

# Short comment on HERMES $A_{UT}$

*Makins,*

*Athens'03; HERMES (prelim.), Collins  $A_{UT}$ ,*

*Seidl, DIS'04 ( $E = 26.7 \text{ GeV}$ ,  $W > 2 \text{ GeV}$ ,  $1 < Q^2 < 15 \text{ GeV}^2$ ,*

$\langle z \rangle \approx 0.4$ ,  $0.2 < y < 0.85$ ,  $0.023 < x < 0.4$ ,

$P_{h\perp} > 0.4 \text{ GeV}$ ).

$$A_{UT}^{\sin(\phi+\phi_s)}(x, z) \propto \frac{\sum_a e_a^2 x h_1^a(x) H_1^{\perp a/h}(z)}{\sum_b e_b^2 x f_1^b(x) D_1^{b/h}(z)}$$

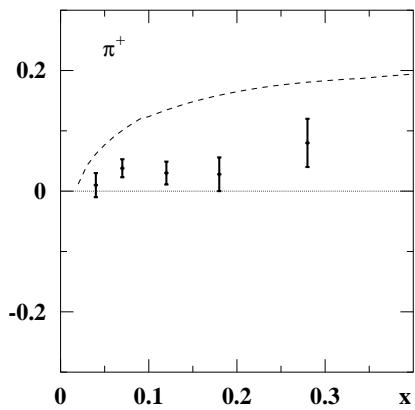
Transversally polarized proton target.

*A.E., Goeke,*

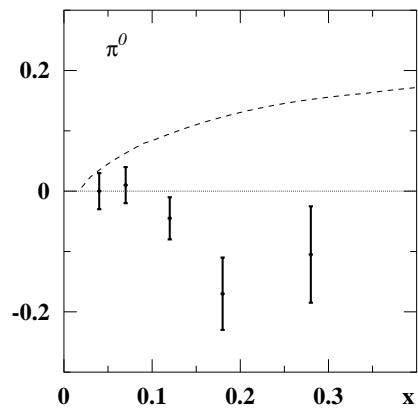
*Schweitzer Our predictions was:*

*EPJC32:337(03)*

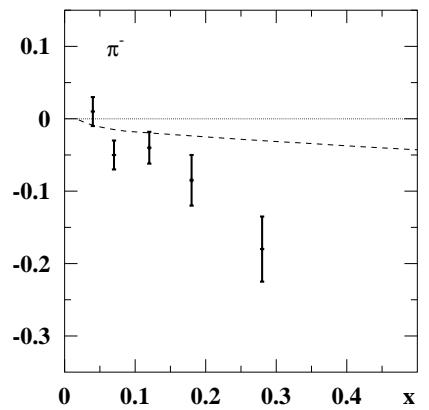
$A_{UT}^{\sin(\phi+\phi_s)}(x)$  vs. HERMES preliminary



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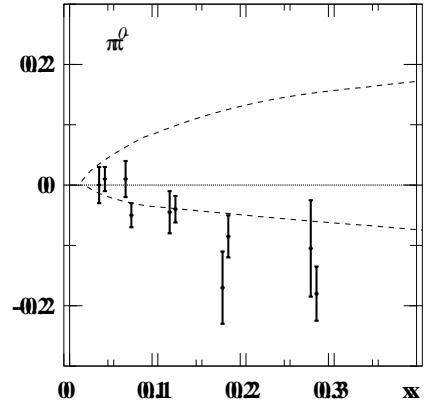
$A_{UT}^{\sin(\phi+\phi_s)}(x)$  vs. HERMES preliminary



↑  
Even sign is wrong for  $\pi^0$ !

New problem in spin physics?  
How it could be possible that

$A_{\text{UTI}}^{\sin(0+0)}$ ( $\mathbf{x}$ ) vs. HERWIG preliminary



$0 > A(\pi^0) \cong A(\pi^-)$  ?

- Charge conjugation and isospin invariance

$$H_1^{\perp u/\pi^+} = H_1^{\perp \bar{u}/\pi^-} = H_1^{\perp d/\pi^-} \dots \equiv H_1^{\text{fav}},$$

$$H_1^{\perp d/\pi^+} = H_1^{\perp \bar{d}/\pi^-} = H_1^{\perp u/\pi^-} \dots \equiv H_1^{\text{unf}},$$

$$H_1^{\perp a/\pi^0} = \frac{1}{2}(H_1^{\perp a/\pi^+} + H_1^{\perp a/\pi^-}) = \frac{1}{2}(H_1^{\text{fav}} + H_1^{\text{unf}}).$$

Same for  $D_1(z)$

- $x\&z$ -dependence factorization

$$A(\pi^0) = \frac{\sigma(\pi^+)}{\sigma(\pi^+) + \sigma(\pi^-)} A(\pi^+) + \frac{\sigma(\pi^-)}{\sigma(\pi^+) + \sigma(\pi^-)} A(\pi^-)$$

or

$$A(\pi^0) - A(\pi^-) = a[A(\pi^+) - A(\pi^-)] \approx 0,$$

$\Downarrow$

$a = \frac{\sigma(\pi^+)}{\sigma(\pi^+) + \sigma(\pi^-)} \approx 0$

that is nonsense!

$x\&z$  factorization is under suspicion  
and should be carefully checked!

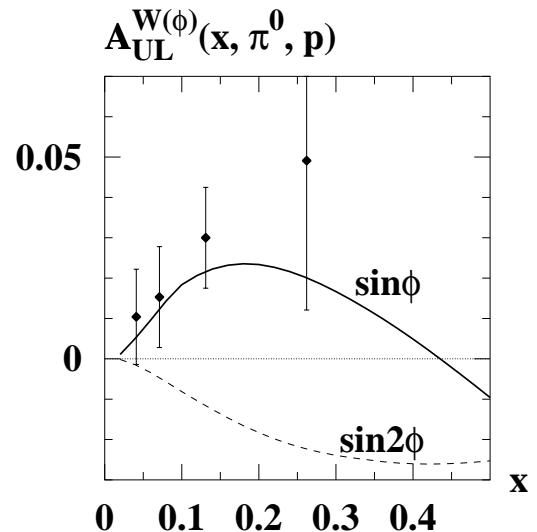
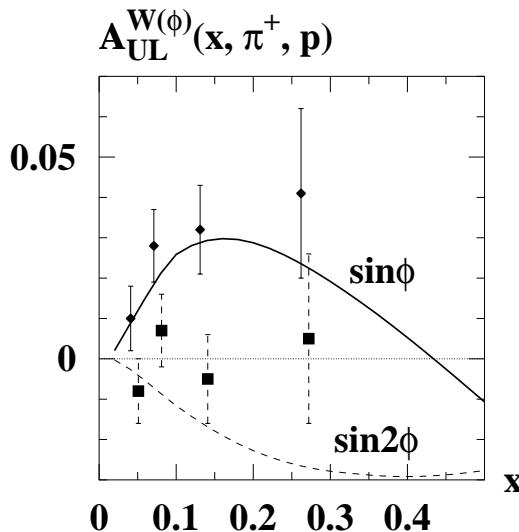
Even without  $A(\pi^0)$  the suppression of  $A(\pi^+)$  is a problem:

$A(\pi^-) \propto (h_1^d H_1^{\text{fav}} + 4h_1^u H_1^{\text{unf}})$  should be  $< 0$  (i.e.  $H_1^{\text{unf}} < 0$ ),

while

$A(\pi^+) \propto (4h_1^u H_1^{\text{fav}} + h_1^d H_1^{\text{unf}})$  gain **positive** addition  $h_1^d H_1^{\text{unf}} > 0!!$

Of course one can take smaller  $\frac{H_1^{\text{fav}}}{D_1^{\text{fav}}}$  (or smaller  $\frac{h_1^u}{u}$ ) but then we miss understanding of  $A_{UL}$ !



## Conclusions

1. We seems understand more complicated  $A_{UL}$  asymmetries (Collins, Sivers,  $A_{UT}$ -contribution, ...)
2. We do not understand more transparent  $A_{UT}^{\sin(\phi+\phi_s)}$  asymmetry!  
(The HERMES data are however PRELIMINARY!)
3. More data are waited from COMPASS, CLAS and HALL-A experiments.