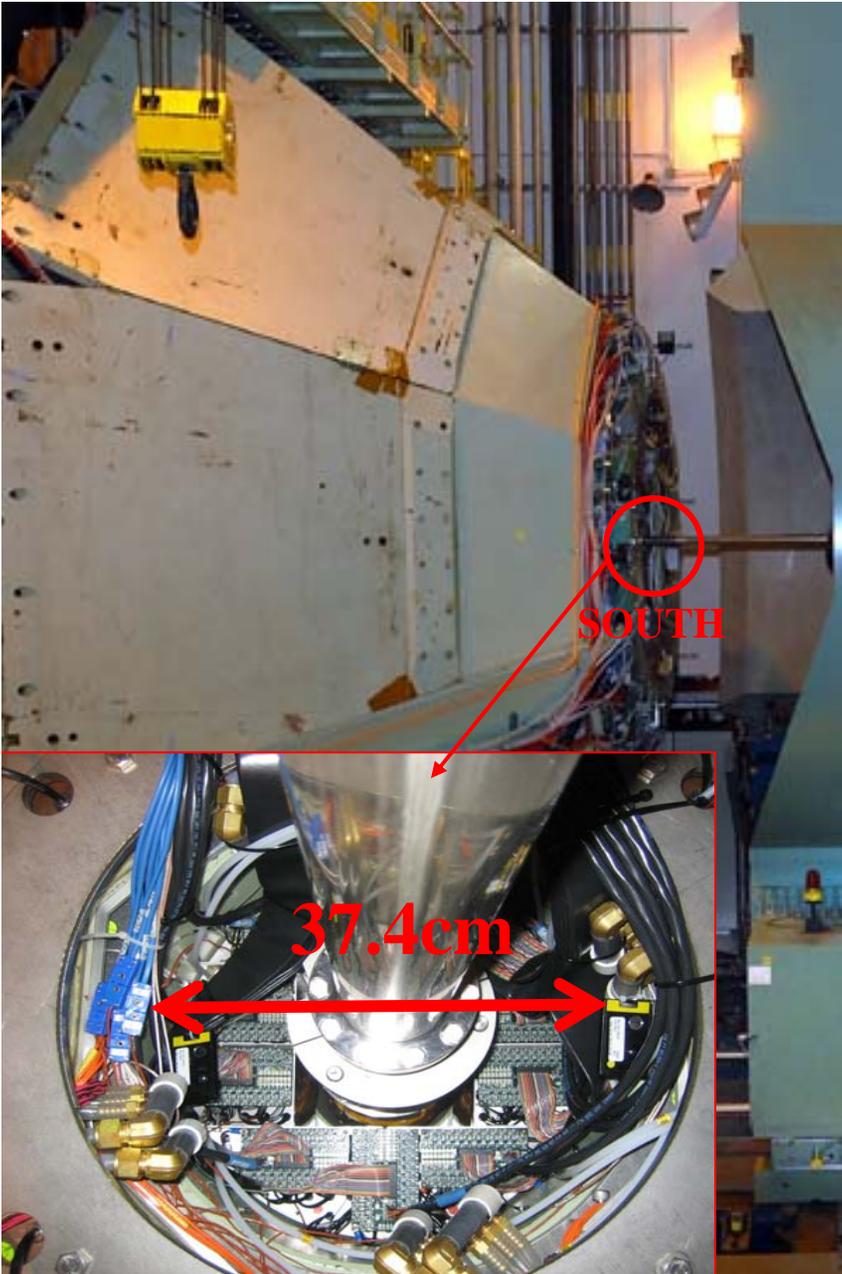
SSA



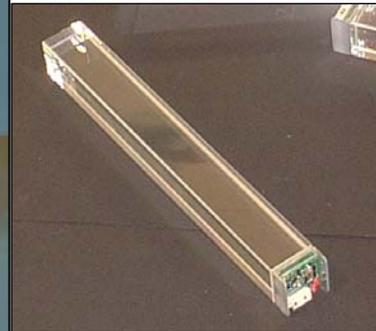
- SSAs are measured by “cross-ratio” method for either beam polarization.
- Sensitive to gluon Sivers as produced through g-g fusion

SSAs at $1.2 < |\eta| < 2.4$ of J/ψ production are consistent with zero.

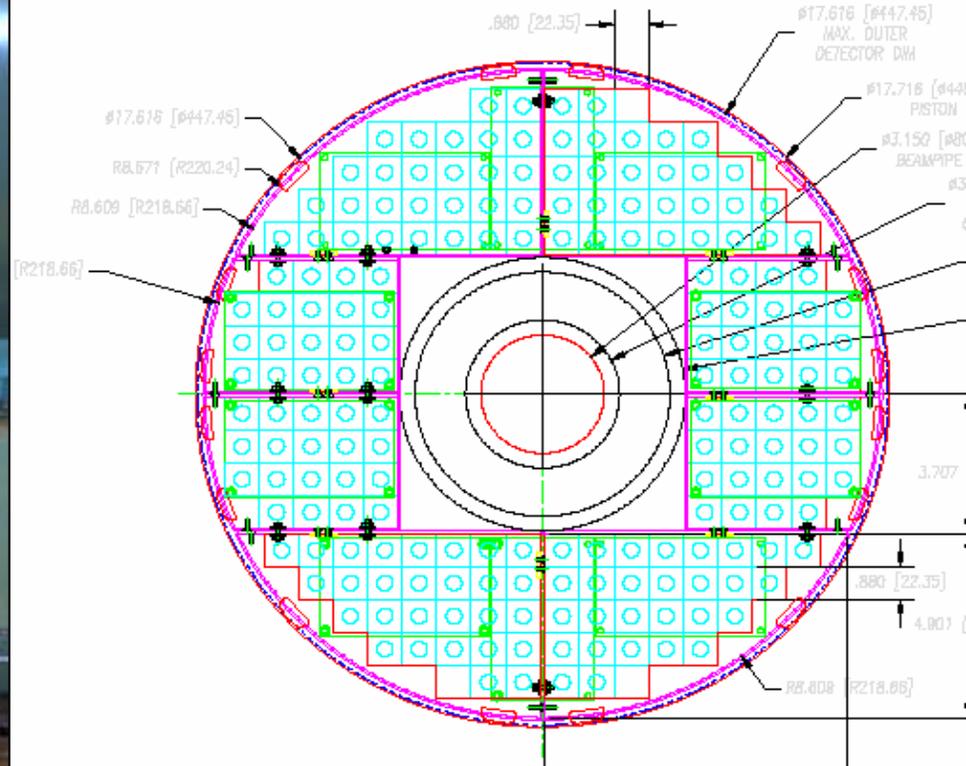
PHENIX Muon Piston Calorimeter



$2.2 \times 2.2 \times 18 \text{ cm}^3$



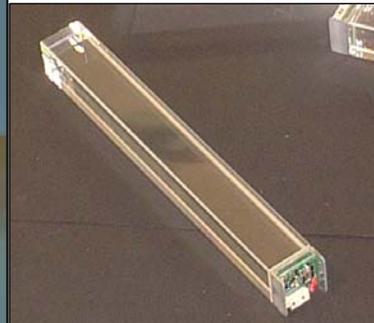
- 192 PbWO4 crystals with APD readout
- Better than 80% of the acceptance is okay



PHENIX Muon Piston Calorimeter

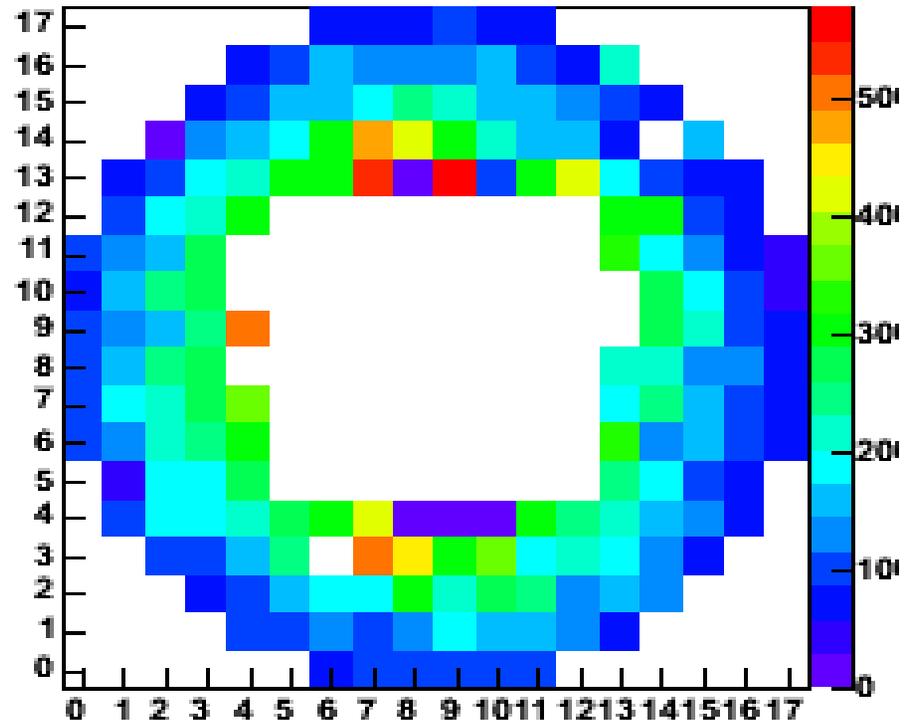


$2.2 \times 2.2 \times 18 \text{ cm}^3$



- 192 PbWO4 crystals with APD readout
- Better than 80% of the acceptance is okay

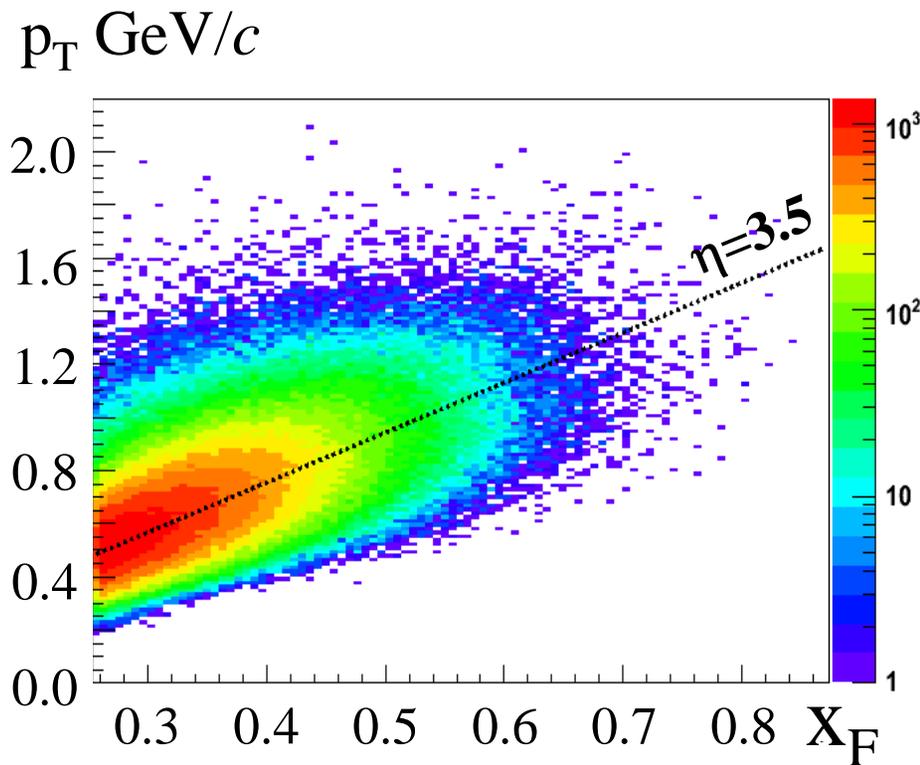
Energy Per Crystal, BBC Triggers



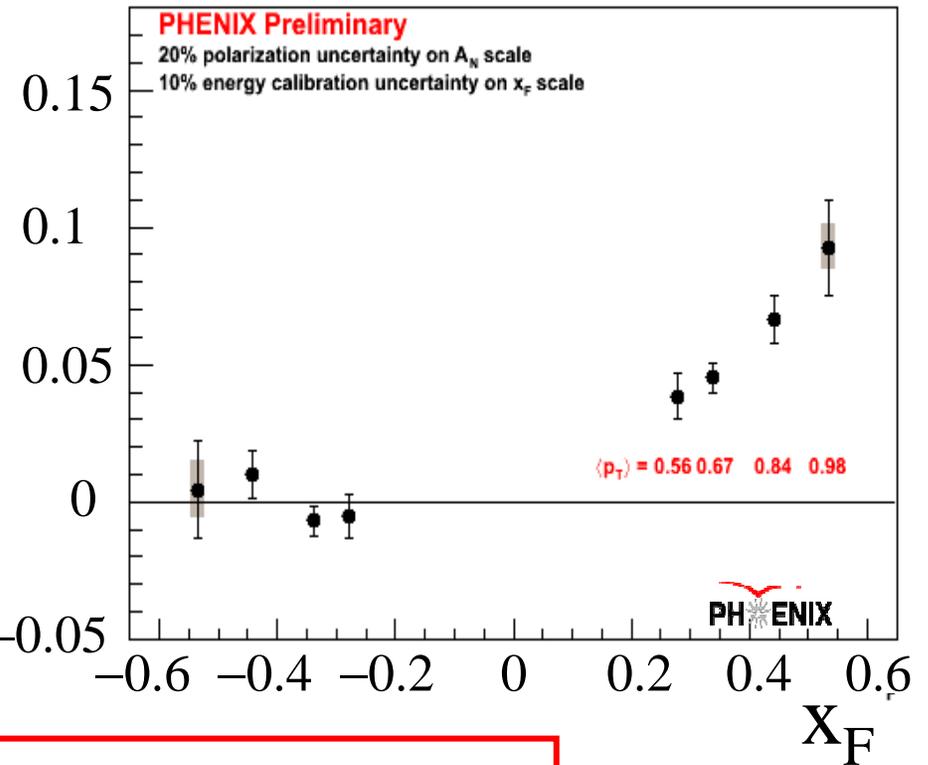
SSA at $\sqrt{s}=62.4$ GeV from Muon Piston Calorimeter (MPC)

- π^0 detection in forward direction; $3.1 < |\eta| < 3.7$
- Achieve higher x_F by decreasing \sqrt{s} .

$$x_F = \frac{p_{z,\pi}}{p_{z,1}} \approx \frac{2E_\pi}{\sqrt{s}}$$

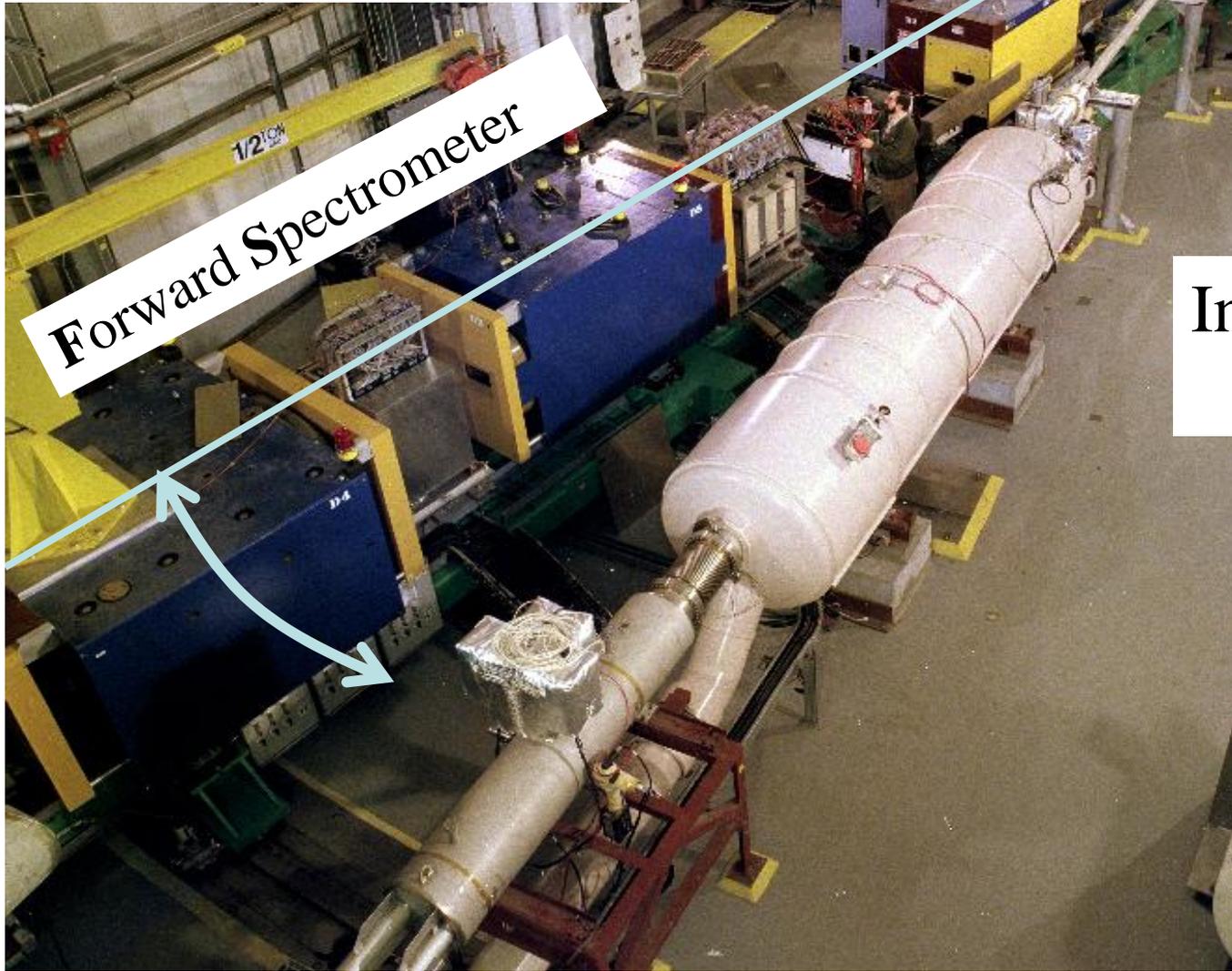


SSA



SSA survives and has similar characteristics over a broad \sqrt{s} region 20~ 200 GeV.

BRAHMS

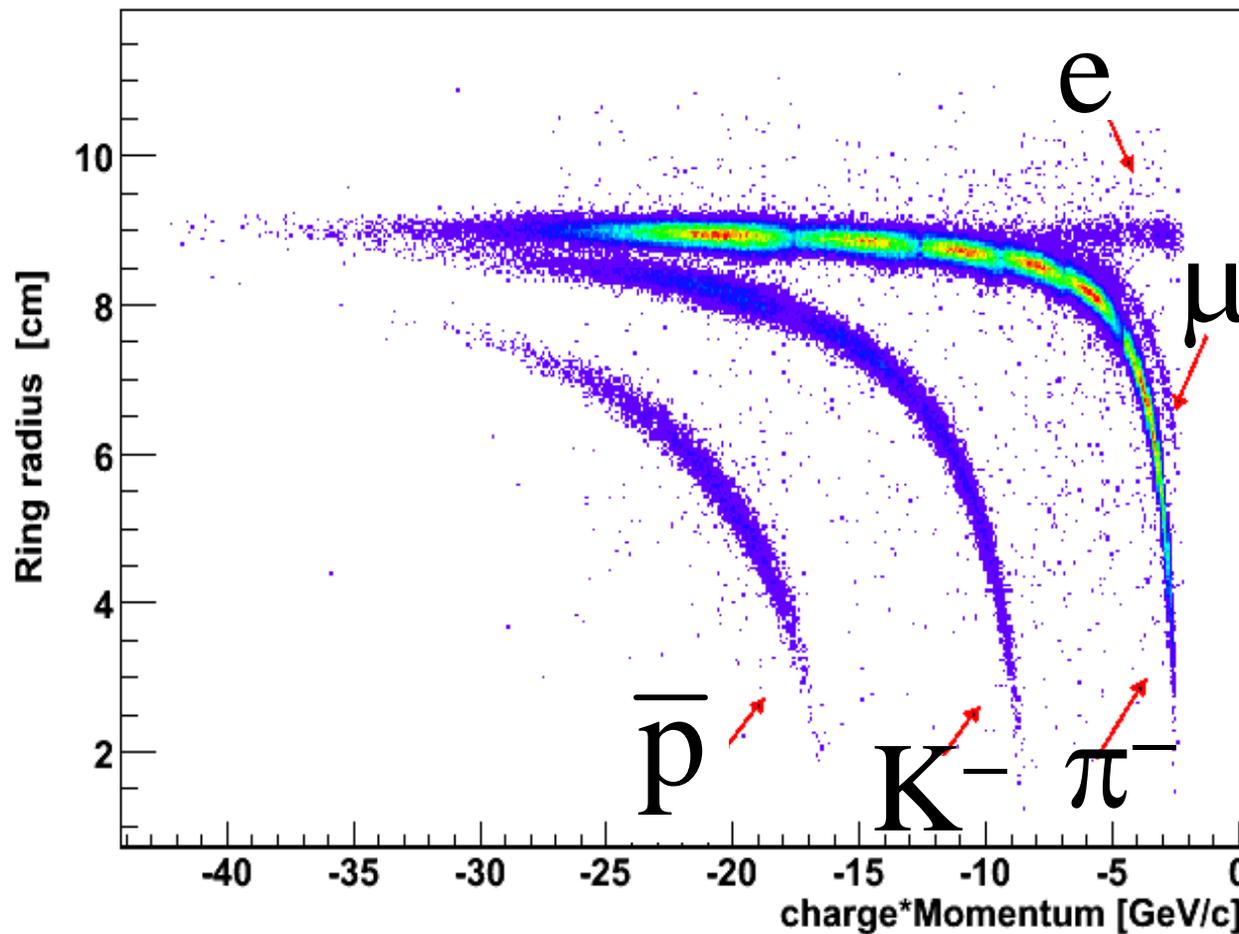


Forward Spectrometer

Inclusive π^+ , π^- ,
 K^+ , K^- , p , $pbar$

Broad
Range
Hadron
Magnetic
Spectrometers

Particle Identification using RICH

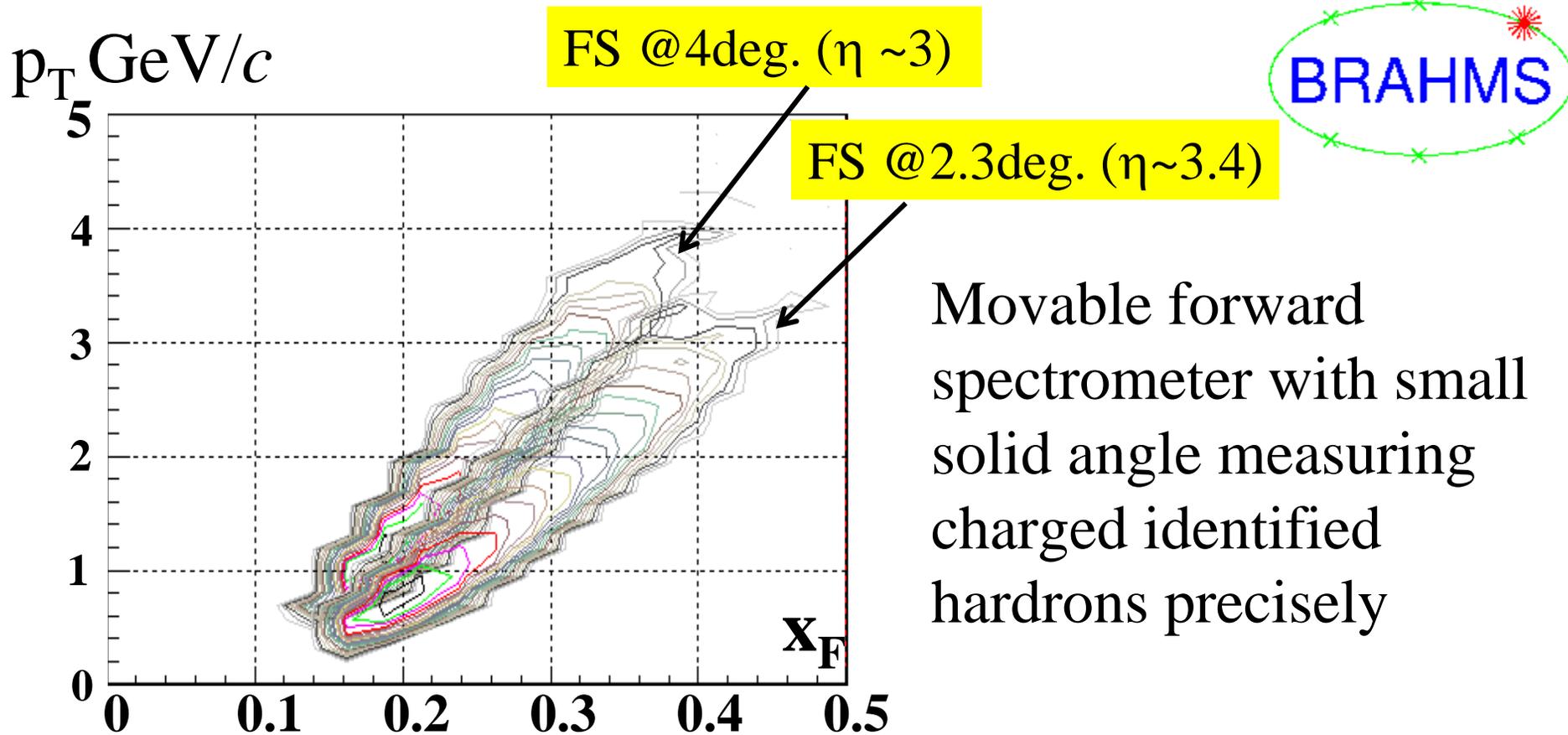


BRAHMS

p, K identification $< 30 \text{ GeV}/c$, $\bar{p} > 17 \text{ GeV}/c$ with efficiency $\sim 97\%$

BRAHMS FS Acceptance at 2.3 deg. and 4 deg.

Full Field (7.2 Tm) at $\sqrt{s} = 200$ GeV

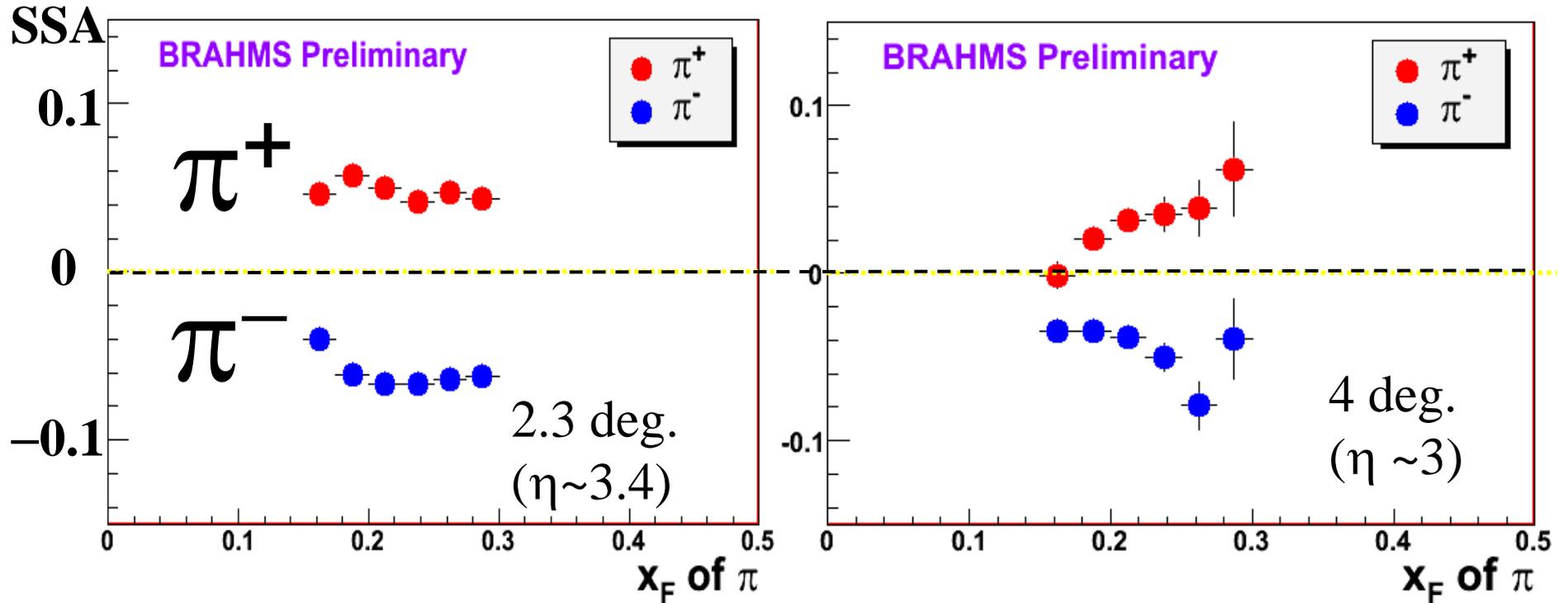


Movable forward spectrometer with small solid angle measuring charged identified hadrons precisely

- Strong x_F - p_T correlation due to limited spectrometer solid angle acceptance



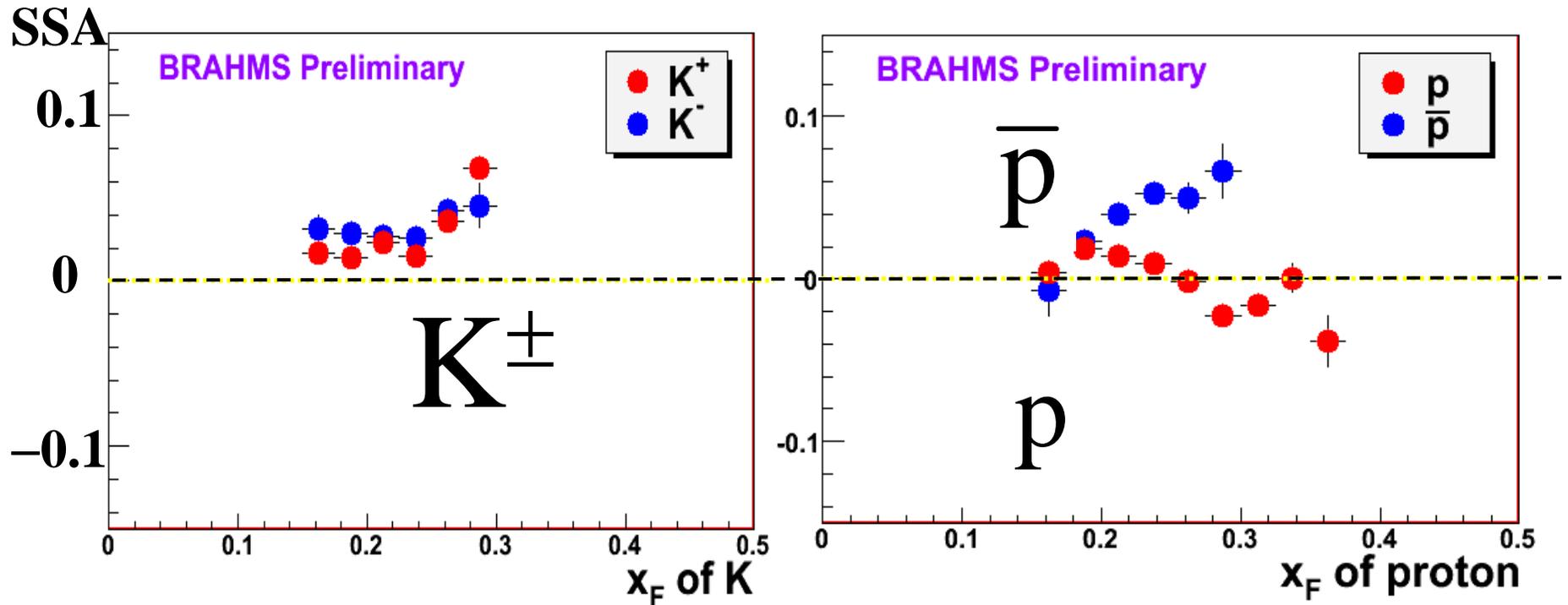
π^\pm SSAs at 2.3 and 4 deg. at $\sqrt{s} = 200$ GeV



- SSA(π^+): positive
- SSA(π^-): negative
- 4-6% in $0.15 < x_F < 0.3$.

- SSA (π^\pm) survive.

SSAs at 2.3 deg. at $\sqrt{s} = 200$ GeV

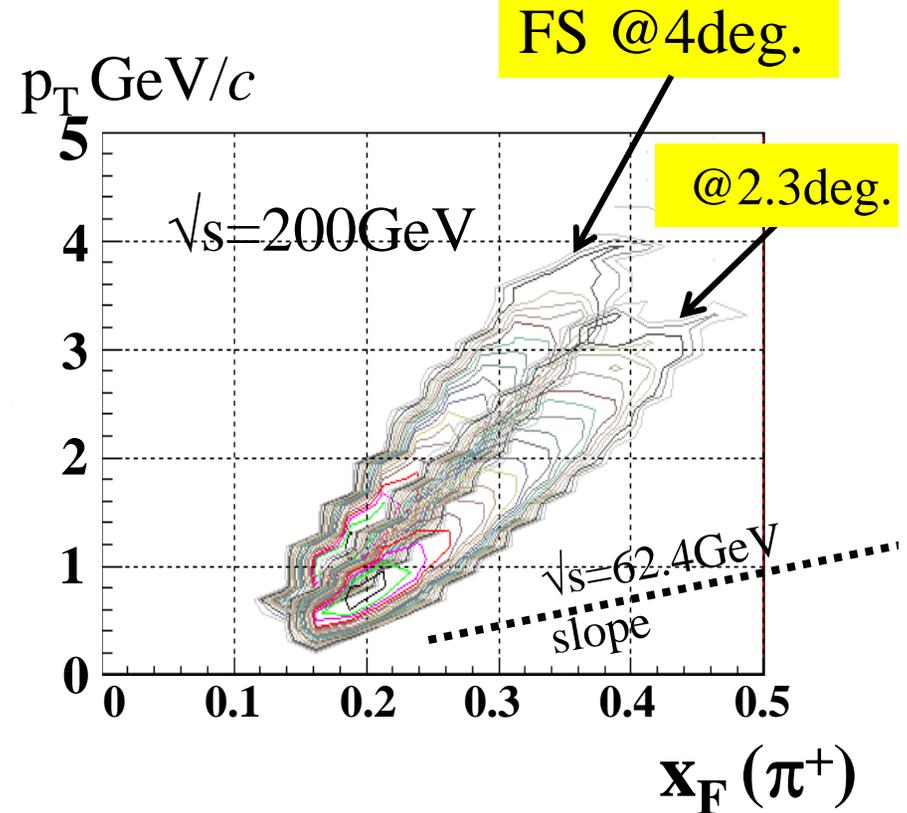
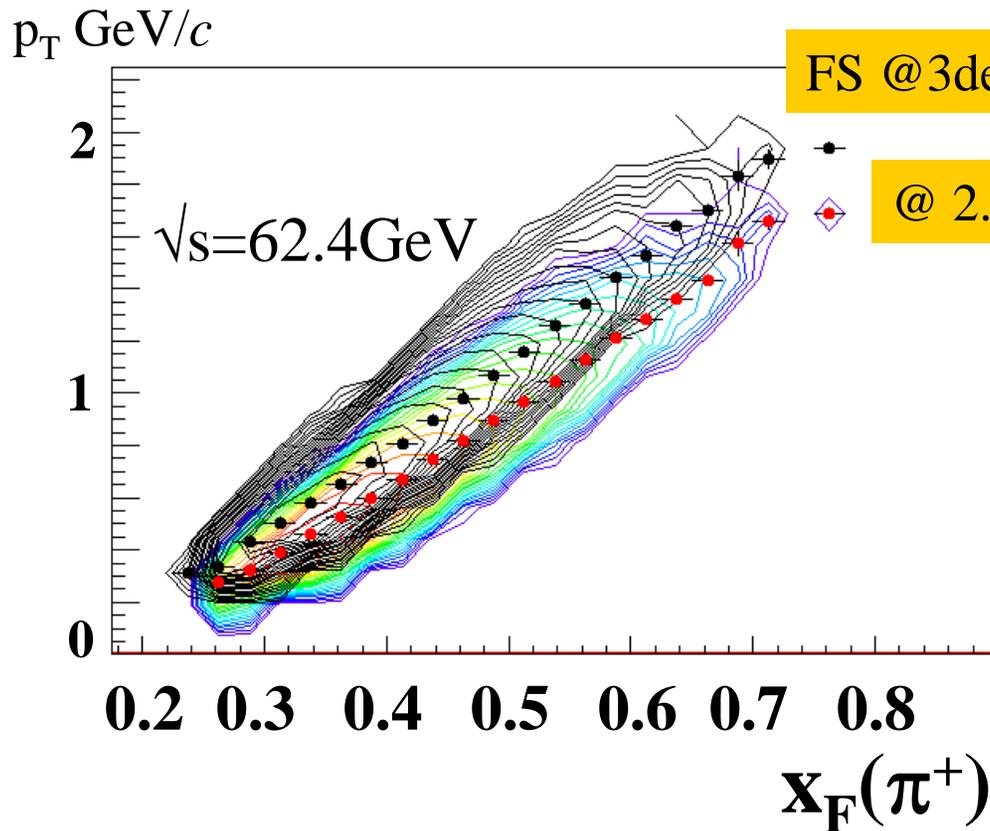


- $SSA(K^+)$, $SSA(K^-)$: positive 2-5% for $0.15 < x_F < 0.3$.
- $SSA(\bar{p})$, $SSA(K^-) > 0$: Contribution from sea-quarks. Or Accidental?
- $SSA(p) \sim 0$: Significant fraction of proton can be mostly from polarized beam proton, but only ones showing $SSA \sim 0$.

SSA results at $\sqrt{s}=62.4$ GeV at higher x_F

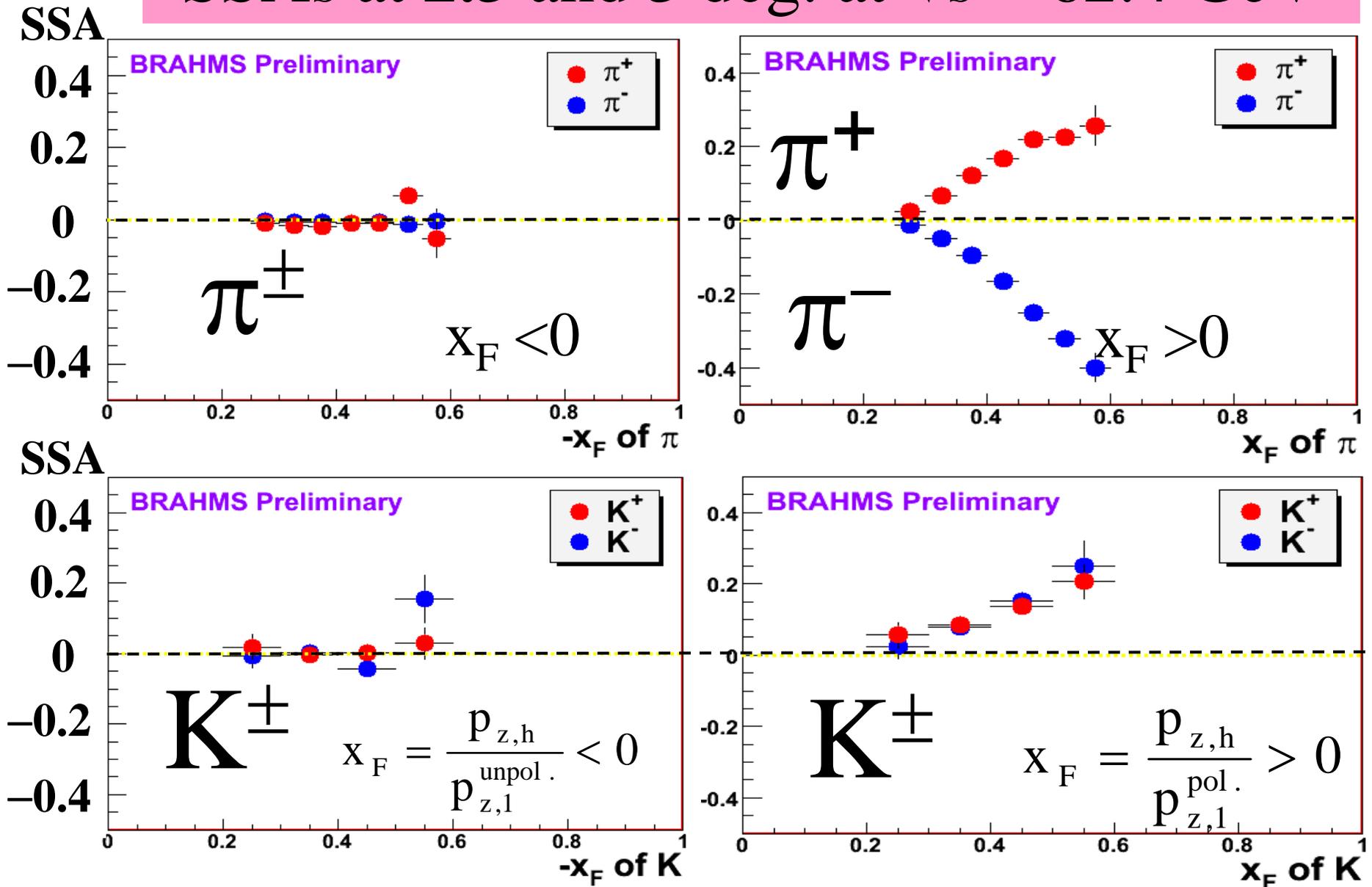


Half Field (3.6 Tm)



$$x_F = \frac{p_{z,\pi}}{p_{z,1}} \approx \frac{2E_\pi}{\sqrt{s}}$$

SSAs at 2.3 and 3 deg. at $\sqrt{s} = 62.4$ GeV



Summary from the RHIC results

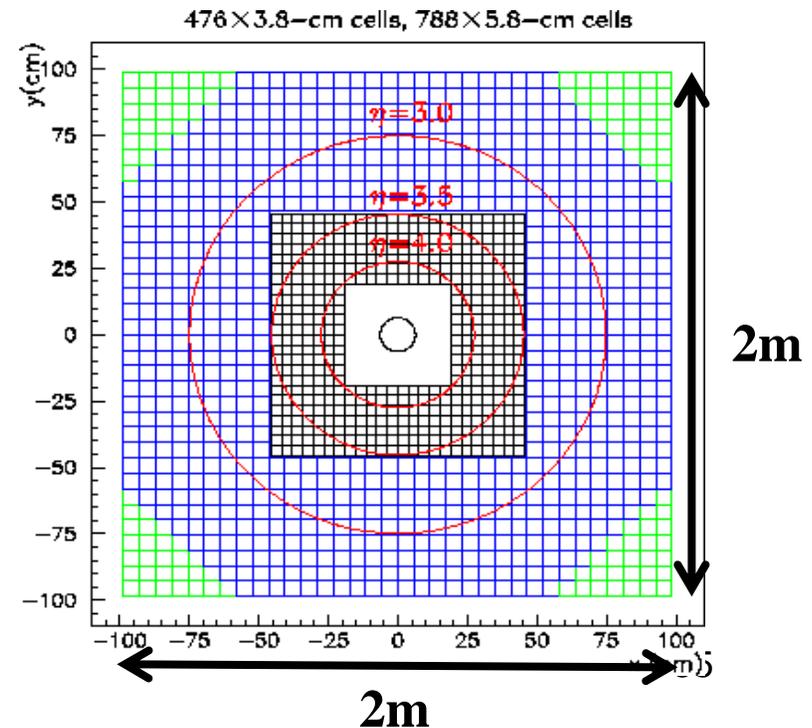
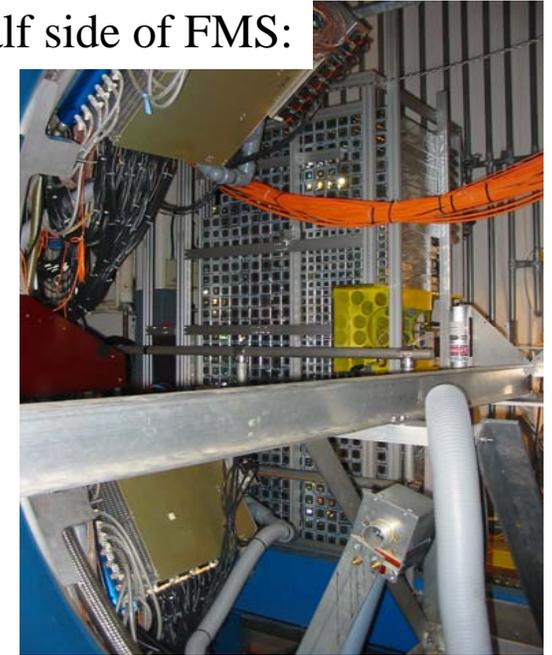
1. Study of SSA in polarized pp collisions has begun at RHIC, where cross sections are consistent with pQCD.
2. SSAs in the mid-rapidity region are consistent with zero.
3. Sizable SSAs are measured in the forward region only.
4. First observation of p_T dependence of SSA is performed in pQCD region.
 - An increase of SSA with increasing p_T is observed.
 - This is contrary to the theoretical expectation.
5. Interaction between experiment and theory is ongoing and critical.

Forward physics is very exciting !

Outlook

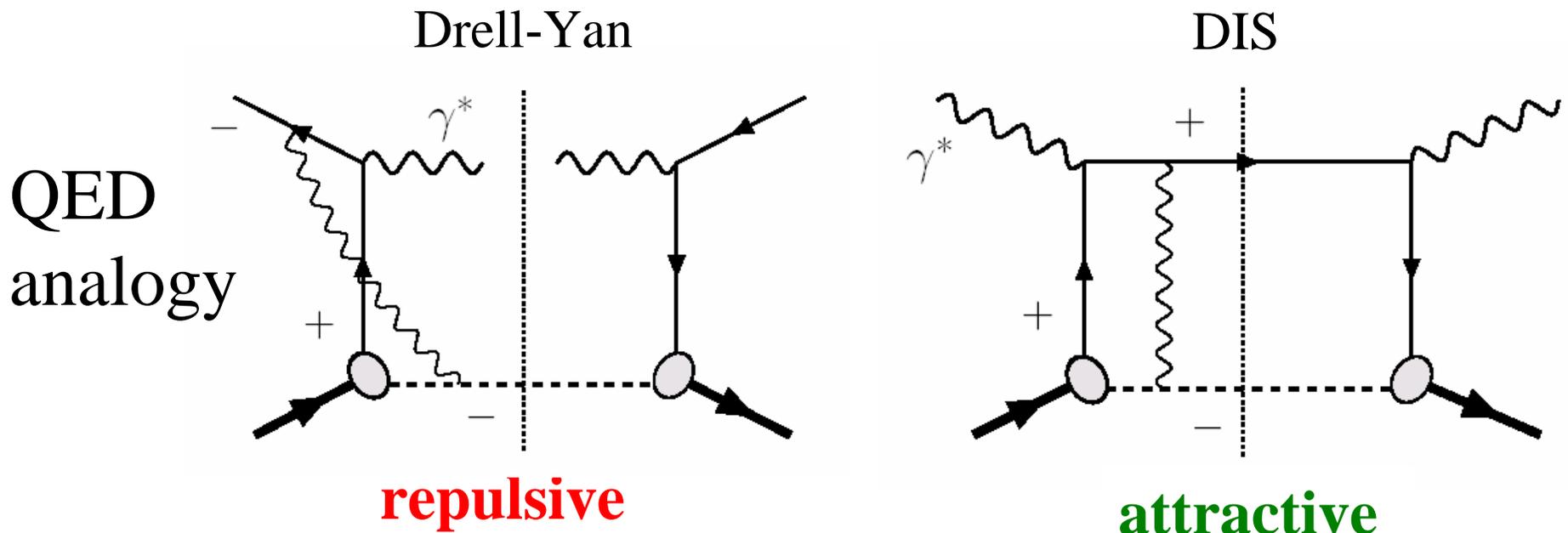
- A) Continue study of p_T dependence of SSA using **F**orward **M**eson **S**pecrometer at the STAR in RUN8. \rightarrow more than factor 25 increase of acceptance for triggered events !
- B) Sivers/Collins separation by choosing proper process.
- Orbital motion via Sivers mechanism.
 - Transversity via Collins mechanism.
- C) Confirm “**color charge**” via SSA-Sivers effect in Drell-Yan process. (Needs tracking)

Half side of FMS:



C) Confirm color charge via SSA-Sivers effect.

http://spin.riken.bnl.gov/rsc/write-up/dy_final.pdf



$$f_{1T}^{\perp} \left(\mathbf{x}, \vec{\mathbf{k}}_q^{\perp} \right) \Big|_{\text{DY}} = -f_{1T}^{\perp} \left(\mathbf{x}, \vec{\mathbf{k}}_q^{\perp} \right) \Big|_{\text{DIS}}$$

The non-universality of the Sivers functions expects opposite sign between DY and DIS processes.

Forward physics is very very exciting !

Thank you!!